



$K\pi$ -production using LASS parametrization

Marouen Baalouch

K π -Production

- Use K π -production of LASS (Nuclear Physics B133 (1978) 490-524) to study the K π final state in the reaction KL p \rightarrow KS π n w/ assuming that the cross-section is similar to the cross-section of the charged kaon reaction K p \rightarrow K π n.
- The t-dependent parametrization of the naturality amplitude L_λ^{+-} for the production of a K π state of invariant mass $m_{K\pi}$, center-of-mass momentum q, angular momentum L, and t-channel helicity λ , by natural (+) and unnatural (-) parity exchange:

$$L_0^+ = \frac{\sqrt{-t}}{m_\pi^2 - t} G_{K\pi}^L(m_{K\pi}, t), \quad L_1^- = \sqrt{\frac{1}{2} L(L+1)} G_{K\pi}^L(m_{K\pi}, t) \gamma_c(m_{K\pi}) \exp(b_c(m_{K\pi})(t - m_\pi^2))$$

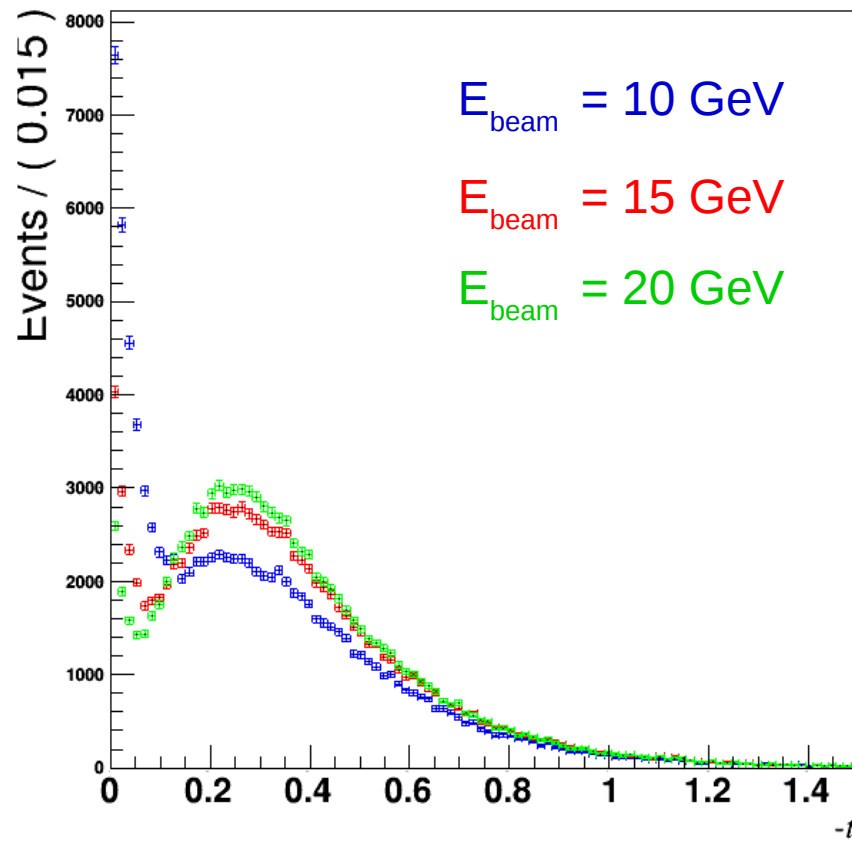
$$L_1^+ = \sqrt{\frac{1}{2} L(L+1)} G_{K\pi}^L(m_{K\pi}, t) [\gamma_c(m_{K\pi}) \exp(b_c(m_{K\pi})(t - m_\pi^2)) - 2i \gamma_a(m_{K\pi}) \exp(b_a(m_{K\pi})|t'|)(t - m_\pi^2)]$$

$$L_\lambda^{+-} = 0, \quad \lambda \geq 2 .$$

$$G_{K\pi}^L(m_{K\pi}, t) = N \frac{m_{K\pi}}{\sqrt{q}} a_L(m_{K\pi}) \exp(b_L(m_{K\pi})(t - m_\pi^2)), \quad a_L^I = \sqrt{(2L+1)} \epsilon^I \sin \delta_L^I e^{\delta_L^I}$$

$K\pi$ -Production

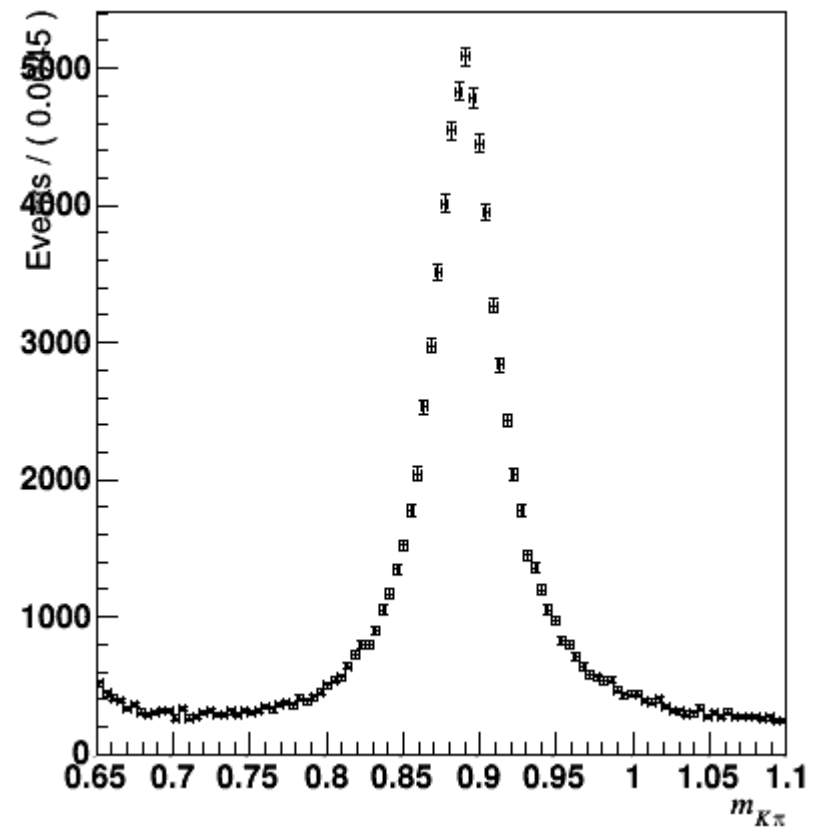
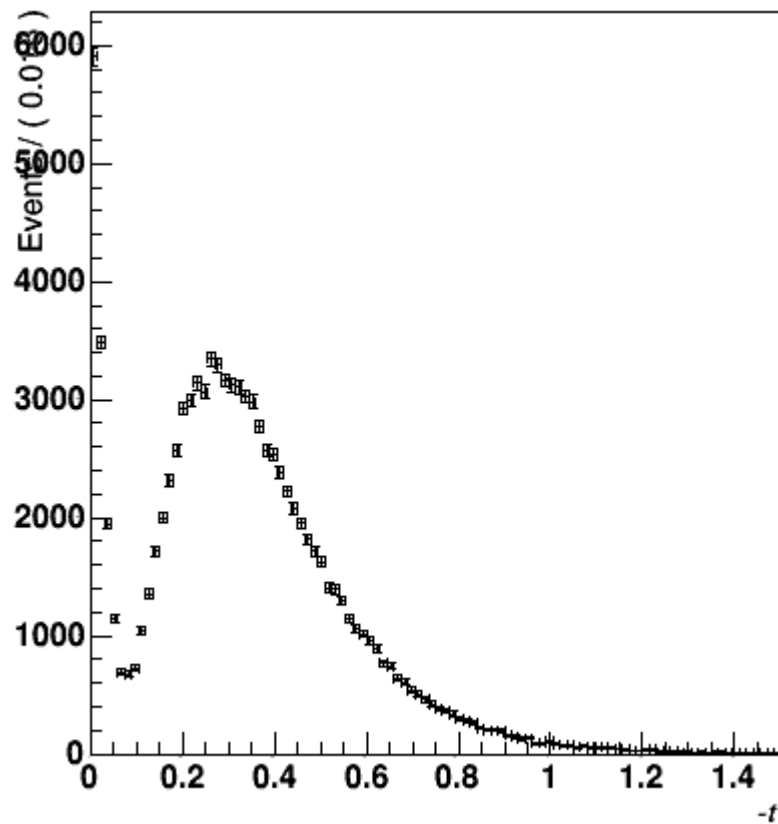
- Generator Update: $\text{RooGenKpi}(-t, m_{\text{kpi}}) \rightarrow \text{RooGenKpi}(-t, m_{\text{kpi}}, E_{\text{beam}})$
- $t' = t - t_0$, $t_0 = f(s, m_i, p_i)$, $s = f(E_{\text{beam}}, m_i)$.



$K\pi$ -Production

- Including $K^*(800)$:

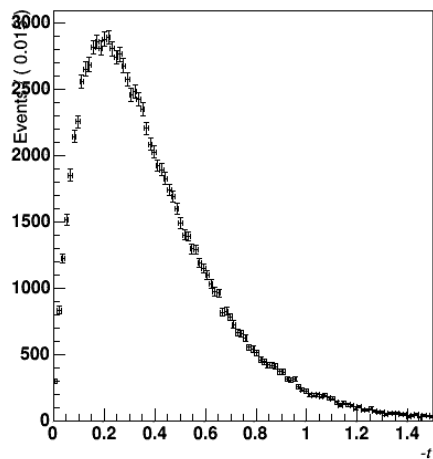
→ Mass and width from the PDG: $m = 0.682 \text{ GeV}$, $\Gamma = 0.547 \text{ GeV}$



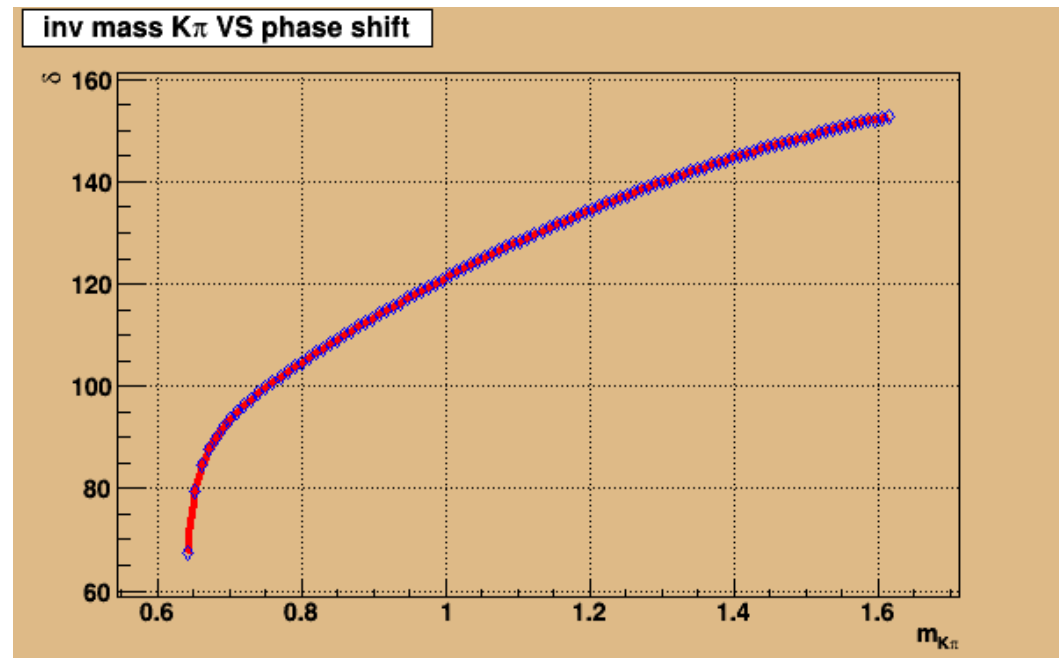
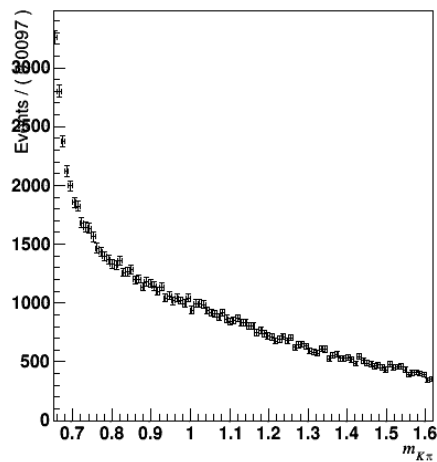
$K\pi$ -Production

- Phase-shift: only the S-wave $K^*(800)$

A RooPlot of " $-t$ "



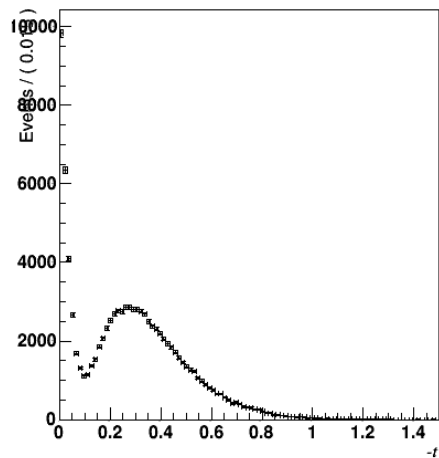
A RooPlot of " $m_{K\pi}$ "



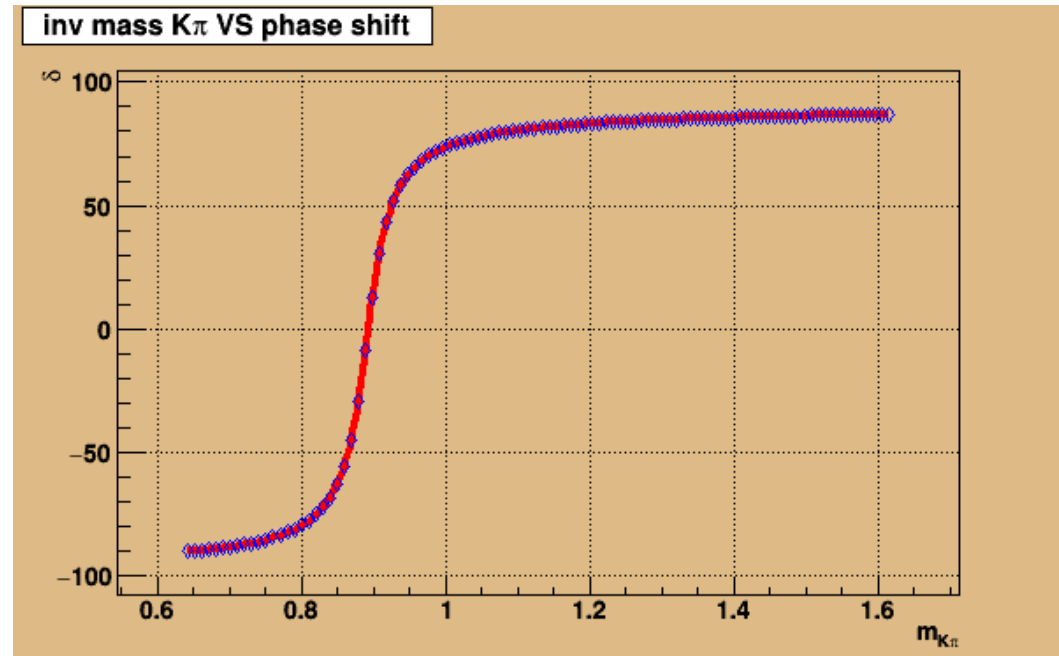
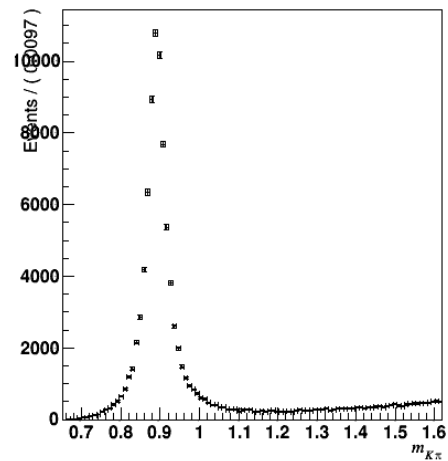
$K\pi$ -Production

- Phase-shift: only the P-wave $K^*(892)$

A RooPlot of " $-t$ "



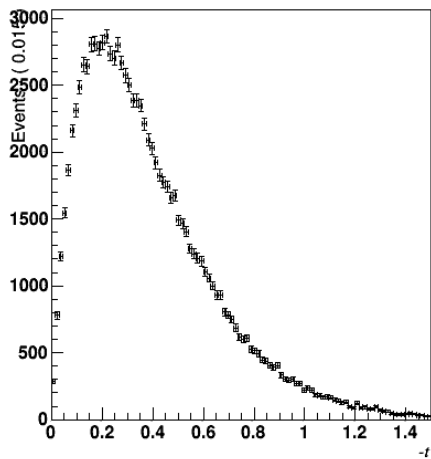
A RooPlot of " $m_{K\pi}$ "



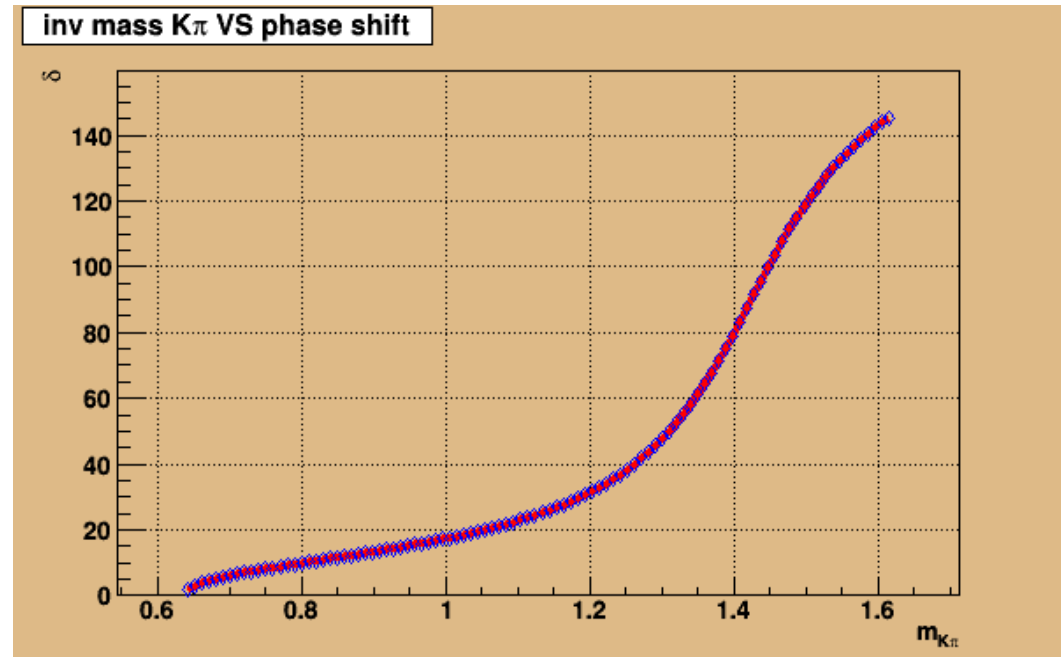
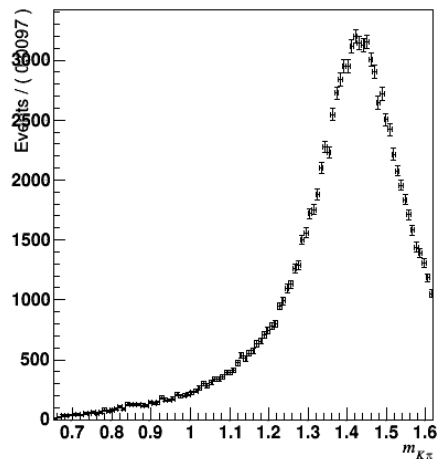
$K\pi$ -Production

- Phase-shift: only the S-wave $K^*_0(1430)$

A RooPlot of " t "



A RooPlot of " $m_{K\pi}$ "



Thank You!