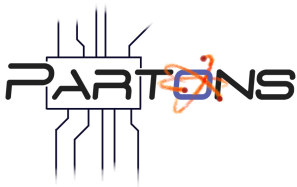


PARTONS view on Transverse Polarized Target TCS

C. Mezrag

INFN Roma 1

On behalf of the PARTONS team



- PARtonic Tomography Of Nucleon Software: a software dedicated to the study of GPDs and exclusive processes.

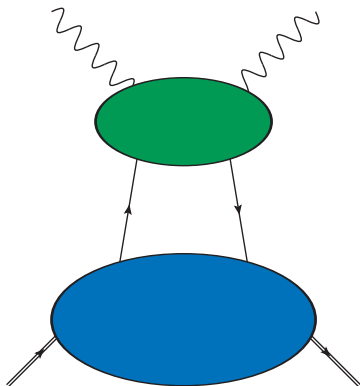
B. Berthou *et al.*, *PARTONS: a computing platform for the phenomenology of Generalized Parton Distributions*

[arXiv:1512.06174](https://arxiv.org/abs/1512.06174)

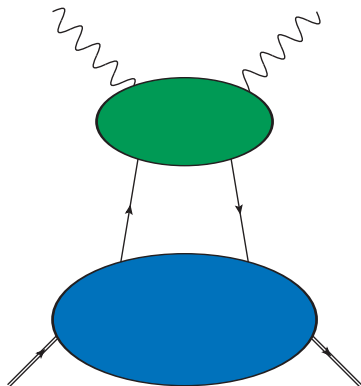
- Such a study requires a flexible software architecture.
- Maximal automation to focus on physics.
- The V1 code is ready and working. All features have been tested and implemented.
- We obtained the final cybersecurity authorisation for the PARTONS website:

<http://partons.cea.fr>

The code and virtual machine will be released there as soon as we will have finished the companion paper.

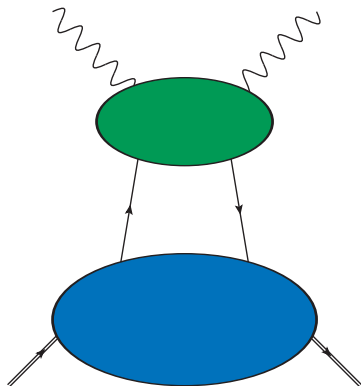


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Deep Exclusive Processes are understood thanks to a combination of both perturbative and non perturbative QCD.

This entanglement requires a flexible software to perform extensive studies

- Generalised Parton Distributions (GPDs):

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- are defined according to a non-local matrix element,

$$\begin{aligned} & \frac{1}{2} \int \frac{e^{ixP^+z^-}}{2\pi} \langle P + \frac{\Delta}{2} | \bar{\psi}^q(-\frac{z}{2}) \gamma^+ \psi^q(\frac{z}{2}) | P - \frac{\Delta}{2} \rangle dz^- |_{z^+=0, z=0} \\ &= \frac{1}{2P^+} \left[H^q(x, \xi, t) \bar{u} \gamma^+ u + E^q(x, \xi, t) \bar{u} \frac{i\sigma^{+\alpha} \Delta_\alpha}{2M} u \right]. \end{aligned}$$

$$\begin{aligned} & \frac{1}{2} \int \frac{e^{ixP^+z^-}}{2\pi} \langle P + \frac{\Delta}{2} | \bar{\psi}^q(-\frac{z}{2}) \gamma^+ \gamma_5 \psi^q(\frac{z}{2}) | P - \frac{\Delta}{2} \rangle dz^- |_{z^+=0, z=0} \\ &= \frac{1}{2P^+} \left[\tilde{H}^q(x, \xi, t) \bar{u} \gamma^+ \gamma_5 u + \tilde{E}^q(x, \xi, t) \bar{u} \frac{\gamma_5 \Delta^+}{2M} u \right]. \end{aligned}$$

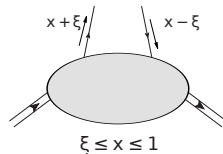
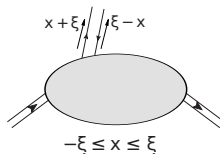
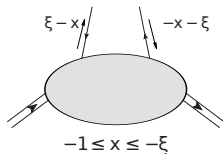
D. Müller *et al.*, Fortsch. Phys. 42 101 (1994)

X. Ji, Phys. Rev. Lett. **78**, 610 (1997)

A. Radyushkin, Phys. Lett. **B380**, 417 (1996)

4 GPDs without helicity transfer + 4 helicity flip GPDs

- Generalised Parton Distributions (GPDs):
 - ▶ are defined according to a non-local matrix element,
 - ▶ depend on three variables (x, ξ, t),

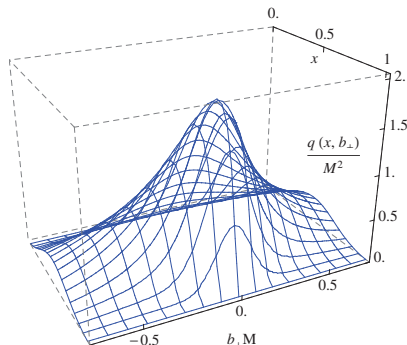


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M. Burkardt, Phys. Rev. **D62**, 071503 (2000)



Pion GPD in Impact
parameter space from:
CM *et al.*, Phys. Lett. **B741**,
190-196 (2015)

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 - ▶ depend on three variables (x, ξ, t) ,
 - ▶ can split in terms of quark flavour and gluon contributions,
 - ▶ can be related to the 2+1D parton number density when $\xi \rightarrow 0$.
 - ▶ are universal, *i.e.* are related to the Compton Form Factors (CFFs) of various exclusive processes through convolutions:

$$\mathcal{H}(\xi, t) = \int dx \, C(x, \xi, t) H(x, \xi, t)$$

- Polynomiality Property:

$$\int_{-1}^1 dx x^m H^q(x, \xi, t) = \sum_{j=0}^{\left[\frac{m}{2}\right]} \xi^{2j} C_{2j}^q(t) + \text{mod}(m, 2) \xi^{m+1} C_{m+1}^q(t)$$

Lorentz Covariance

- Polynomiality Property:

Lorentz Covariance

- Positivity property:

$$\left| H^q(x, \xi, t) - \frac{\xi^2}{1 - \xi^2} E^q(x, \xi, t) \right| \leq \sqrt{\frac{q\left(\frac{x+\xi}{1+\xi}\right) q\left(\frac{x-\xi}{1-\xi}\right)}{1 - \xi^2}}$$

A. Radysuhkin, Phys. Rev. **D59**, 014030 (1999)

B. Pire *et al.*, Eur. Phys. J. **C8**, 103 (1999)

M. Diehl *et al.*, Nucl. Phys. **B596**, 33 (2001)

P.V. Pobilitza, Phys. Rev. **D65**, 114015 (2002)

Positivity of Hilbert space norm

- Polynomiality Property:

Lorentz Covariance

- Positivity property:

Positivity of Hilbert space norm

- Support property:

$$x \in [-1; 1]$$

M. Diehl and T. Gousset, Phys. Lett. **B428**, 359 (1998)

Relativistic quantum mechanics

- Polynomiality Property:

Lorentz Covariance

- Positivity property:

Positivity of Hilbert space norm

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Relativistic quantum mechanics

- Soft pion theorem (pion GPDs only)

M.V. Polyakov, Nucl. Phys. **B555**, 231 (1999)
CM *et al.*, Phys. Lett. **B741**, 190 (2015)

Dynamical Chiral Symmetry Breaking

- Polynomiality Property:

Lorentz Covariance

- Positivity property:

Positivity of Hilbert space norm

- Support property:

Relativistic quantum mechanics

- Soft pion theorem (pion GPDs only)

Dynamical Chiral Symmetry Breaking

How can we implement all these constraints?

- There is still no GPDs models relying only on first principles,
- This may change with our recent work on the Radon Transform,

N. Chouika *et al.* EPJC 77 906 and arXiv:1711.11548

- Still several “phenomenological” approaches have been developed

- Double Distribution models:

I.V. Musatov and A.V. Radyushkin, Phys. Rev. **D61**, 074029 (2000)

M. Guidal *et al.*, Phys. Rev. **D72**, 054013 (2005)

S.V. Goloskokov and P. Kroll, Eur. Phys. J. **C42**, 281 (2005)

C.Mezrag, H. Moutard and F. Sabatié Phys. Rev. **D88**, 014001 (2013)

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M.V. Polyakov and A.G. Shuvaev, hep-ph/0207153 (2002),

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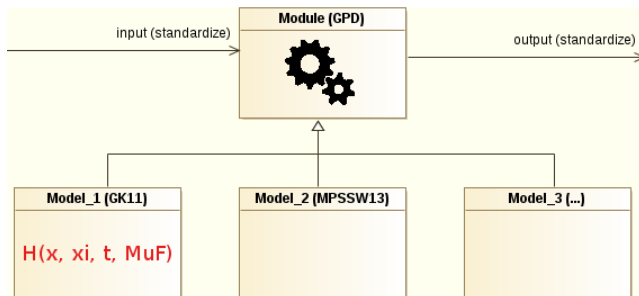
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- Quark-diquark hybrid models:
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I.V. Musatov and A.V. Radysuhkin, Phys. Rev. **D61**, 074029 (2000)
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- Mellin-Barnes approach and Dual models are in fact equivalent
D. Müller *et al.*, JHEP **1503**, 52 (2014)

- Four phenomenological models have been implemented:
 - ▶ updated version of the Goloskokov-Kroll model (Eur. Phys. J. **C42**, 281 (2005))
 - ▶ the Mezrag-Moutarde-Sabatié model (Phys. Rev. **D88**, 014001 (2013))
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CM *et al.*, Phys. Lett. **B741**, 190-196 (2015)

CM *et al.*, Few Body Sys. 57 (2016) 729-772

N. Chouika *et al.* EPJC 77 906

N. Chouika *et al.* arXiv:1711.11548

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CM *et al.*, Few Body Sys. 57 (2016) 729-772
N. Chouika *et al.* EPJC 77 906
N. Chouika *et al.* arXiv:1711.11548
- Inbuilt evolution kernel is fully automatised, even for non-inbuilt models.

- The evolution is performed using the so-called Vinnikov code (A. Vinnikov hep-ph/0604248) translated in C++.
- The code solves the evolution equations behaving like:

$$\frac{\partial H}{\partial \ln \mu_F^2}(x, \xi, t, \mu) = \int dy V(x, y, \xi) H(y, \xi, t, \mu_F^2)$$

using the Runge-Kutta of order 4 technique.

- Evolution can be done this way for any model, including those you may want to add.
- The number of flavour is fixed to 3, this will be improved in future releases.

Short range interaction

- Compton Form Factors (CFF):

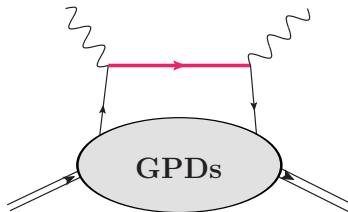
$$\mathcal{H}(\xi, t) = \int dx \, C(x, \xi, t) H(x, \xi, t)$$
$$\begin{cases} \Re \mathcal{H}(\xi, t) = \int dx \, C_R(x, \xi, t) H(x, \xi, t) \\ \Im \mathcal{H}(\xi, t) = \int dx \, C_I(x, \xi, t) H(x, \xi, t) \end{cases}$$

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- At LO only quarks contribute to the hard kernel (TCS):
The imaginary part of the CFF is proportional to the GPD at $x = \xi$.

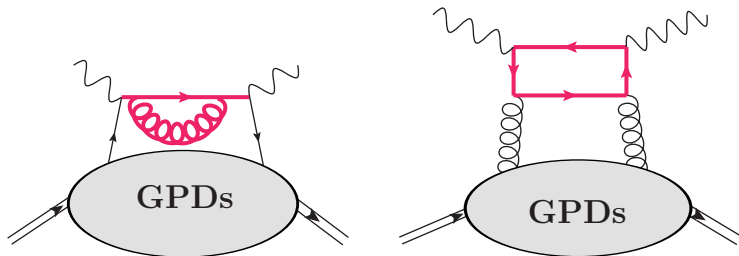


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- At LO only quarks contribute to the hard kernel (TCS):
The imaginary part of the CFF is proportional to the GPD at $x = \xi$.
- At NLO, both quarks and gluons contribute.



Experiment	Observable	Normalized CFF dependence
HERMES	$A_C^{\cos 0\phi}$	$\text{Re}\mathcal{H} + 0.06\text{Re}\mathcal{E} + 0.24\text{Re}\tilde{\mathcal{H}}$
	$A_C^{\cos \phi}$	$\text{Re}\mathcal{H} + 0.05\text{Re}\mathcal{E} + 0.15\text{Re}\tilde{\mathcal{H}}$
	$A_{\text{LU},\text{I}}^{\sin \phi}$	$\text{Im}\mathcal{H} + 0.05\text{Im}\mathcal{E} + 0.12\text{Im}\tilde{\mathcal{H}}$
	$A_{\text{UL}}^{+,\sin \phi}$	$\text{Im}\tilde{\mathcal{H}} + 0.10\text{Im}\mathcal{H} + 0.01\text{Im}\mathcal{E}$
	$A_{\text{UL}}^{+,\sin 2\phi}$	$\text{Im}\tilde{\mathcal{H}} - 0.97\text{Im}\mathcal{H} + 0.49\text{Im}\mathcal{E} - 0.03\text{Im}\tilde{\mathcal{E}}$
	$A_{\text{LL}}^{+,\cos 0\phi}$	$1 + 0.05\text{Re}\tilde{\mathcal{H}} + 0.01\text{Re}\mathcal{H}$
	$A_{\text{LL}}^{+,\cos \phi}$	$1 + 0.79\text{Re}\tilde{\mathcal{H}} + 0.11\text{Im}\mathcal{H}$
	$A_{\text{UT,DVCS}}^{\sin(\phi-\phi_{\mathbf{s}})}$	$\text{Im}\mathcal{H}\text{Re}\mathcal{E} - \text{Im}\mathcal{E}\text{Re}\mathcal{H}$
	$A_{\text{UT},\text{I}}^{\sin(\phi-\phi_{\mathbf{s}})\cos \phi}$	$\text{Im}\mathcal{H} - 0.56\text{Im}\mathcal{E} - 0.12\text{Im}\tilde{\mathcal{H}}$

Tables from P. Kroll et al., Eur. Phys. J. **C73**, 2278 (2013)

Experiment	Observable	Normalized CFF dependence
CLAS	$A_{LU}^{-,\sin\phi}$	$\text{Im}\mathcal{H} + 0.06\text{Im}\mathcal{E} + 0.21\text{Im}\tilde{\mathcal{H}}$
	$A_{UL}^{-,\sin\phi}$	$\text{Im}\tilde{\mathcal{H}} + 0.12\text{Im}\mathcal{H} + 0.04\text{Im}\mathcal{E}$
	$A_{UL}^{-,\sin 2\phi}$	$\text{Im}\tilde{\mathcal{H}} - 0.79\text{Im}\mathcal{H} + 0.30\text{Im}\mathcal{E} - 0.05\text{Im}\tilde{\mathcal{E}}$
HALL A	$\Delta\sigma^{\sin\phi}$	$\text{Im}\mathcal{H} + 0.07\text{Im}\mathcal{E} + 0.47\text{Im}\tilde{\mathcal{H}}$
	$\sigma^{\cos 0\phi}$	$1 + 0.05\text{Re}\mathcal{H} + 0.007\mathcal{H}\mathcal{H}^*$
	$\sigma^{\cos\phi}$	$1 + 0.12\text{Re}\mathcal{H} + 0.05\text{Re}\tilde{\mathcal{H}}$

Tables from P. Kroll *et al.*, Eur. Phys. J. **C73**, 2278 (2013)

Experiment	Observable	Normalized CFF dependence
HERA	σ_{DVCS}	$\mathcal{H}\mathcal{H}^* + 0.09\mathcal{E}\mathcal{E}^* + \tilde{\mathcal{H}}\tilde{\mathcal{H}}^*$

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Tables from P. Kroll *et al.*, Eur. Phys. J. **C73**, 2278 (2013)

- Forthcoming experiments:
 - ▶ DVCS, DVMP and TCS at JLab 12
 - ▶ On going DVCS program at COMPASS
 - ▶ Exclusive processes at EIC for gluon tomography

- From GPDs to observables
 - ▶ Flexibility in the choice of models
 - ▶ Flexibility in the scale of GPDs (evolution)
 - ▶ Computation of CFFs
 - ▶ Flexibility in the choice of perturbative approximation (α_s)
 - ▶ Flexibility in changing twist approximations ($1/Q$)
 - ▶ Computations of a given set of observables

PARTONS contains the tools to compare your GPD model to available data

- From GPDs to observables
 - ▶ Flexibility in the choice of models
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 - ▶ Computations of a given set of observables

PARTONS contains the tools to compare your GPD model to available data

- From observables to GPDs:
 - ▶ Flexibility in the choice of observables
 - ▶ Extraction of CFFs
 - ▶ Flexibility in changing twist approximations ($1/Q$)
 - ▶ Extraction of GPDs at a given scale (evolution)
 - ▶ Flexibility in the choice of perturbative approximation (α_s)

PARTONS allows you to extract GPDs from your favourite data set.

Computing chain design.

Differential studies: physical models and numerical methods.

Experimental
data and
phenomenology

Full processes

Computation
of amplitudes

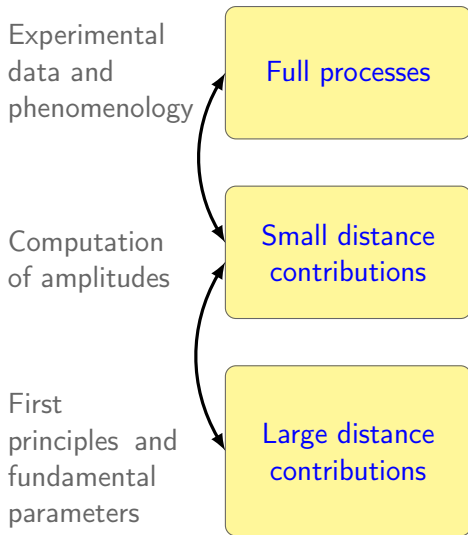
Small distance
contributions

First
principles and
fundamental
parameters

Large distance
contributions

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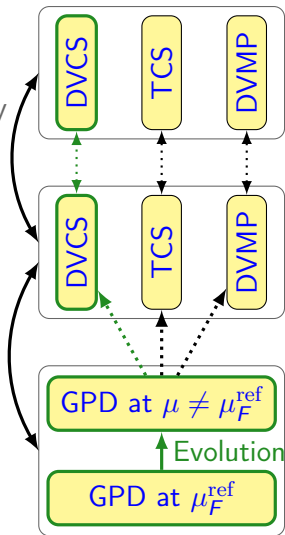
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- DVCS chain is done and working
- Including LO evolution and NLO CFF

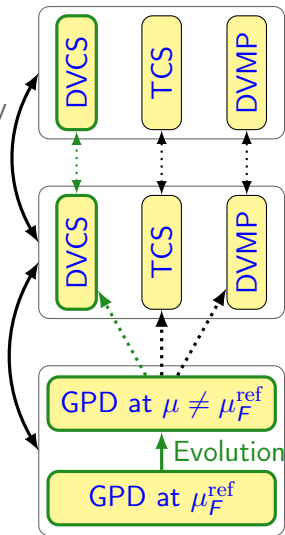
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- DVCS chain is done and working
- Including LO evolution and NLO CFF

- TCS code exists at NLO but needs to be implemented in PARTONS
- DVMP requires more work due to meson PDAs

```
<!-- Indicate service and its methods to be used and indicate if the result should be stored in the database -->
<task service="ObservableService" method="computeObservable" storeInDB="0">

  <!-- Define DVCS observable kinematics -->
  <kinematics type="ObservableKinematic">
    <param name="xB" value="0.2" />
    <param name="t" value="-0.1" />
    <param name="Q2" value="2." />
    <param name="E" value="6." />
  </kinematics>

  <!-- Define physics assumptions -->
  <computation_configuration>

    <!-- Select DVCS observable -->
    <module type="Observable" name="DVCSAllMinus">

      <!-- Select DVCS process model -->
      <module type="ProcessModule" name="DVCSProcessGV08">

        <!-- Select scales module -->
        <!-- (it is used to evaluate factorization and renormalization scales out of kinematics) -->
        <module type="ScalesModule" name="ScalesQ2Multiplier">

          <!-- Configure this module -->
          <param name="lambda" value="1." />
        </module>

        <!-- Select xi-converter module -->
        <!-- (it is used to evaluate GPD variable xi out of kinematics) -->
        <module type="XiConverterModule" name="XiConverterXBToXi">
        </module>

        <!-- Select DVCS CFF model -->
        <module type="ConvolCoeffFunctionModule" name="DVCSFFStandard">

          <!-- Indicate pQCD order of calculation -->
          <param name="qcd_order_type" value="NLO" />

          <!-- Select GPD model -->
          <module type="GPDModule" name="GPDMM513">
          </module>

        </module>

      </module>

    </module>

  </computation_configuration>
```

```
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<kinematics type="ObservableKinematic">  
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      <!-- Select DVCS CFF model -->
      <module type="ConvolCoeffFunctionModule" name="DVCSFFStandard">

        <!-- Indicate pQCD order of calculation -->
        <param name="qcd_order_type" value="NLO" />

        <!-- Select GPD model -->
        <module type="GPDModule" name="GPDMM513">
        </module>

      </module>

    </module>

  </module>

</module>
```

- At GPD level:
 - ▶ How to get a given set of GPD at one defined $(x, \xi, t, \mu_R, \mu_F)$ kinematics
 - ▶ How to get a list of results from a file containing multiple kinematics.
 - ▶ How to plot the results stored in the database.
 - ▶ How to use evolution equations
 - ▶ How to change integration routines
- at CFF level:
 - ▶ How to get a set of CFF at one defined (x_B, t, Q^2) kinematics
 - ▶ How to get multiple results from multiple kinematic stored in a given file.
 - ▶ How to plot the results from the database.
 - ▶ How to change integration routines
- at Observable level:
 - ▶ Same thing than CFF with additionnal angular dependence.

```
void computeSingleKinematicsForGPD() {  
  
    // Retrieve GPD service  
    PARTONS::GPDService* pGPDService =  
        PARTONS::Partons::getInstance()->getServiceObjectRegistry()->getGPDService();  
  
    // Create GPD module with the BaseModuleFactory  
    PARTONS::GPDModule* pGPDModel =  
        PARTONS::Partons::getInstance()->getModuleObjectFactory()->newGPDModule(  
            PARTONS::GPDMM513::classId);  
  
    // Create a GPDKinematic(x, xi, t, MuF, MuR) to compute  
    PARTONS::GPDKinematic gpdKinematic(0.1, 0.2, -0.1, 2., 2.);  
  
    // Run computation  
    PARTONS::GPDResult gpdResult = pGPDService->computeGPDModel(gpdKinematic,  
        pGPDModel);  
  
    // Print results  
    PARTONS::Partons::getInstance()->getLoggerManager()->info("main", __func__,  
        gpdResult.toString());  
  
    // Remove pointer reference ; Module pointers are managed by PARTONS.  
    PARTONS::Partons::getInstance()->getModuleObjectFactory()->updateModulePointerReference(  
        pGPDModel, 0);  
    pGPDModel = 0;  
}
```

PARTONS

PARTonic Tomography Of Nucleon Software

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Main Page

What is PARTONS?

PARTONS is a C++ software framework dedicated to the phenomenology of Generalized Parton Distributions (GPDs). GPDs provide a comprehensive description of the partonic structure of the nucleon and contain a wealth of new information. In particular, GPDs provide a description of the nucleon as an extended object, referred to as 3-dimensional nucleon tomography, and give an access to the orbital angular momentum of quarks.

PARTONS provides a necessary bridge between models of GPDs and experimental data measured in various exclusive channels, like Deeply Virtual Compton Scattering (DVCS) and Hard Exclusive Meson Production (HEMP). The experimental programme devoted to study GPDs has been carrying out by several experiments, like HERMES at DESY (closed), COMPASS at CERN, Hall-A and CLAS at JLab. GPD subject will be also a key component of the physics case for the expected Electron Ion Collider (EIC).

PARTONS is useful to theorists to develop new models, phenomenologists to interpret existing measurements and to experimentalists to design new experiments. A detailed description of the project can be found [here](#).



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- ↓ Get PARTONS
- ↓ Configure PARTONS
- ↓ How to use PARTONS
- ↓ Publications and talks
- ↓ Acknowledgments
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- ↓ Contact and newsletter

Get PARTONS

Here you can learn how to get your own version of PARTONS. We offer two ways.

You can use our provided virtual machine with an out-of-the-box PARTONS runtime and development environment. This is the easiest way to start your experience with PARTONS.

Using PARTONS with our provided Virtual Machine

You can also build PARTONS by your own on either GNU/Linux or Mac OS X. This is useful if you want to have PARTONS on your computer without using the virtualization technology or if you want to use PARTONS on computing farms.

Using PARTONS on GNU/Linux

Using PARTONS on Mac OS X

Configure PARTONS

If you are using our [virtual machine](#), you will find all configuration files set up and ready to be used. However, if you want to tune the configuration or if you have installed PARTONS by your own, this tutorial will be helpful for

<http://partons.cea.fr>

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 Search

Class List

Here are the classes, structs, unions and interfaces with brief descriptions:

[detail level 1 2]

▼ PARTONS	
ActiveFlavorsThresholds	Interval of factorization scale with fixed number of flavors
ActiveFlavorsThresholdsModule	Abstract class for modules defining number of quark flavors intervals
ActiveFlavorsThresholdsQuarkMasses	Number of active quark flavors intervals corresponding to quark masses
AutomationService	Automation service is designed to dynamically run complex tasks (by calling service object methods) or to create some complex C++ objects, all described by an XML file
BaseObject	BaseObject is the "zeroth-level-object" of the architecture
BaseObjectData	Container to store data to be used by base objects
BaseObjectFactory	Provides a clone (returned as a BaseObject pointer) of an object identified by its class name and previously stored in the BaseObjectRegistry
BaseObjectRegistry	The Registry is the analog of a phonebook, which lists all available objects (modules or services most of the time) identified by a unique integer identifier or by a unique string (class name) for translation
BaseType	
BCSimplifiedVertex	Simplified Ball-Chiu Vertex
BCVertex	Ball-Chiu Vertex
CCFModuleNullPointerException	Exception to indicate missing CFF module
CompareUtils	Set of utility tools to perform comparisons
ComparisonData	Comparison report for single data point
ComparisonMode	Definition of comparison modes
ComparisonReport	Comparison report
ComparisonService	
Computation	Class to store computation information
ComputationDao	Computation Information Data Access Object (DAO)
ComputationDaoService	Computation Information Data Access Object (DAO) service
ConvolCoeffFunctionKinematicDao	Compton form factor (CFF) kinematics Data Access Object (DAO)
ConvolCoeffFunctionKinematicDaoService	Compton form factor (CFF) kinematics Data Access Object (DAO) service
ConvolCoeffFunctionModule	Abstract class that provides a skeleton to implement a Convolution of Coefficient Function module

<http://partons.cea.fr>

A tribute to our postdocs and student



P. Sznajder
NCJB Warsaw



N. Chouika
IRFU/DPhN



L. Colaneri
IPNO

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- ▶ The source code will also be made available.

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- **Can I use PARTONS on a laptop?**

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- **I am afraid to be lost in the code, where can I find help?**

- ▶ We plan to release also various examples to help new users.
- ▶ A documentation is also available online.

- **What if I find a bug?**

- ▶ We try to make the software as reliable as possible. But if you still find a bug please contact us.
- ▶ We will face the good side of Murphy's law: users will find a way to use PARTONS developers will not have thought about.

- The complete DVCS chain will be released
- Leading twist approximation in the BMJ and GV formalisms.
- NLO correction of the hard kernel, including heavy quark masses corrections
- LO GPD evolution equations from Vinnikov code
- 4 different phenomenological models based on Double Distributions.

- TCS channel
 - ▶ The code exists at NLO but needs to be implemented in C++.

Future experiments on Transversely Polarised Target TCS is a great motivation for us to push our development of the TCS branch in PARTONS.

- For DVCS channel:
 - ▶ BMP finite t corrections
- DVMP channel
 - ▶ Add a Meson Distribution Amplitude Machinery
 - ▶ Implementations of higher-twists, in particular in the case of the pion.
- “Recent channels”: double photon production, meson-photon production...

- Deep studies of GPDs require a flexible and reliable software.
- PARTONS is an answer to this need:
 - ▶ Flexibility through modular architecture
 - ▶ Reliability ensured by systematic non-regression tests.
 - ▶ Performance is also one of our main targets.
- Try to make it as user friendly as possible.
- We do our best to release it as soon as possible.

Thank you for your attention