Meeting 06/20/23

Homework from Meeting 06/12/23

- 1. PDE +Activation around CPS with 2.5 mm beam sigma.
- 2. Simulations of CPS with 3.5 mm beam sigma.
- 3. CPS material budget/cost.
- 4. CPS optimisation.

Next week calculations (request from Hovanes)

- 1. Simulations of CPS with 1.5 mm beam sigma (background, magnet).
- 2. Simulations with 1 mm horizontal shift (background, temperature).

Beam 2.5 mm. PDE and Activation.



Prompt Dose Equivalent Map (rem/hr) < 500; beam 2.5 mm; B=0.9B



Modified shielding. Not yet optimized. Max Radius changed from 86 to 110 cm. May be not necessary.

PDE r vs z map in rem/hr z- profiles at the next slide.

Top 1/2sphere PDE [rem/hr] < 500 bentcoil-65-m23ref1 91



Prompt Dose Equivalent (rem/hr) at r=150-180 cm from beam 2.5 mm.



 At beam 2.5 mm PDE meets the specification of the PAC48 proposal: PDE<25 rem/h at floor level 1.5-1.8 m.

Activation 1000+1 hr is below 5 mrem/hr. $B=0.9B_n$. Beam 2.5 mm.



Beam 3.5 mm. PDE and Activation.



B=0.9B_n. **Prompt DE<25 rem/h** at r=150-180 cm from Beam 3.5 mm.



• At beam 3.5 mm PDE **meets the specification of the PAC48 proposal**: PDE<25 rem/h at floor level 1.5-1.8 m.

-1.75<fi<-1.40

150<r/cm<180

z/cm

Beam σ =3.5 mm. B=0.9B_n. Activation 1000+1 hr is below 5 mrem/hr.



Max. dP/dV and Coil Lifetime. Beam 3.5 mm. $B=0.9 B_n$.

W/cm³



In Coil the **PD<2.E-9 GeV/g/e** => **Coil LT~300 years** of continuous operation.

Beam 3.5 mm.

PDE and Activation.

Shield optimization.

PDE (rem/hr) at r=150-180 cm from beam 3.5 mm. $B=0.9B_n$. Iron core.



• With iron core, beam 3.5 mm, PDE meets the specification of PAC48.

1000+1 hr Activation DE (mrem/hr) at r=150-180 cm from beam 3.5 mm. B=0.9B. Iron core to save lead.



130<r/cm<160

z/cm

0<fi<pi







 Activation is below 5 mrem/hr !



Beam 3.5 mm. $B=0.9B_n$. Max. dP/dV=2.5 kW ; Coil Lifetime =300 years.



Beam 2.5 mm. PDE and Activation. "Stingrey" beam channel. Shield Optimization.



R=0.5 cm; may be higher.

n_b - beam direction

 $\boldsymbol{\vartheta}$ -pitch angle to the tangent surface $\mathbf{n}.$

 $(\mathbf{n}_{\mathbf{h}'}\mathbf{n}) = \sin(\alpha)\sin(\varphi) = \sin(\vartheta)$

 α -beam pitch angle to the screen normal. φ -angle between n and horiz. axis.

Comments to the video. What is the wedge effect?

- 1) Consider e-**beam as a cylinder diameter D** with uniform density; direction $\mathbf{n}_{\mathbf{b}} = (0, \sin(\alpha), \cos(\alpha))$, where α pitch angle to the beam axis.
- 2) For a squared or wedge-like channels the hot spot is a cross section of a cylinder with a plane. Plane orientations: $\mathbf{n_1} = (0,1,0)$ -for squared channel, or $\mathbf{n_2} = (\pm \cos(\varphi), \sin(\varphi), 0)$ - for 2 wedge planes obtained as $\pm \varphi$ - rotation of yz-plane around z-axis.

Impact angle is determined by $(\mathbf{n}_{\mathbf{b}}, \mathbf{n}_{\mathbf{1}}) = \sin(\alpha)$ or $(\mathbf{n}_{\mathbf{b}}, \mathbf{n}_{\mathbf{2}}) = \sin(\alpha)\sin(\varphi) = \sin(\vartheta)$ - pitch to wedge plane.

- 3) But in both cases the **intersection is an ellipse** with the area $S = \pi D \times L$, where L ellipse large axis.
- 4) Pitch angle $\vartheta \sim D/L$.
- 5) Maximum **L** is constrained by the length of the beam channel (L<L_c~2 m), or the wedge (L<L_w~0.5 m).
 - Therefore max $dP/dS \propto \vartheta \propto L^{-1}$ for the wedge is $L_c/L_w = 4$ times higher.

$B=B_n$, "stingray" chanel d=1 cm, 4 layers of Lead. More W-shield for DS Coil.



-100 0 100 200 300 400 500 600 700 800 900

150<r/cm<180 -1.7<fi<-1.4 z/cm

• PDE meets requirement of PAC48 for the floor level.

1000+1 hr Activation DE (mrem/hr); beam 2.5 mm, $B=B_n$. Iron core. "Stingrey" channel.



• Activation is below 5 mrem/hr.

Beam σ =2.5 mm. B=B_n. dP/dV < 1.2 kW ; Coil Lifetime ~300 years.



Ds Coil GeV/g/e>2.E-8 bentcoil-65-m23ref6 97



Ds Coil GeV/g/e>2.E-8 bentcoil-65-m23ref6 97



CPS Weight and Cost estimates.

1	Pb Skin	g/cm3	z	dZ	R	Xint	X-fct	V/cm3	P/T	P/T	Cost	
2	ski5 z.dz.r	11.4	40	220	99	88.7	0.65	7.60E+5	8.7			
3	ski1	11.4	15	290	90	78.6	0.66	1.03E+6	11.7			
4	ski2	11.4	-6	351	80	66.5	0.69	1.13E+6	12.9			
5	ski3	11.4	-30	415	70	54	0.72	1.22E+6	13.9			
6	ski4	11.4	-56.5	476.5	60	40.5	0.76	4.11E+6	-37.0			
7	V tot				0			8.25E+6	10.2	10.2	\$50,996	
8	V filled		q/cm3=	11.4	\$/kg=	5		8.95E+5	10.2		1	
9	B+Polyethyl.		z	dZ	R	Xint	X-fct					
10	bor5	1.2	45	211	94	82.4	0.66	7.01E+5	0.8			
11	bor1	1.2	20	280	85	72.4	0.67	9.48E+5	1.1			
12	bor2	1.2	-1	341	75	61	0.70	1.05E+6	1.3			
13	bor3	1.2	-25	405	65	47	0.74	1.13E+6	1.4			
14	bor4	1.2	-51	467	55	33	0.80	3.53E+6	-2.2			
15	V tot				0			7.36E+6	2.4	2.4	\$47,278	
16	V filled		a/cm3=	1.2	\$/ka=	20		1.97E+6	2.4			
17	Lead Shield		7	dZ	R	Xint	X-fct					
18	les19	11.4	55	190	80	66.6	0.69	6.14E+5	7.0	1		
19	les16	11.4	30	260	70	54	0.72	7.62E+5	8.7			
20	les15	11.4	10	320	60	41	0.76	8 42E+5	9.6			
21	les14	11.4	-15	385	50	24	0.84	9 16E+5	10.4			-
22	les13	7.8	-41	448	40	0	1.00	2.25E+6	3.4			
23	V tot						2.00	5.39E+6	39.2	39.2	\$195 838	1
24	V filled		a/cm3=	11.4	\$/ka=	5		3 58E+6	40.8	00.2	Q100,000	
25	Iron Core		7	7	dv	dx		0.002.0	10.0			
26	Void z Z x v		-56.5	430	62	60		1.81E+6		1		
27	V tot		00.0	400	02	00		1.81E+6			-	i.
28	V filled		a/cm3=	7 87	\$/ka=	4		1.01E+6	11 7	11 7	\$46,680	
20	Cu Absorber		-56.5	430	48 AB	14		3.27E+5	11.7		\$40,000	
30	V tot		-50.5	450	40	14		3 27E+5		-		
31	V filled		a/cm3-	8 06	\$/ka=	20		3 27E+5	20	2.0	\$58 585	-
37	Dedestal Con		-40	420	126	100		5.80E+6	2.9	2.9	400,000	
32	V tot		-40	420	120	100		5 80E+6				
34	V_filled	22	alem2-	22	\$/ka=	2		5.00E+0	12.2	12.2	\$20.002	-
25	Diatform Eo	2.3	56 5	420	10	200		0.72E+5	13.3	13.3	\$39,992	
26	V tot		-50.5	450	10	200		0.72E+5				
30	V_tot		alom2-	7 07	C/ka-		-	9.732+5	77	77	£20 620	-
31	v_meu		g/cm3=	1.6/	⊕/kg=	4		9.13E+5	1.1	07.2	\$30,030	-
41				10	1				All	81.3	\$470,001	-
42					-				-Past	74.0	\$430,008	-
43									-PItt	66.3	\$399.378	



CPS Mat.	Ton	g/cm3	\$/kg			
Lead	49	11.3	5			
B+PE	2.4	1.2	20			
Iron	12	7.8	4			
Copper	2.9	8.9	20 (100,Tim)?			
Total CPS	66	-	(+\$240,000)			
hitig						

CPS critical sizes and shield optimization.



Consider a source of radiation (red line) and a shield around it (cylinder R,L). Stationary case. Total **power P of red line** relates to **dP/ds** at the **cylinder surface** as $P=2\pi RL (dP/ds)$

Assume $dP/ds = \rho$ is constrained by RadCon regulations to be constant at varying sizes.

=> for the SPS radius we write For the CPS cyl. volume we write: $R=(P/\varrho)(2\pi L)^{-1}$

 $V = \pi (2\pi)^{-2} L^{-1} (P/\varrho)^2$

For a spherical case

 $V = (4\pi/3)(4\pi)^{-3/2} (P/\varrho)^{3/2}$

And we find that for constrained $dP/ds = \rho$ at CPS surface

CPS volume	$V \propto L^{-1}$
Temperature	$T^{o} \propto L^{-1}$ (from the previous presentations)
Magnet power	$B \propto L^{-1}$
Max. power dep.	$dP/dz \propto L^{-1}$

- Thus, further increasing CPS length L we may save on volume, weight, and magnet cost.
- Electron beam current is limited by Absorber temperature.
- Photon beam intensity may be significantly higher.

If copper cost is \$100/kg we may replace Cu with Fe or Pb in some locations



Shield optimization requires FLUKA and Temperature calculations.

FLUKA Absorbed Dose (rad/Gy) and Dose Equivalent (rem/Sv).

Equivalent Dose definition.

Calculating equivalent dose from absorbed dose;

$$H_T = \sum_R W_R \cdot D_{T,R}$$

where

 H_T is the equivalent dose in sieverts (Sv) absorbed by tissue T,

 $D_{T,R}$ is the absorbed dose in grays (Gy) in tissue T by radiation type R and

 W_R is the radiation weighting factor defined by regulation.

• Does FLUKA follow standard rules?

Absorbed dose includes neutrons.

Radiation weighting factors W_R (formerly termed Q factor) used to represent relative biological effectiveness

according to ICRP report 103^[6]

Radiation	Energy	W _R (formerly Q)
x-rays, gamma rays, beta particles, muons		1
	< 1 MeV	2.5 + 18.2·e ^{-[In(E)]²/6}
neutrons	150 MeV	5.0 + 17.0·e ^{-[ln(2·E)]²/6}
	> 50 MeV	2.5 + 3.25·e ^{-[ln(0.04·E)]^{2/6}}
protons, charged pions		2
alpha particles, fission products, <mark>heavy</mark> nuclei		20