# Monte-Carlo studies for TCS: projection of observables and uncertainties 

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## Monte Carlo and kinematic cuts

## Generated kinematic:

- $7.5<\mathrm{E}_{\mathrm{y}}<11 \mathrm{GeV}$, implemented bremsstrahlung spectra with CPS luminosity, circular polarization assumed to be 100\% for present studies. From correlations: . $1<\xi<.45$
- $4<\mathrm{Q}^{\prime 2}<9 \mathrm{GeV}^{2}$,
-. $04<-\mathrm{t}<1.04$
- $40^{\circ}<\theta<140^{\circ}$ max $\rightarrow$ kinematic dependent cut to stay away from BH peaks (cf last presentation)
- $0<\varphi<360^{\circ}$,
- $0<\varphi_{\mathrm{S}}<360^{\circ}$, polarization along $\times\left(\varphi_{\mathrm{s}}=0^{\circ}\right)$, assumed to be $100 \%$ in present studies


## Lab cuts:

- $2^{\circ}<\theta_{\text {lab }}$ (vertex) $<120^{\circ}$,
- $P(p)>.1 \mathrm{GeV}, \mathrm{P}(\mathrm{e}+$ or $\mathrm{e}-)>.2 \mathrm{GeV}$
- Acceptance for current setup $\rightarrow$ cf Vardan's presentation

Events analyzed: \# events 38660000.

- MC error not completly negligible (cf backup), more stat running
- $\mathrm{L}\left(\mathrm{CPS}, \mathrm{E}_{\mathrm{y}}=5.5 \rightarrow 11 \mathrm{GeV}\right)=5.85 \mathrm{e} 5 \mathrm{pb}^{-1} \Rightarrow 3.27 \mathrm{e} 5 \mathrm{pb}^{-1}$ above 7.5 GeV


## Reconstruction:

- P, e+ and e- are detected
- Resolution effects are not included here, reconstructed observables are calculated from generated values


## Choice of binning

Proposed binning for current studies, will be updated after setup optimization and more studies Important for GPDs and target spin asymmetries: thin $\xi$ and $t$ bins
Option for unpolarized cross section and beam spin asymmetry: $\mathrm{Q}^{\prime 2} \rightarrow$ not in presented approach



4 bins in $\xi, Q^{22}\left(\mathrm{GeV}^{2}\right)$
l) $.1<\xi<.13,4<Q^{\prime 2}<4.5$
II). $13<\xi<.16,4<Q^{\prime 2}<5.5$
III). $16<\xi<.22,4<Q^{\prime 2}<7$
IV) $.22<$ \ll $3,3, \quad 4.5<Q^{\prime 2}<9$

## 5 bins in -t ( $\mathrm{GeV}^{2}$ )

1). $04<-t<.1,2$ ) $.1<-t<.17$,
3) $.17<-t<.25,4) .25<t<.4$
5) . $4<-t<.7$

1) $.04<-t<1,2) .1<-t<.17,3) .17<-t<.25,4) .25<t<4$
5). $4<-t<.7$
2) $.17<-t<.254) .25<t<.4$
5). $4<-t<.7$
4). $.25<t<.4$
5). $4<-\beta^{\beta}<.7$



Target spin asymmetry for reference bin vs $\varphi$


## Double spin asymmetry for reference bin vs $\varphi$











Target spin asymmetry in $4 x 5$ kinematic bins vs $\varphi$, for spin along $x$ and $y$

- spin along $x$ stat errors not included
- spin along y (MC error displayed)
- size of TSA has strong dependence with $\varphi S$ and correlation with $\varphi$ and kinematics $\rightarrow$ in other bins, can get larger or smaller
- From .1 to .2 asymmetries: measurable but need bin optimization + proof extraction CFF from fits, in principle duable

x-axis: $\varphi$ (rad) $y$-axis: $\mathrm{A}_{\mathrm{U} \mathrm{\perp}}(\varphi)$ y-labels: $-0.5 \rightarrow+0.5$


## Double spin asymmetry for reference bin vs $\varphi$



## CONCLUSION I TO DO LIST

- Reasonnable statistics and sizeable BSA and TSA: measurement is feasible and will have an impact for CFF $\rightarrow$ for $\operatorname{Im}(H, H, E)$ and $\operatorname{Re}(H)$
- Lower uncertainties compared to other experiments
- This approach is for TCS multiparameter fits, and combination with DVCS. Possibility to divide in $Q^{12}$ bins for NLO

To do:

- include resolution and reconstructed variables
- optimization of current setup + comparision with modified setup at larger angles
- re-optimize binning and cuts ( $\theta$...) to enhance TCS/BH and asymmetries in balance with reasonnable counting rates, resolution, and ( $\xi$, t) bin size
- CFF fits with expected uncertainties


## Backup

more counting rates

$.1<\xi<.13$
( $\mathrm{GeV}^{2}$ )
-t<. 1

$.13<\xi<.16$



.4<-t
$<.7$


Generated statistics vs $\varphi$ before acceptance, with cuts in $(\theta, \varphi)$

A $\sim 3$ to $5 \%$

$.22<\xi<.3$


Expected statistic in $\varphi$ and $\varphi$ S bins for reference bin in kinematic



BH peaks in yellow, mostly out of acceptance (small Өlab for one lepton, low momentum for the other one) $\rightarrow$ cut as a function of $\left(E, Q^{\prime 2}, t\right)$

2 figs on right: $\theta$ max cut, all what is above is rejected in case $\varphi=0 \pm 30^{\circ}$ or $\varphi=180^{\circ} \pm 30^{\circ}$

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