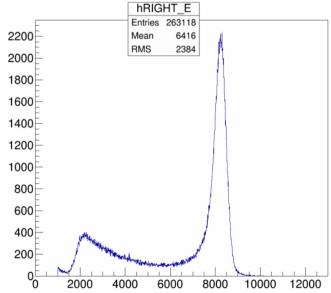


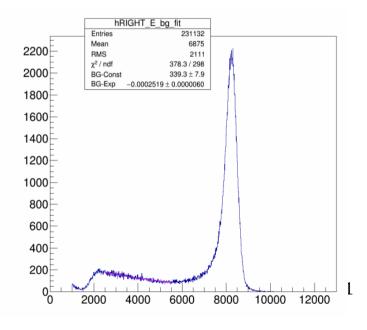
GEANT4 Simulation Mott energy spectra

blue single-scattering, red double-scattering

Run 8545 from Run II, on 350nm Foil, with Hardware ToF-veto

Left, energy spectra before
ToF software cut
Right, energy spectra after
ToF Software cut





$$\varepsilon = \frac{N^{+} - N^{-}}{N^{+} + N^{-}} \longrightarrow \left\{ \varepsilon = \frac{N^{+} - N^{-}}{N^{+} + N^{-}} \right\}_{LRUD} \longrightarrow \left\{ \varepsilon_{i} = \frac{N_{i}^{+} - N_{i}^{-}}{N_{i}^{+} + N_{i}^{-}} \right\}_{LRUD}$$

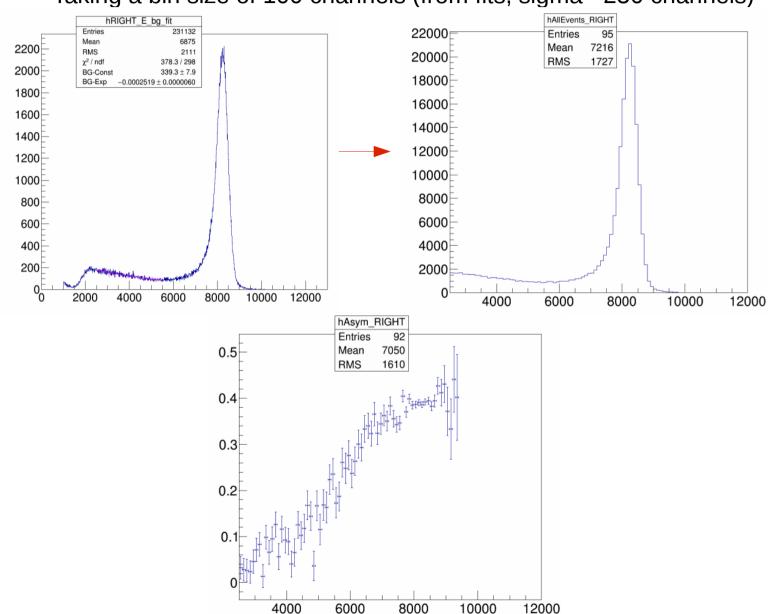
Looking at one detector...

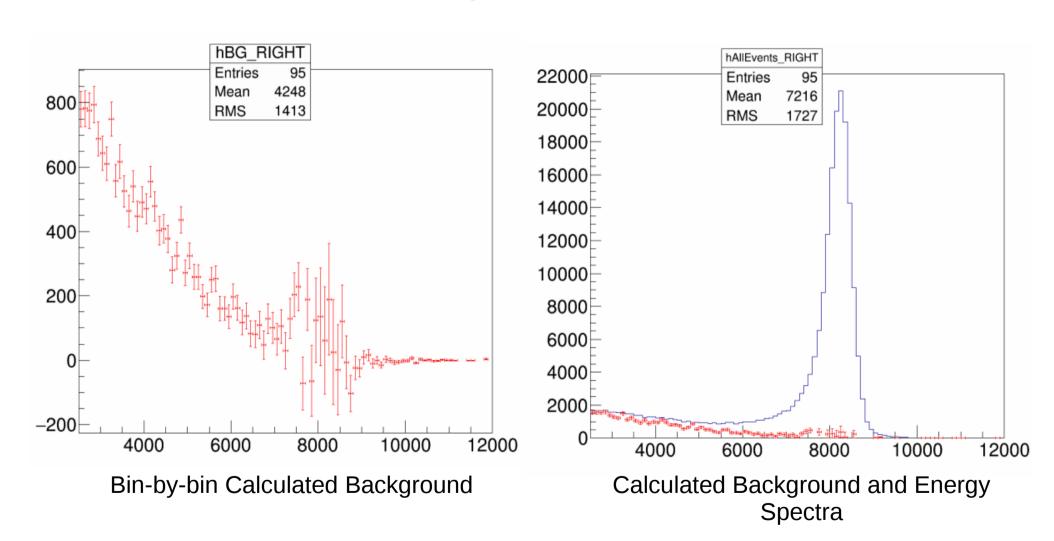
Assume
$$\forall i$$
 , $\varepsilon_c=rac{n_i^+-n_i^-}{n_i^++n_i^-}$ $b_i^\pm\to b_i$ $N_i^\pm=n_i^\pm+b_i$

then.

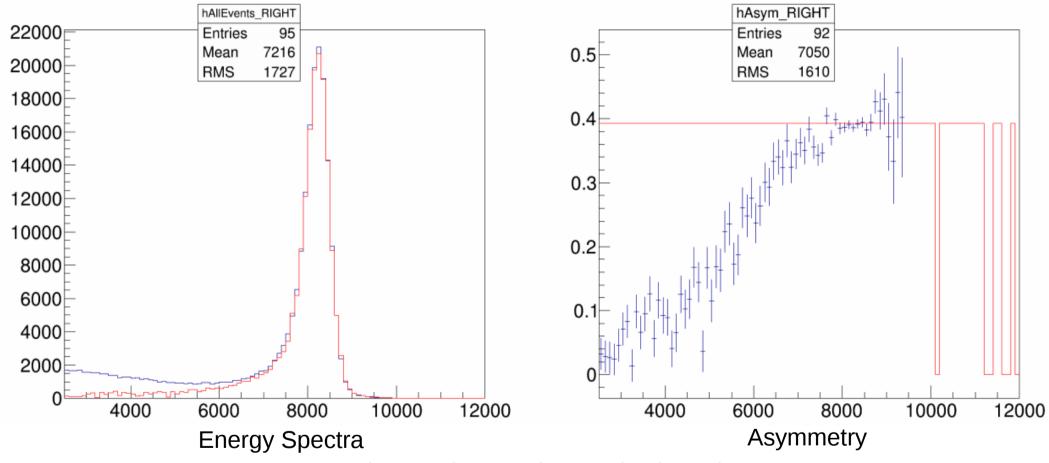
$$\varepsilon_c = \frac{(N_i^+ - b_i) - (N_i^- - b_i)}{(N_i^+ - b_i) + (N_i^- - b_i)} \implies b_i = \frac{1}{2} \left[(N_i^+ + N_i^-) - (\frac{N_i^+ - N_i^-}{\varepsilon_c}) \right]$$

Taking a bin size of 100 channels (from fits, sigma ~250 channels)





Run 8545, 350nm Foil Right Detector



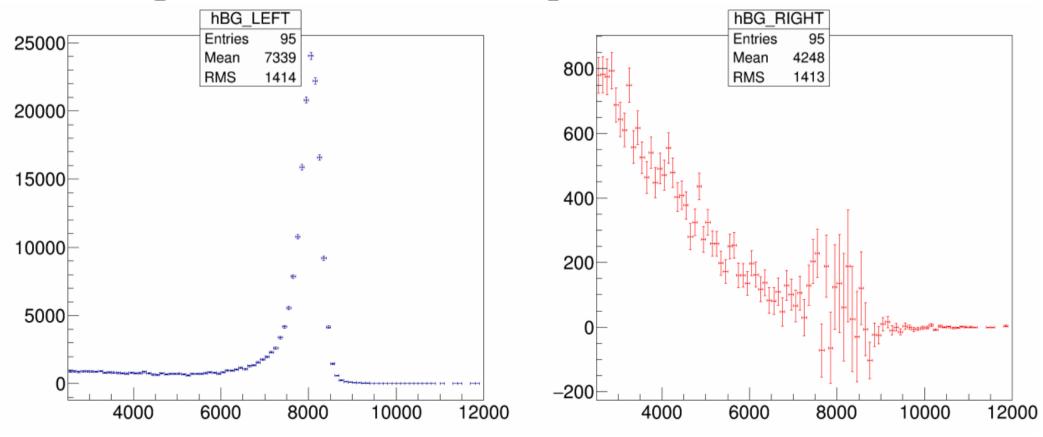
Blue: Before Background subtraction Red: After Background Subtraction

Run 8545, 350nm Foil Right Detector

2 (related) problems....

1)
$$b_i = \frac{1}{2} \left[(N_i^+ + N_i^-) - (\frac{N_i^+ - N_i^-}{\varepsilon_c}) \right]$$

Only gives one sensible background signal



Run 8545, polarization set to be in y-axis => asymmetry in Left/Right detectors, not Up/Down

2) We do not calculate detector-specific asymmetry, we look at detectors in pairs and then use cross-ratio method to calculate asymmetries in a given plane

$$r = \sqrt{\frac{N_L^+ N_R^-}{N_L^- N_R^+}} \qquad \qquad \varepsilon = \frac{1-r}{1+r}$$

Using the same assumptions as before,

$$\begin{aligned}
\forall i, \\
\varepsilon_c &= \left\{ \left(1 - \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right) / \left(1 + \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right) \right\}_i \quad r_c &= \left\{ \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right\}_i \\
\left\{ N_{L/R}^{\pm} = n_{L/R}^{\pm} + b \right\}_i \\
(b_{L/R}^{\pm})_i &= b_i
\end{aligned}$$

$$(N_L^\pm)_i \to L_i^\pm \quad ---- \quad L_i^\pm = (n_L^\pm)_i + b_i \quad ---- \quad (n_L^\pm)_i = L_i^\pm - b_i$$

$$\varepsilon_c = \left\{ \left(1 - \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right) / \left(1 + \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right) \right\}_i \longrightarrow \left\{ \varepsilon_c = \frac{1 - r_c}{1 + r_c} \right\}_i$$

$$\varepsilon_c = \frac{1 - r_c}{1 + r_c} \to r_c = \frac{1 - \varepsilon_c}{1 + \varepsilon_c}$$

$$r_c = \left\{ \sqrt{\frac{n_L^+ n_R^-}{n_L^- n_R^+}} \right\}_i \longrightarrow r_c = \sqrt{\frac{(L_i^+ - b_i)(R_i^- - b_i)}{(L_i^- - b_i)(R_i^+ - b_i)}}$$

Solving for
$$\mathbf{b_i}$$
...
$$r_c^2 = \frac{(L_i^+ - b_i)(R_i^- - b_i)}{(L_i^- - b_i)(R_i^+ - b_i)}$$

$$(r_c^2-1)*b_i^2 + (L_i^+ + R_i^- - r_c^2(L_i^- + R_i^+))*b_i + r_c^2L_i^-R_i^+ - L_i^+R_i^- = 0$$



$$b_i = \frac{r_c^2(L_i^- + R_i^+) - (L_i^+ + R_i^-) \pm \sqrt{(L_i^+ + R_i^- - r_c^2(L_i^- + R_i^+))^2 - 4(r_c^2 - 1)(r_c^2 L_i^- R_i^+ - L_i^+ R_i^-)}}{2(r_c^2 - 1)}$$

Where
$$r_c = \frac{1-\varepsilon_c}{1+\varepsilon_c}$$

Results Forthcoming....