

# TCS Trigger

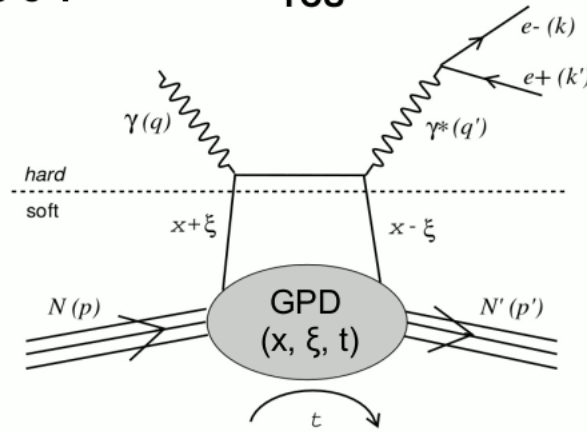
TCS signals from calorimeters  
Beam background rates

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02/12/2021

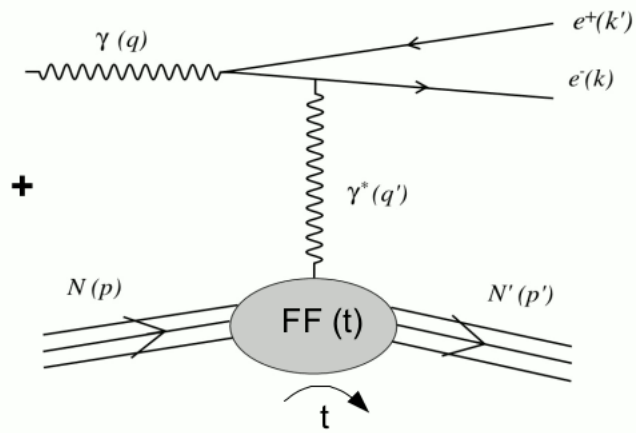
# Physics goals

$$\gamma P \rightarrow e^+ e^- P' =$$

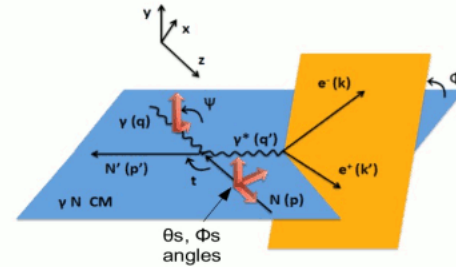
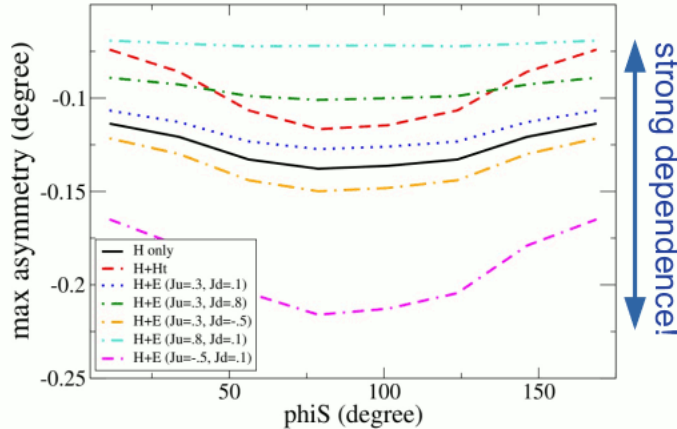
TCS



Bethe-Heitler



Sin( $\phi$ ) moment of transverse spin asymmetry vs  $\phi_S$ ,  
Dependence in GPD E and  $J^{u,d}$  (VGG model)

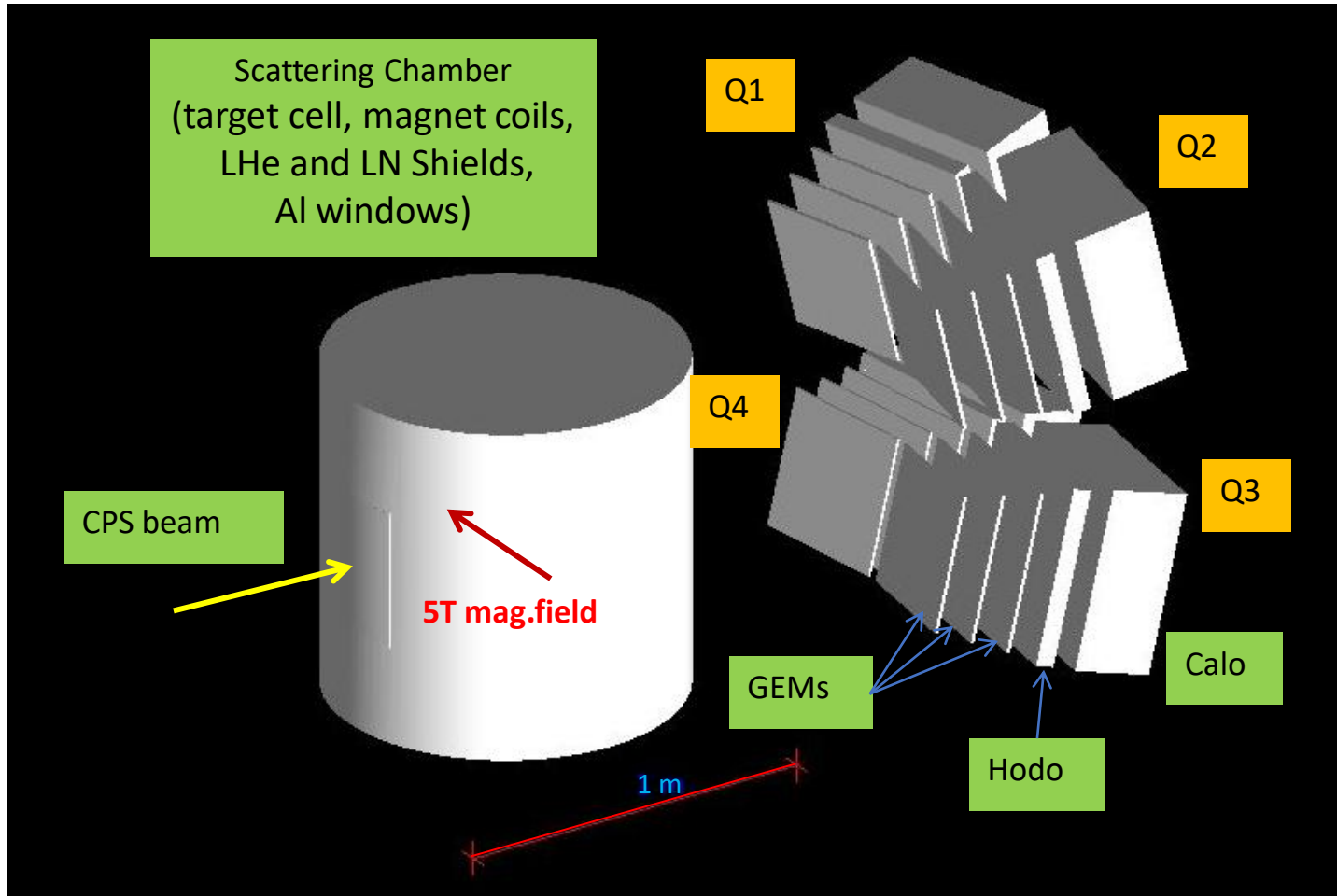


**TSA as a function of  $\phi$  and  $\phi_S$**

- Sensitive to Im(interference), BH cancels
- Strong dependence in angular momenta, Sensitivity to GPD E (also to H, Ht)

## Proposed TCS setup

$$\gamma + p \rightarrow \gamma^* (e^+ + e^-) + p'$$



- Detect  $e^+$ ,  $e^-$ , recoil  $p'$  in coincidence
- UVA/Jlab  $\text{NH}_3$  target, transversely polarized
- Detectors arranged in 4 quarters, oriented to target
- Triple-GEMs for  $e^+$ ,  $e^-$ ,  $p$  tracking
- Hodoscopes for recoil proton detection/PID
- $\text{PbWO}_4$  calorimeters for  $e^+$ ,  $e^-$  detection/PID

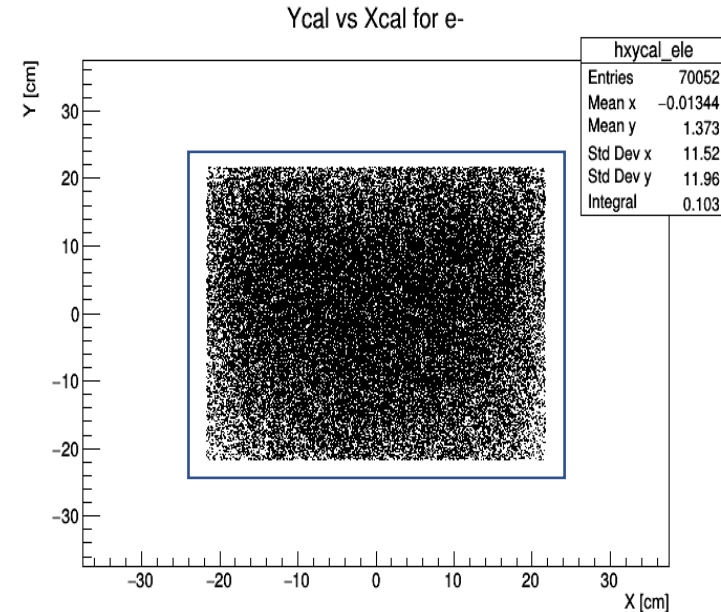
# TCS event sampling and analysis

## TCS event generation:

- From DEEPGen generator
- Sampling phase space:
  - 1)  $5.5 \text{ GeV} < E_\gamma < 11 \text{ GeV}$  (Bremsstrahlung spectrum)
  - 2)  $4 \text{ GeV}^2 < Q^2 < 9 \text{ GeV}^2$
  - 3)  $0 \text{ GeV}^2 < -t < 1 \text{ GeV}^2$

## Selection and analysis of TCS events:

- Select e+, e- tracks within acceptance of a quadrant (passing through GEMs and hitting calorimeter);
- Select recoil proton within acceptance of a quadrant (passing through GEMs);
- Select the e-, e+ tracks inside calorimeter (inside of the outer rim of 1 module width ( $\sim 20\text{mm}$ , 1 Moliere radius);
- Calculate energy depositions in the calorimeters from e+, e-.



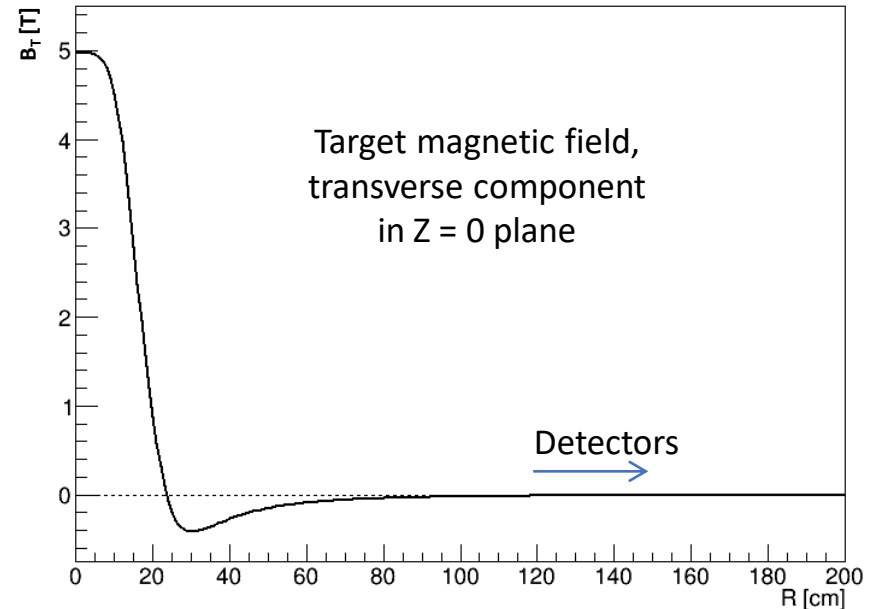
# Beam background simulations

## CPS beam

- 2 mm rastered collinear bremsstrahlung photon beam ,  $E_{\text{MAX}} = 11 \text{ GeV}$
- Energy range: 10 MeV -- 11 GeV
- Intensity:  $2 \times 10^{13} \text{ } \gamma/\text{s}$

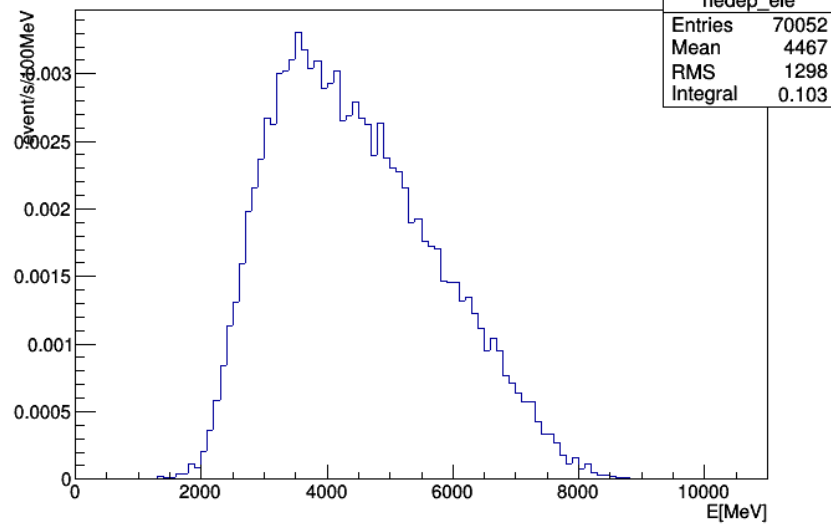
## Target assembly

- 3 cm diam., 3 cm long target cell of 0.9 mm thick Kel-F ( $\text{C}_2\text{ClF}_3$ ,  $\rho = 2.13 \text{ g/cm}^3$ )
- 0.7 mil Al cell entrance and exit windows
- Ammonia in LHe (at  $\sim 4^\circ\text{K}$ ), 0.6 packing fraction
- Scattering Chamber with 20 mil Al windows
- Magnet coils, LHe and LN Shields
- Chamber & magnet rotated  $90^\circ$
- Transverse magnetic field, 5T at center

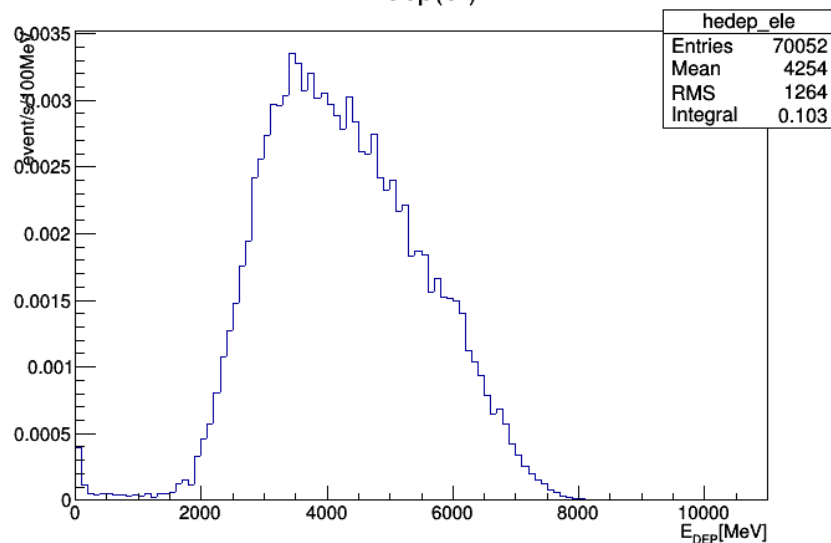


## TCS events

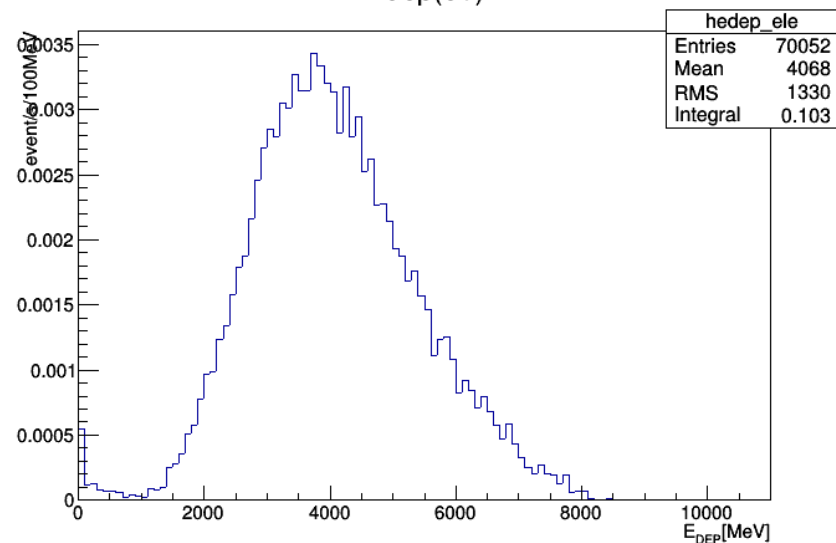
E(e-) at vertex



Edep(e-)

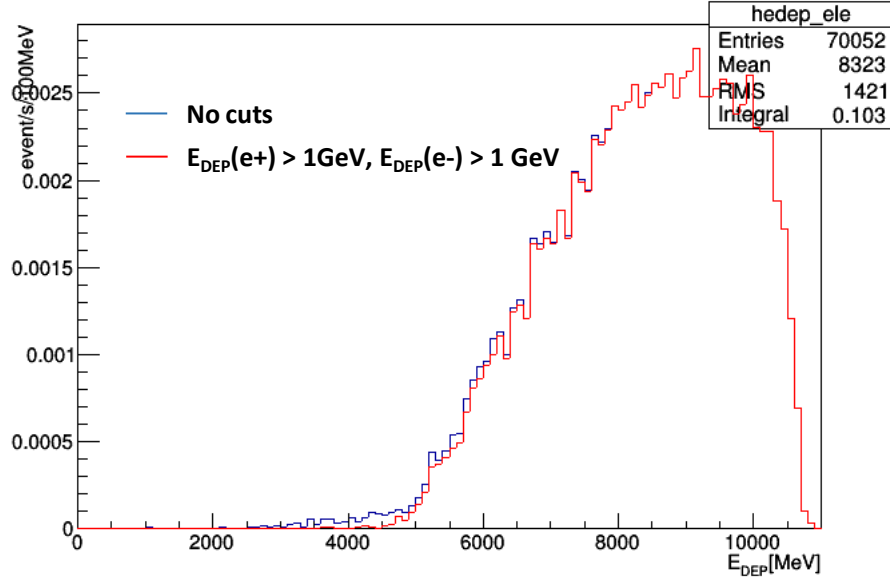


Edep(e+)

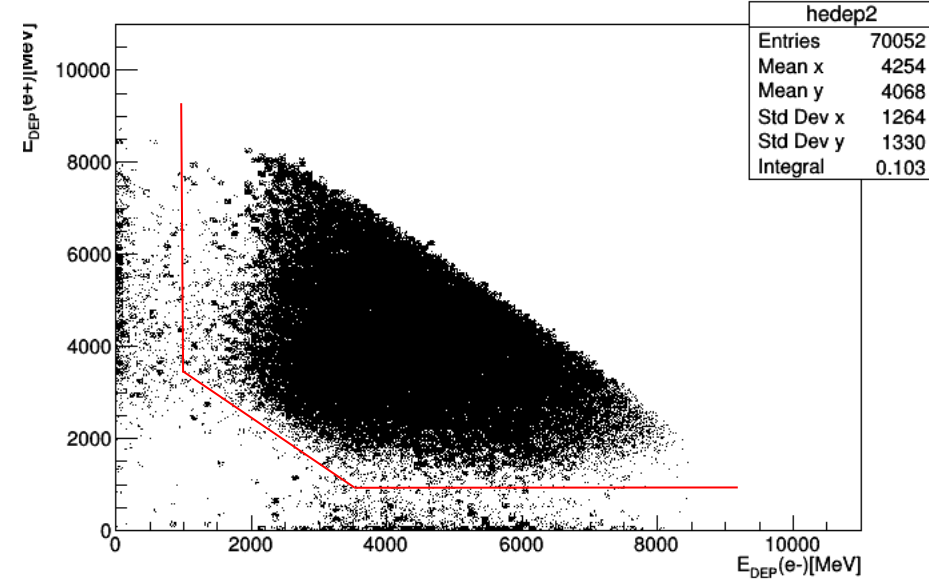


# TCS events

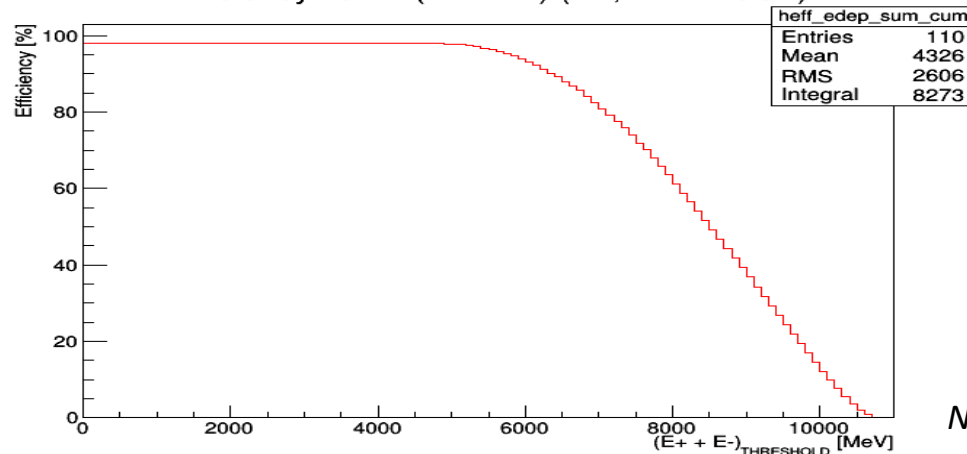
Edep(e+) + Edep(e-)



Edep(e+) vs Edep(e-)



Efficiency vs Thr( $E+ + E-$ ) ( $E+, E- > 1\text{ GeV}$ )

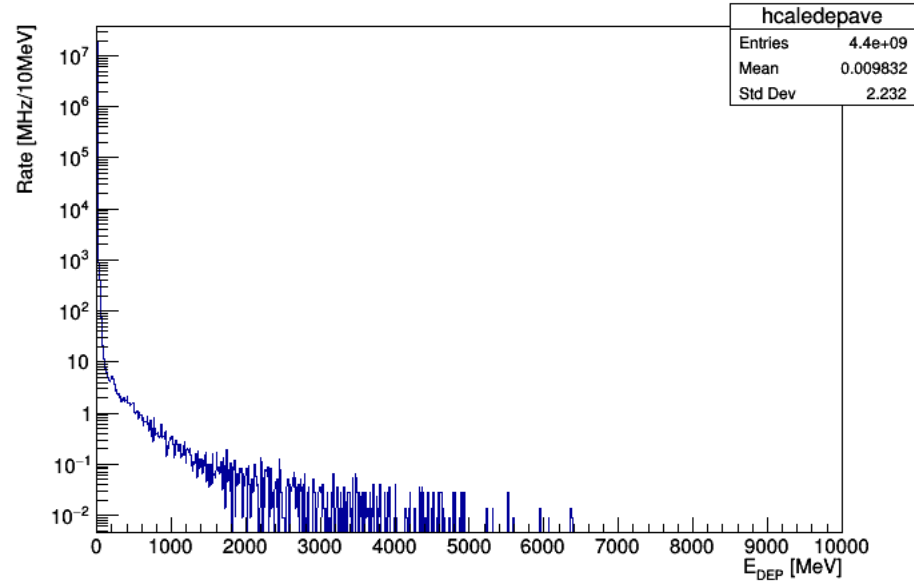


$E_{\text{DEP}}(e-), E_{\text{DEP}}(e+)$ thr.[GeV]	$E_{\text{DEP}}(e-) + E_{\text{DEP}}(e+)$ thr.[GeV]	Efficiency [%]
1.	5.	$97.7 \pm 0.1$
1.5	5.	$97.1 \pm 0.1$
1.	4.5	$98.0 \pm 0.1$

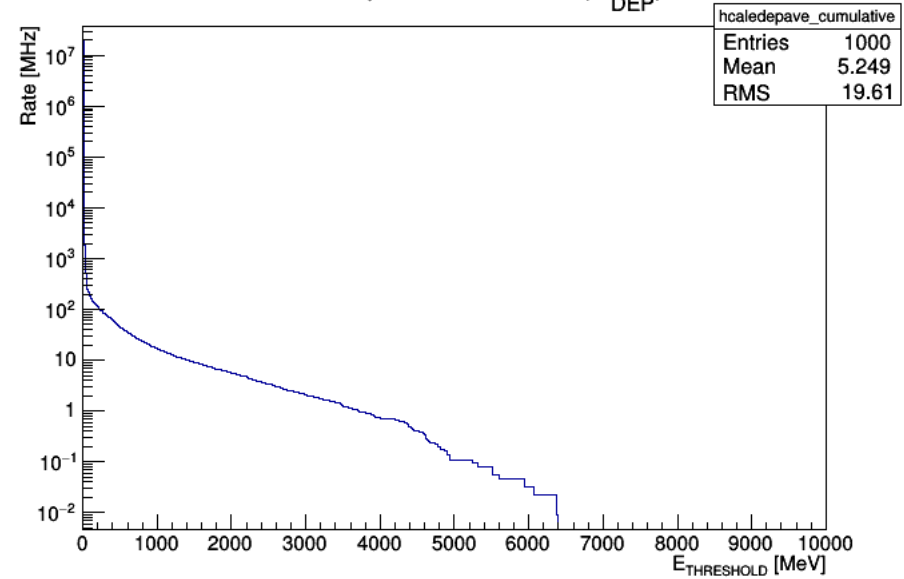
Note:  $e^-$  &  $e^+$  tracks in opposite quadrants in  $\sim 99.5\%$  of cases.

# Beam background

Differential rate in quadrant



Rate in quadrant vs Thr( $E_{\text{DEP}}$ )

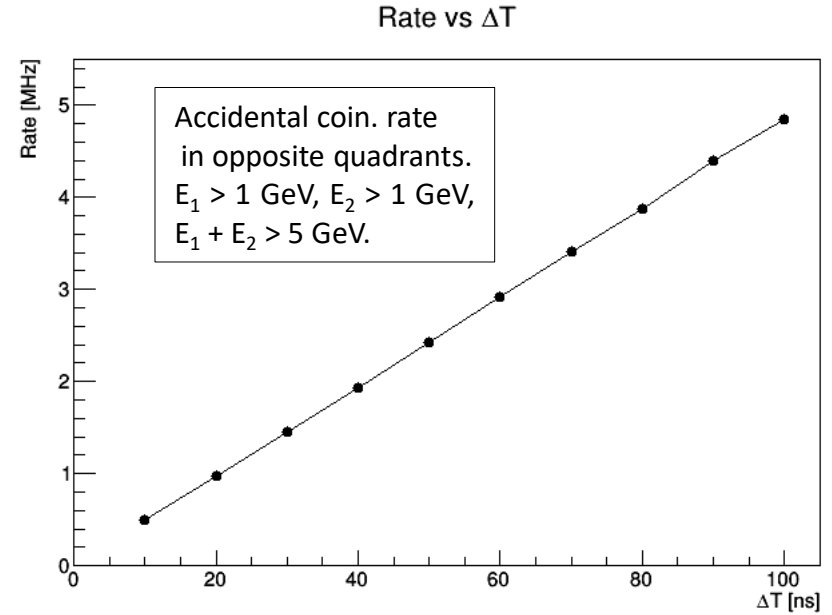
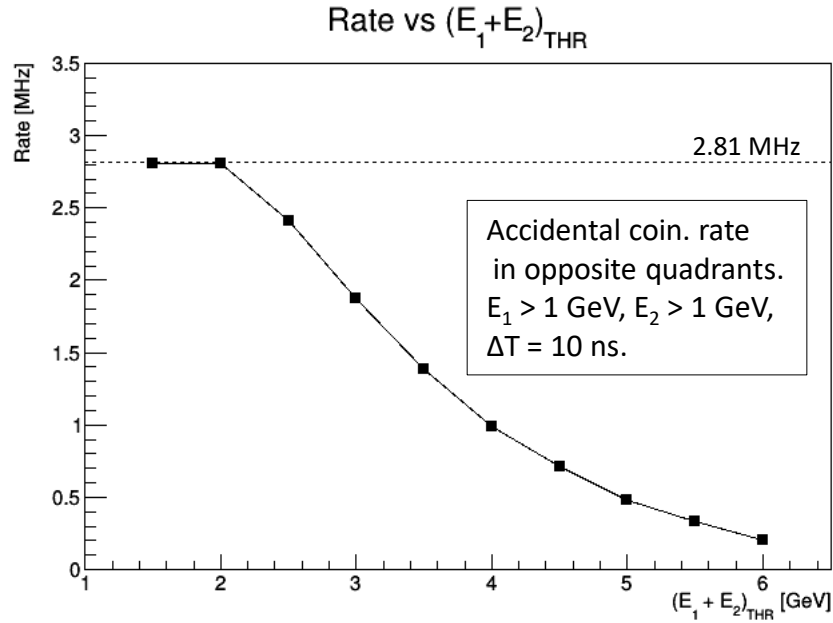


*Rate  $\sim 17$  MHz in a quadrant for  $E_{\text{dep}} > 1$  GeV.*

*Accidental coincidence rate in opposite quadrants for  $\Delta T=10\text{ns}$ :  $16.77 \cdot 10^6 \times 16.77 \cdot 10^6 \times 10 \cdot 10^{-9} = \mathbf{2.81 \text{ MHz}}$*

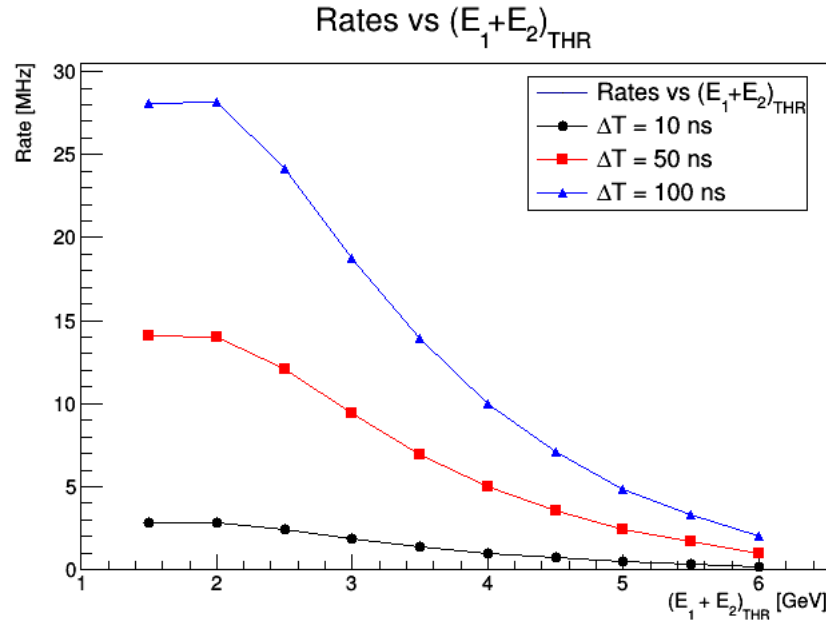


# Beam background



Accidental coincidence rates in opposite quadrants, for  $E_1 > 1 \text{ GeV}$ ,  $E_2 > 1 \text{ GeV}$ .

# Beam background



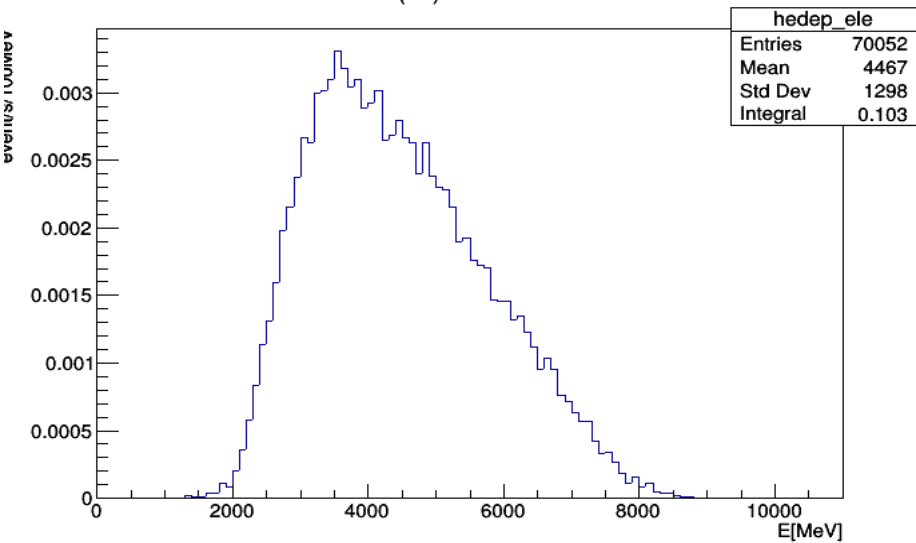
Accidental coincidence rates in opposite quadrants for  $E_1 > 1$  GeV,  $E_2 > 1$  GeV. Rate reduction by several times due to cut on the summed deposited energy at  $\sim 5$  GeV.

## Conclusion

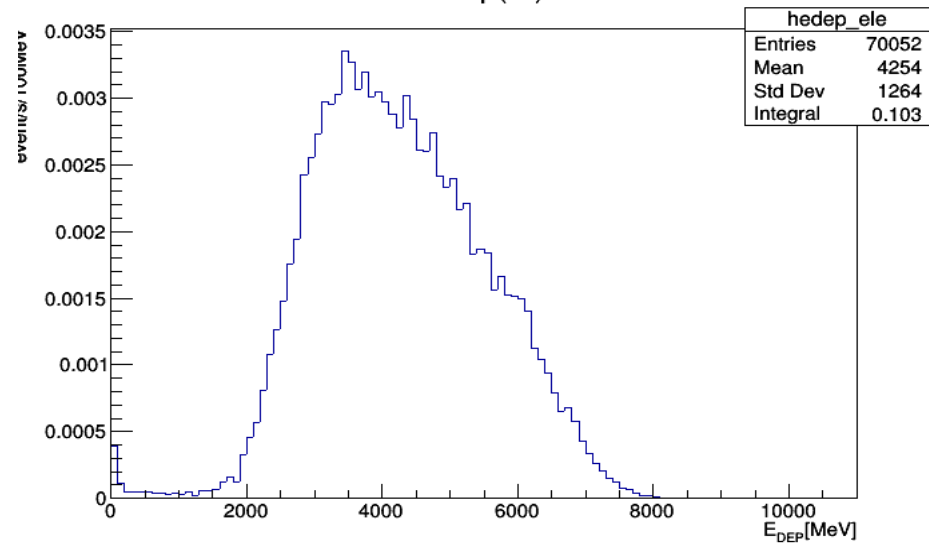
- For TCS events, e- and e+ tracks are in opposite quadrants in ~99.5% of cases.
- For TCS events,  $E_1 > 1\text{GeV}$ ,  $E_2 > 1\text{GeV}$ ,  $E_1 + E_2 > 5\text{GeV}$  cuts are ~98% efficient.
- Accidental coincidence rate in opposite quadrants from beam background is ~2.8 MHz, for time window  $\Delta T = 10\text{ ns}$  and  $E_1 > 1\text{GeV}$ ,  $E_2 > 1\text{GeV}$ , linear in  $\Delta T$ .
- The accidentals can be reduced by 5 – 6 times with  $E_1 + E_2 > 5\text{GeV}$  cut implementation.
- Note: estimates are for full quadrants. Significant reduction of the accidental rates is expected with elimination of the “hot” channels in the calorimeters.

Backup slides

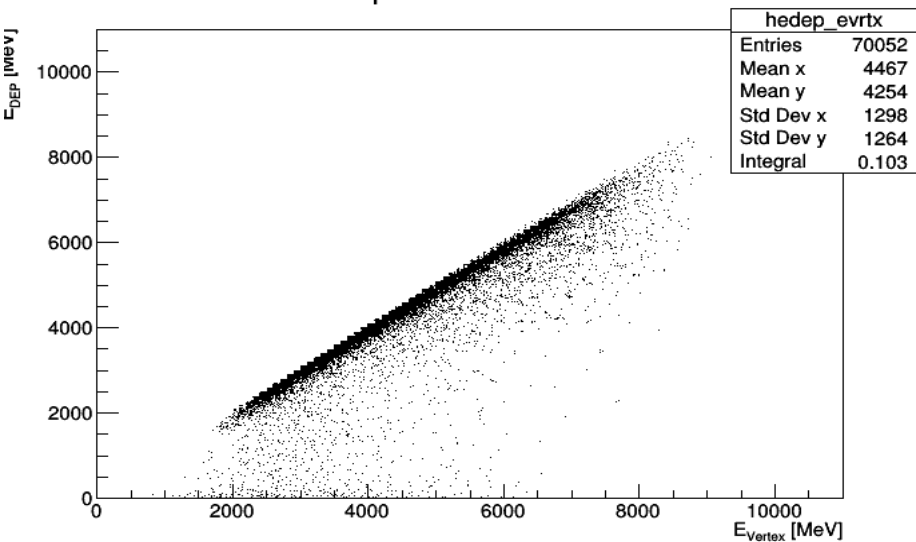
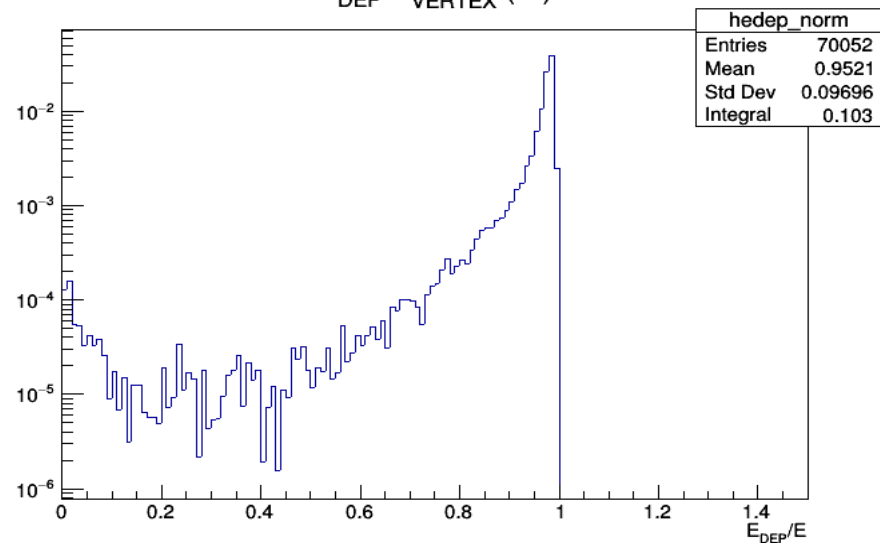
E(e-) at vertex



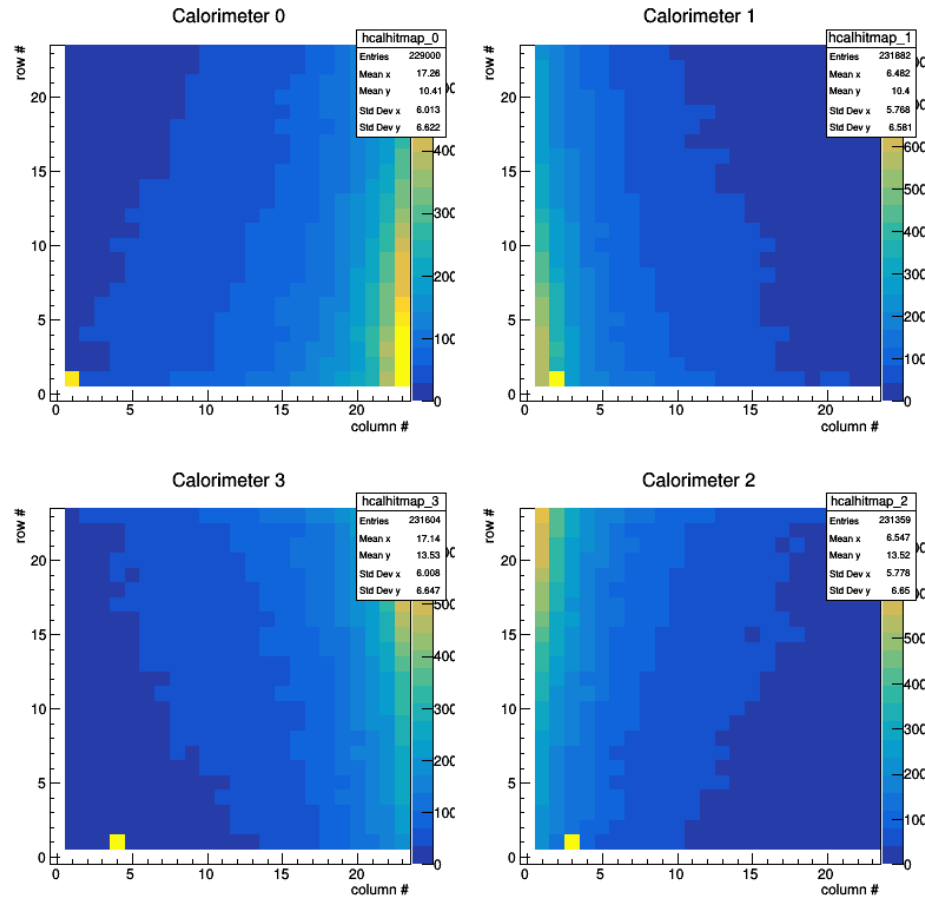
Edep(e-)



Edep vs Evertex for e-

 $E_{\text{DEP}}/E_{\text{VERTEX}} (e-)$ 

Background events, UVA trans. pol. target, Edep > 0 MeV, rates [MHz]



Beam background hit pattern in the calorimeters.

## Material before the calorimeters

Item	Material	Density[g/cm <sup>3</sup> ]	Rad.Length[cm]	Thickness[cm]	Thick./RadL[%]
Half of target	NH <sub>3</sub> , LHe	0.5482	78.685	1.5	1.906
Target end cap	Al	2.7	8.893	0.001778	0.020
LHe shield	Al	2.7	8.893	0.00381	0.043
LN2 scr. Window	Al	2.7	8.893	0.00381	0.043
Scat. Cham. window	Al	2.7	8.893	0.0508	0.571
GEMs (3 layers)					
Hodoscope	Polystyrene	1.06	41.313	5.	12.103
Case window	Al	2.7	8.893	0.1	1.124
Air		0.00129	28511.3	~100.	~0.351
Total					16.161

*GEMs thick./RL is expected to be small.*

## Calculation of accidental coincidence rate in opposite quadrants

Take rate  $R_1$  for  $E_{\text{THR}} > 1$  GeV in a quadrant from cumulative distribution (16.8 MHz)

Calculate average number of events in time interval  $\Delta T$ :  $N_{\text{ave}} = R \times \Delta T$  (0.17 for  $\Delta T=10\text{ns}$ )

For each event:

Sample  $E_1 > 1$  GeV in a quadrant (from cumulative distribution);

Sample number of hits in the opposite quadrant  $N_2$ , from Poisson distribution for  $N_{\text{ave}}$

$N_{\text{coin}} = 0$

For each hit in 2-nd quadrant:

Sample  $E_2 > 1$  GeV (from cumulative distribution)

If  $(E_1 + E_2 > 5 \text{ GeV})$   $N_{\text{coin}}++$

End:

$F = N_{\text{coin}}/N_{\text{events}}$

$R_{\text{coin}} = R_1 \times F$

