

Simulation and Reconstruction of  $K_L^+p \rightarrow K_s^+p$  and  $K_L^+p \rightarrow K^++n$ using GlueX tracker and KLF software.

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### Outlook

- 1. Simulated Detector performance: examples dE/dx vs momentum etc.
- 2. Reconstruction of  $K_L^+ p$  and  $K^+ + n$  final states  $K_L^+ p \rightarrow K_s^- + p$  at **low /high** beam momenta  $K_L^+ p \rightarrow K^+ + n$  at **low/high** beam momenta
- 3. Background from other halls.
- 4. Conclusion



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Identification of final particles. K_L^+p \rightarrow K_s^+p and K_L^+p \rightarrow K^++n
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Hadronic decays, lifetimes, and detector dimensions.

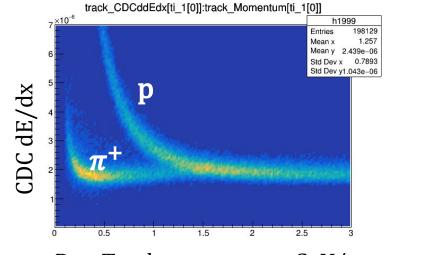
K<sub>s</sub>→ $\pi^+\pi^-$  69.2% c $\tau$  = 2.9 cm => decays mostly inside LH2 target and close to it. → $\pi^0\pi^0$  30.7%

K<sup>+</sup>→  $\pi^{+}\pi^{+}\pi^{-}$  5.6 % c $\tau$  =371.2 cm =>K<sup>+</sup> almost "stable" within the LH2 Target and CDC. →  $\pi^{+}\pi^{0}$  20.7 %

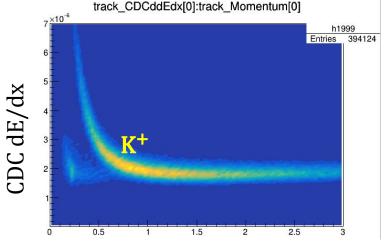
- $K_s + p$  reconstruction: via  $\pi^+\pi^-$  tracks;  $EM(\pi^+\pi^-)$  for  $K_s$  and  $MM(\pi^+\pi^-)$  for proton.
- K<sup>+</sup>+n reconstruction: via K<sup>+</sup>-track and **MM(K<sup>+</sup>)** for neutron.
- Using dE/dx in CDC.



# Example. dE/dx in CDC of Gluex Detector .vs. particle momentum for $K_L^+ p \rightarrow K_s^+ p$ and $K_L^+ p \rightarrow K^+ + n$



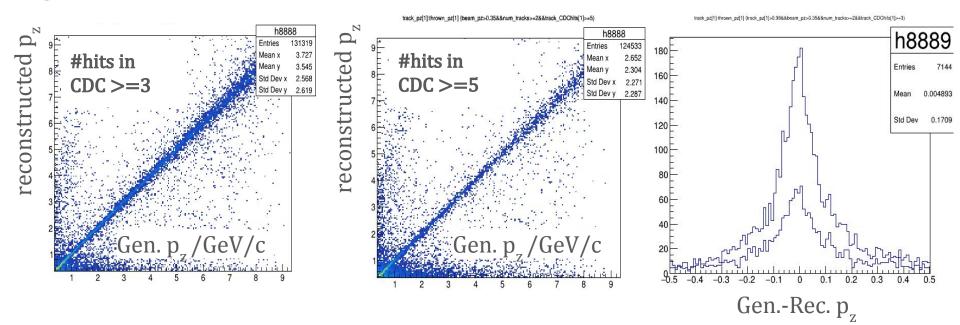
Rec. Track momentum, GeV/c



Rec. Track momentum, GeV/c

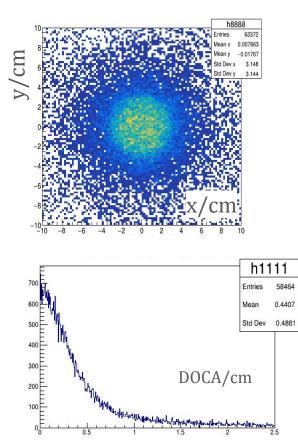
• Good separation of pions below  $\sim 1.4$  GeV/c and  $\sim 0.7$  GeV/c for K<sup>+</sup>.

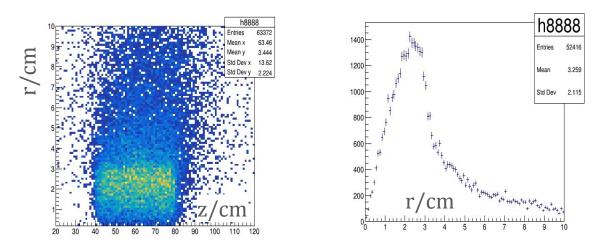
## Example. Generated .vs. Reconstructed momenta in $K_L^+ p \rightarrow K_s^-(\pi^+\pi^-) + p$ .



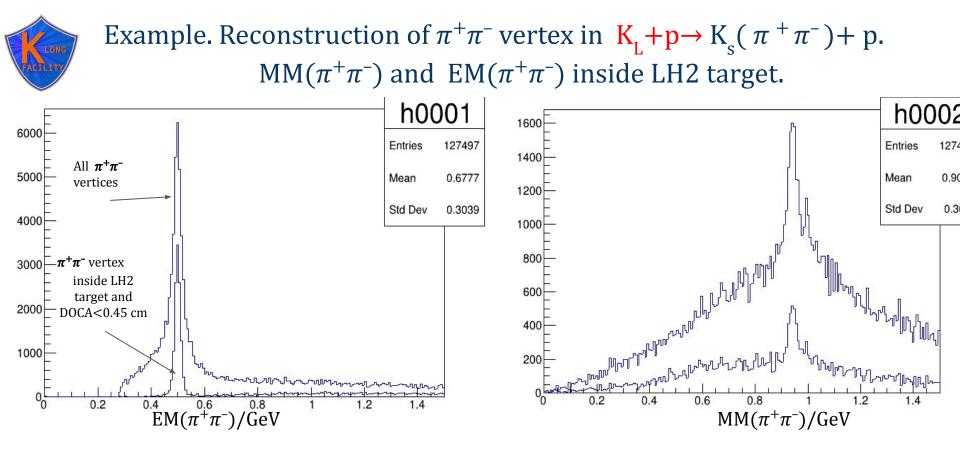
• Good reconstruction at all generated momenta.

# Example. Reconstruction of $\pi^+\pi^-$ vertex for $K_L^+ p \rightarrow K_s^-(\pi^+\pi^-) + p$ .



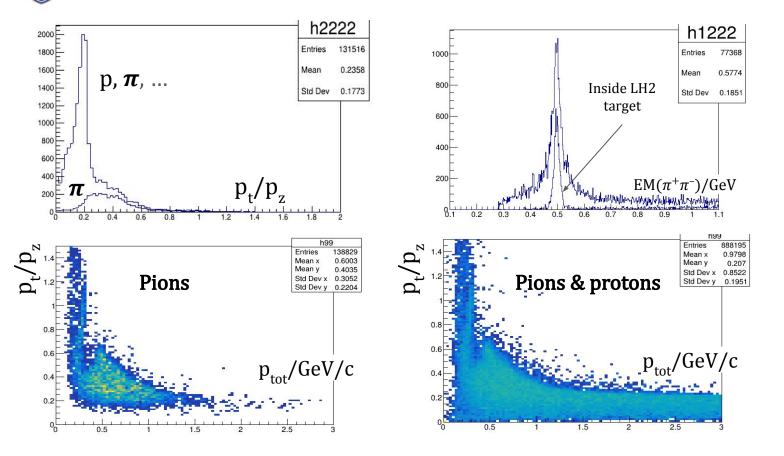


- LH2 target sized in cm as  $r \times z = 3$  cm  $\times 40$  cm.
- LH2 target is well reproduced by the  $\pi^+ \pi^-$  vertex coordinates.
- Diffuse area around r=3 cm is of 1 cm (=>sigma ~0.25 cm).
- Long exponential r-tail is due to  $K_s$  lifetime (c $\tau$ =2.9 cm)



• EM( $\pi^+\pi^-$ ) resolution is obviously better inside the LH2 target while the background is significantly lower.

# Example. Angular distribution of $\pi^+$ , $\pi^-$ , and p. $K_L^+ p \rightarrow K_s^-(\pi^+\pi^-) + p$ .

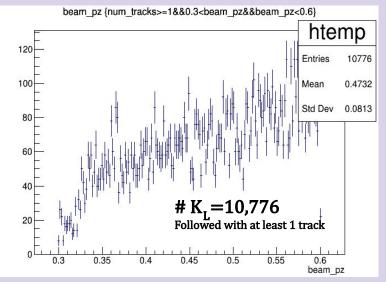




# Reconstruction of $K_L^+ p \rightarrow K_s^-(\pi^+\pi^-) + p$ at $K_L^-$ momentum (0.3,0.6) GeV/c. Effect of $\pi^+\pi^-$ vertex.

#### Hadronic decays and lifetimes

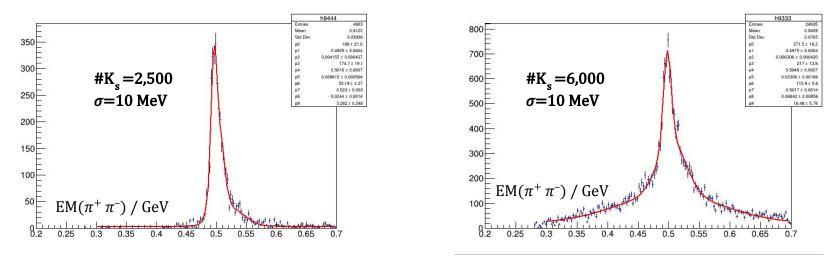
$$K_{s} \rightarrow \pi^{+} \pi^{-}$$
 69.2 %  $c\tau = 2.9 \text{ cm}$   
 $\rightarrow \pi^{0} \pi^{0}$  30.7 %



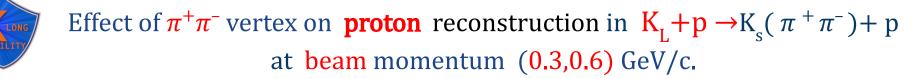


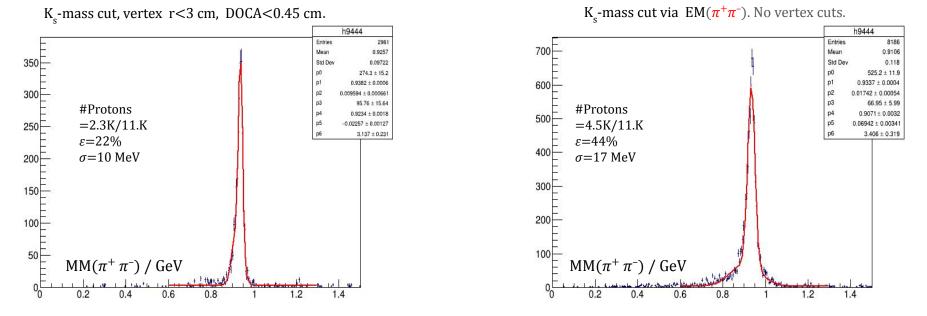
# Effect of vertex on $K_s(\pi^+\pi^-)$ reconstruction in $K_L^+ p \to K_s(\pi^+\pi^-) + p$ at $K_L$ momentum (0.3,0.6) GeV/c.

#### Inside LH2 target r<3 cm , DOCA<0.45 cm



- With **vertex cuts** (left) Rec. Eff.  $\sim 25\%$  (=2500/11000), while the sensitivity (=peak/pedestal) =  $\sim 100$ .
- No cuts (right)  $\sim 50\%$  (=6000/11000); the sensitivity  $\sim 10$  times lower.

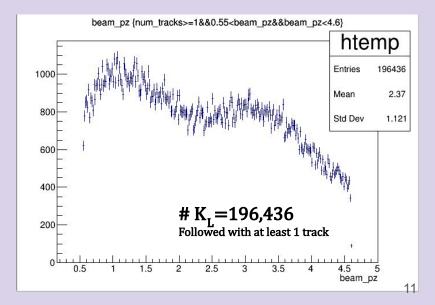




- Inside LH2 reconstruction efficiency of proton drops from ~44% to ~22%.
- Little change of the background, but better MM resolution.

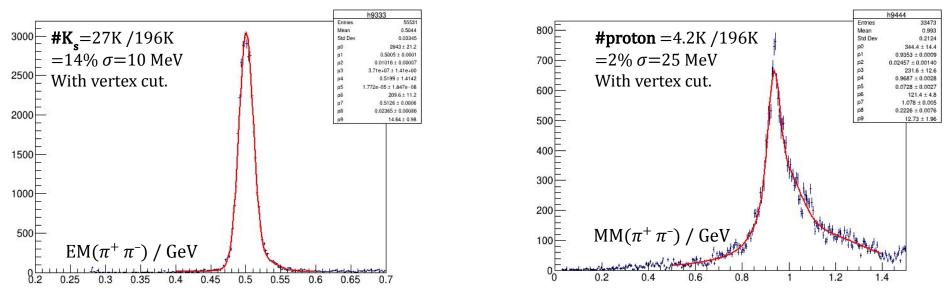


# Effect of $\pi^+\pi^-(K_s)$ vertex reconstruction $K_L^+p \rightarrow K_s^-(\pi^+\pi^-)^+p$ at hig $K_L^-$ beam momenta (0.55,4.55) GeV/c.





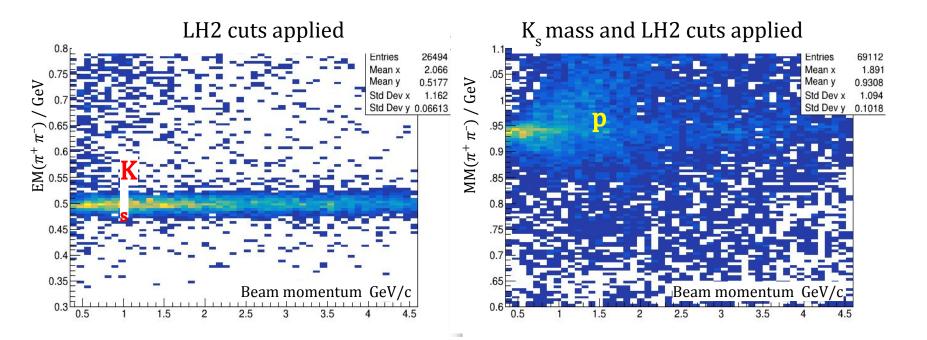
### Reconstruction of $K_s$ and p in $K_L + p \rightarrow K_s + p$ at $K_L$ momentum (0.55,4.55) GeV/c. Vertex cuts.



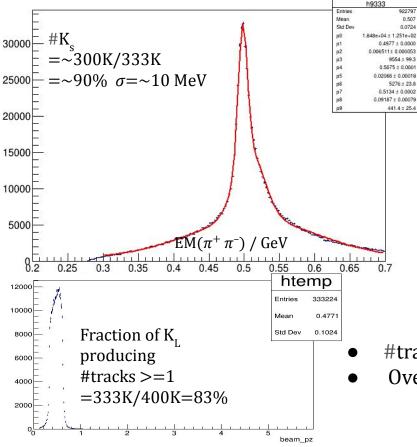
• In wide domain of beam momentum Reconstruction Efficiencies are ~14% for  $K_s$  and ~2% for protons.

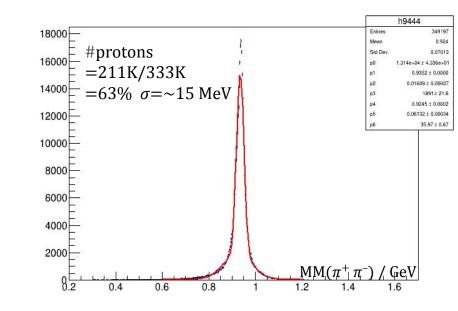


Reconstruction of  $K_s$  and p in  $K_L + p \rightarrow K_s + p$  at  $K_L$  momentum (0.35,4.55) GeV/c. Effective and Missing mass of  $\pi^+\pi^-$  pairs vs beam momentum.



### Reconstruction of **proton** in $K_L^+ p \rightarrow K_s(\pi^+\pi^-) + p$ at generated $K_L^-$ energy (0.1,0.3) **GeV**





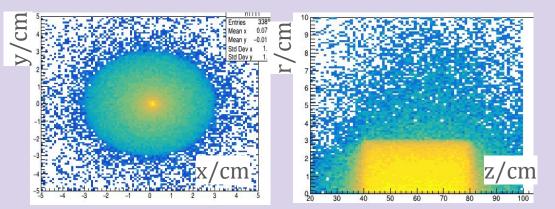
#tracks>=1 &  $|EM(\pi^+\pi^-)-m_K| < 20$  MeV. No vertex cuts . Overall Rec. Efficiency =  $0.83*0.63 = \sim 53\%$  for protons and  $\sim 75\%$  for K<sub>s</sub>

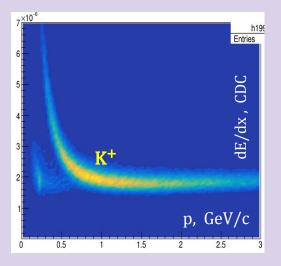


# Reconstruction of $K_s + n$ state in $K_L + p \rightarrow K^+ + n$ at $K_L$ momentum (0.35,0.55) GeV/c.

Hadronic decay

K<sup>+</sup>→  $\pi^{+}\pi^{+}\pi^{-}$  5.6 % c $\tau$  =371.2 cm ("stable") →  $\pi^{+}\pi^{0}$  20.7 %

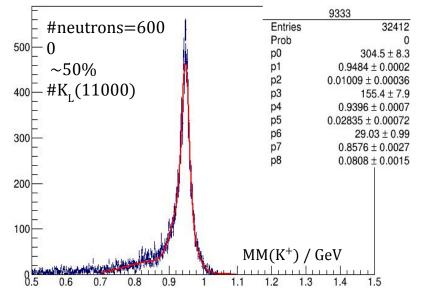




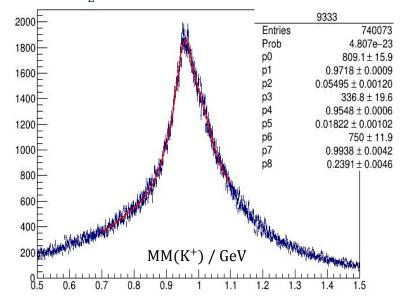
# LONG

### Reconstruction of neutron in $K_L + p \rightarrow K^+ + n$ with vertex cuts.

#### K<sub>L</sub> momentum (0.35,0.55) GeV/c



#### K<sub>L</sub> momentum (0.55,4.55) GeV/c



• Reconstruction efficiency of neutrons  $\sim 50\%$ .

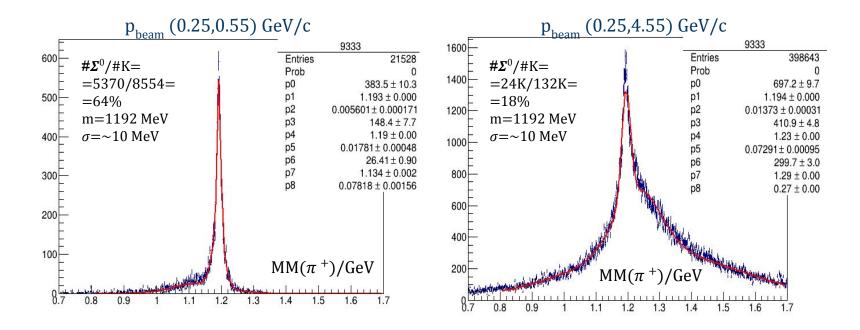


# Backgrounds to $K_L + p \rightarrow K^+ + n$

(1) 
$$\mathbf{K}_{\mathbf{L}} + \mathbf{p} \rightarrow \pi^{+} + \boldsymbol{\Sigma}^{0}(\boldsymbol{\Lambda}); \quad \mathbf{p}_{\text{Kaon}} > 0$$

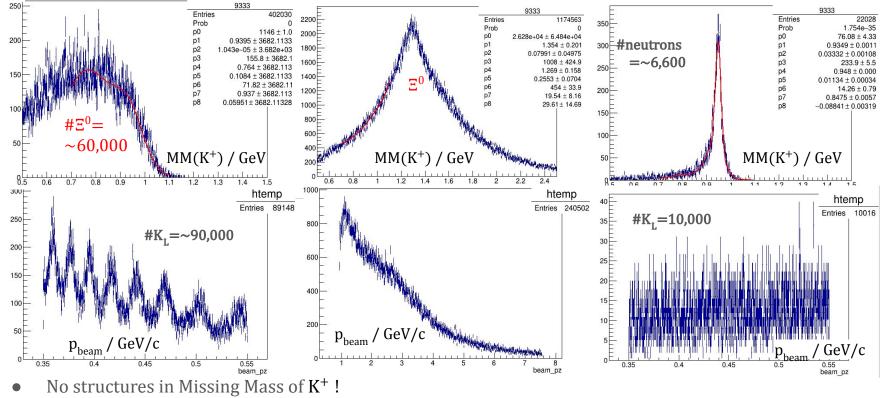
- (2)  $\mathbf{n} + \mathbf{p} \rightarrow \mathbf{K}_{s} + \boldsymbol{\Sigma}^{+} + \mathbf{n}$ ;  $\mathbf{p}_{neutron} > 2.6 \text{ GeV/c} => \text{low n-flux.}$
- (3) Beam leak from other halls and reconstruction of  $K_L + p \rightarrow K^+ + n$

# Background reaction $K_L^+ p \rightarrow \pi^+ + \Sigma^0$



• Well separated from proton and neutron MM peaks at low beam momenta.

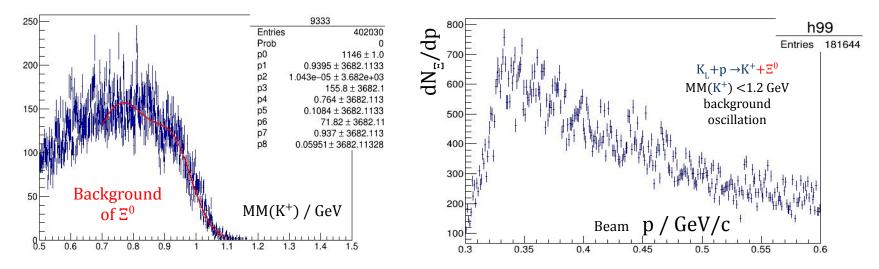
# $K_L$ +p→K<sup>+</sup>+ $\Xi^0$ at 0.35<p<sub>K</sub><0.55 GeV/c. Missing Mass of K<sup>+</sup> and beam leak from other halls (left) vs normal Hall D beam (right)



- At  $p_{\text{beam}} = 0.45 \text{ GeV/c}$  the "leak" / "beam" ratio =  $\sim 100/10 = \sim 10$ ; we expect  $\sim 2$  (factor 5).
- The ratio of neutron\_peak to leak of " $\Xi^{0}$ " =~300/75=~4; we expect ~5\*4=20, i.e. ~**5% background.**



## $K_L + p \rightarrow K^+ + \Xi^0$ . Background oscillation caused by beam leak.



• The background part shows oscillations (10% amplitude) due to beam leak.

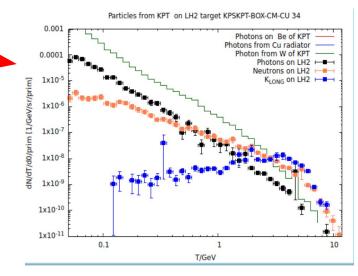


### What to do with beam leak background?

1. FLUKA shows that **minum energy of K**<sub>L</sub> at LH2 target T=0.1 GeV. =>  $K_L$  momentum  $p_K = 0.33$  GeV/c =>  $\beta_K = p_K / (T+m_K) = 0.33 / 0.597 = 0.554$ TOF<sub>K</sub>=2400[cm]/(30[cm/ns]\*0.554)=**144 ns** 

 $TOF_{\gamma} = 2400[cm]/(30[cm/ns]*1.000) = 80 ns$ 

- 2. The difference  $\text{TOF}_{K}$   $\text{TOF}_{\gamma} = 64 \text{ ns}$ , therefore all **beam** K<sub>L</sub>'s with p>0.33 GeV/c do fit into (0,64) ns interval!
- Provided 128 ns between bunches the following (64,128) ns interval is filled by beam leak only. Therefore this interval may be used to permanently measure /subtract the background.





## Conclusion

Final state (FS)	#FS/#K <sub>L</sub> / Resol.	#FS/#K <sub>L</sub> / Resol.
K <sub>L</sub> beam mom.	0.3-0.6 GeV/c	0.5-5.0 GeV/c
$\rightarrow K_{s} + \dots$	53 % / 10 MeV	14 % / 20 MeV
$\rightarrow K_{s}+p$	44 % / 20 MeV	2 % / 25 MeV
$\rightarrow$ K <sup>+</sup> +n	50 % / 15 MeV	6 % / 50 MeV
$\rightarrow \pi^+ + \Sigma^0$	64 % / 10 MeV	18 % / 15 MeV

π+π-

- GlueX CDC is an **ideal detector** at  $K_{L}$  beam momentum (0.3, 0.6) GeV/c.
- Overage **reconstruction efficiency**  $\sim 50\%$  in this region.
- Advantage of  $K_L^+ p \to K_s(\pi^+\pi^-) + p$  is that it has **3 charged particles** of low momenta, hence better **resolution** and **vertex** localisation; good cross check for  $K_L^+ p \to K^+ + n$ .
- **Beam leak** background **does not create problems** for neutron rec. via MM(K<sup>+</sup>).