

F_2^c and rate estimates using analytic methods

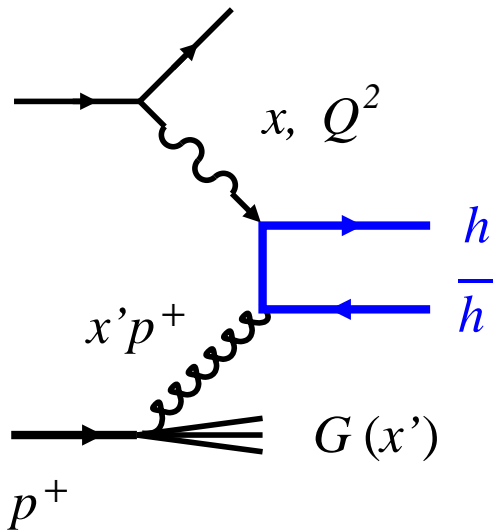
C. Weiss, LDRD Project "Nuclear gluons with charm at EIC," Meeting 16-Dec-15

- Heavy-quark structure function F_2^h in LO QCD

$$F_2^h(x, Q^2) = \int_{ax}^1 \frac{dx'}{x'} x' G(x') \hat{F}_g^h(x/x', Q^2, m_h^2, \mu^2)$$

$$\hat{F}_g^h(\dots) = \frac{\alpha_s(\mu^2)}{m_h^2} \frac{Q^2}{4\pi^2} e_h^2 \times \text{function}(x/x', Q^2)$$

$$a = 1 + \frac{4m_h^2}{Q^2} \quad \text{sets limit of } x' \text{ integral}$$

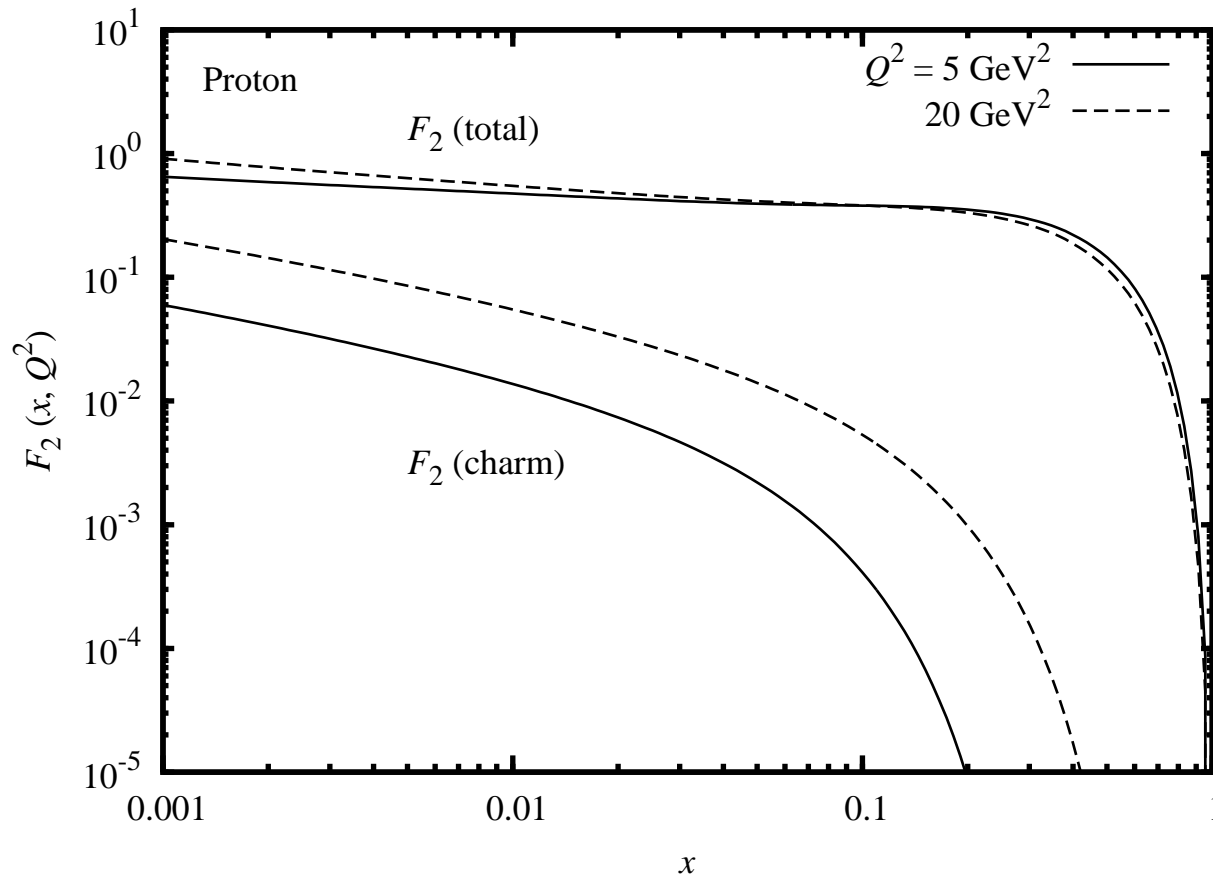


LO scale set at $\mu^2 = 4m_h^2$, perturbative stability
 Gluck, Reya, Stratmann, NPB 422, 37 (1994)

Charm mass $m_c \sim 1.5$ GeV

Can be generalized to photoproduction

Charm structure function F_2^c : x -dependence

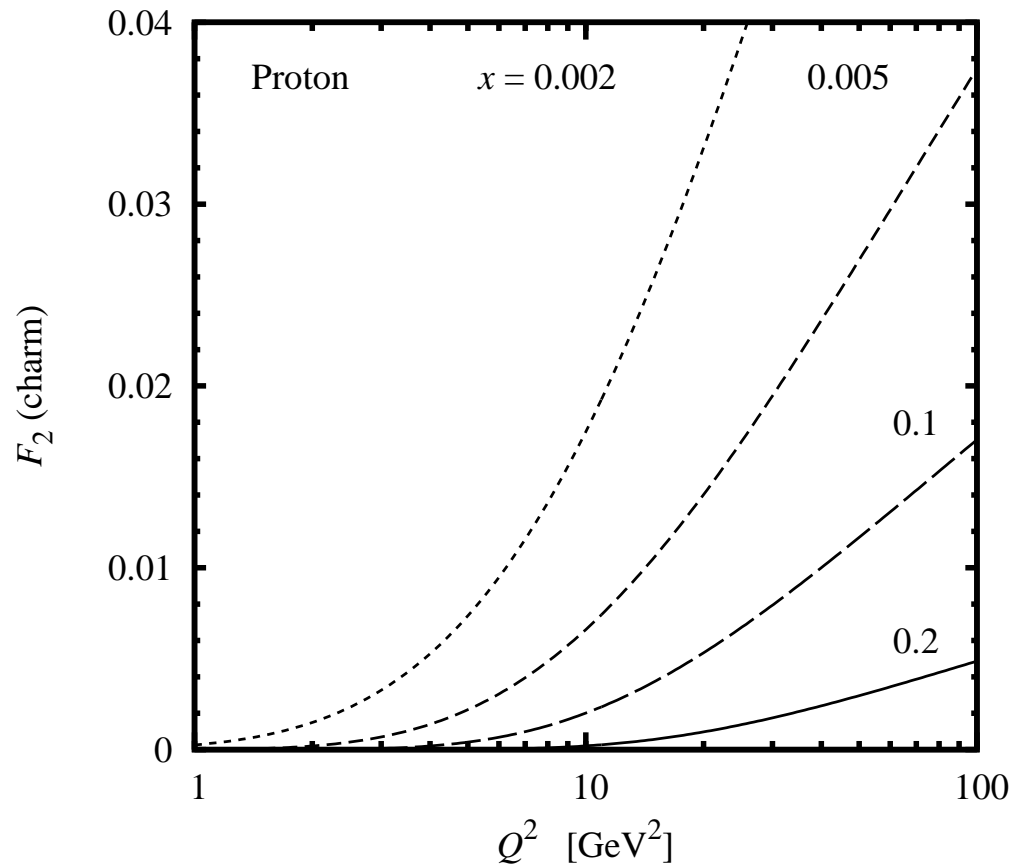


F_2^c and ratio F_2^c/F_2 decrease rapidly with x

Strong Q^2 variation of F_2^c at fixed x : Kinematic effect

Charm structure function F_2^c : Q^2 -dependence

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F_2^c increases rapidly with Q^2 at fixed x : Kinematic effect

Charm cross section and rate

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$$d\sigma(eN \rightarrow e' + c\bar{c} + X) = \mathcal{F}(x, Q^2) dx dQ^2 \quad \text{diff cross section, } \int d\phi(e')$$

$$\mathcal{F}(x, Q^2) = \frac{2\pi\alpha_{\text{em}}^2 y^2}{Q^4(1-\epsilon)} \left[\frac{F_2^c}{x} - (1-\epsilon)\frac{F_L^c}{x} \right]$$

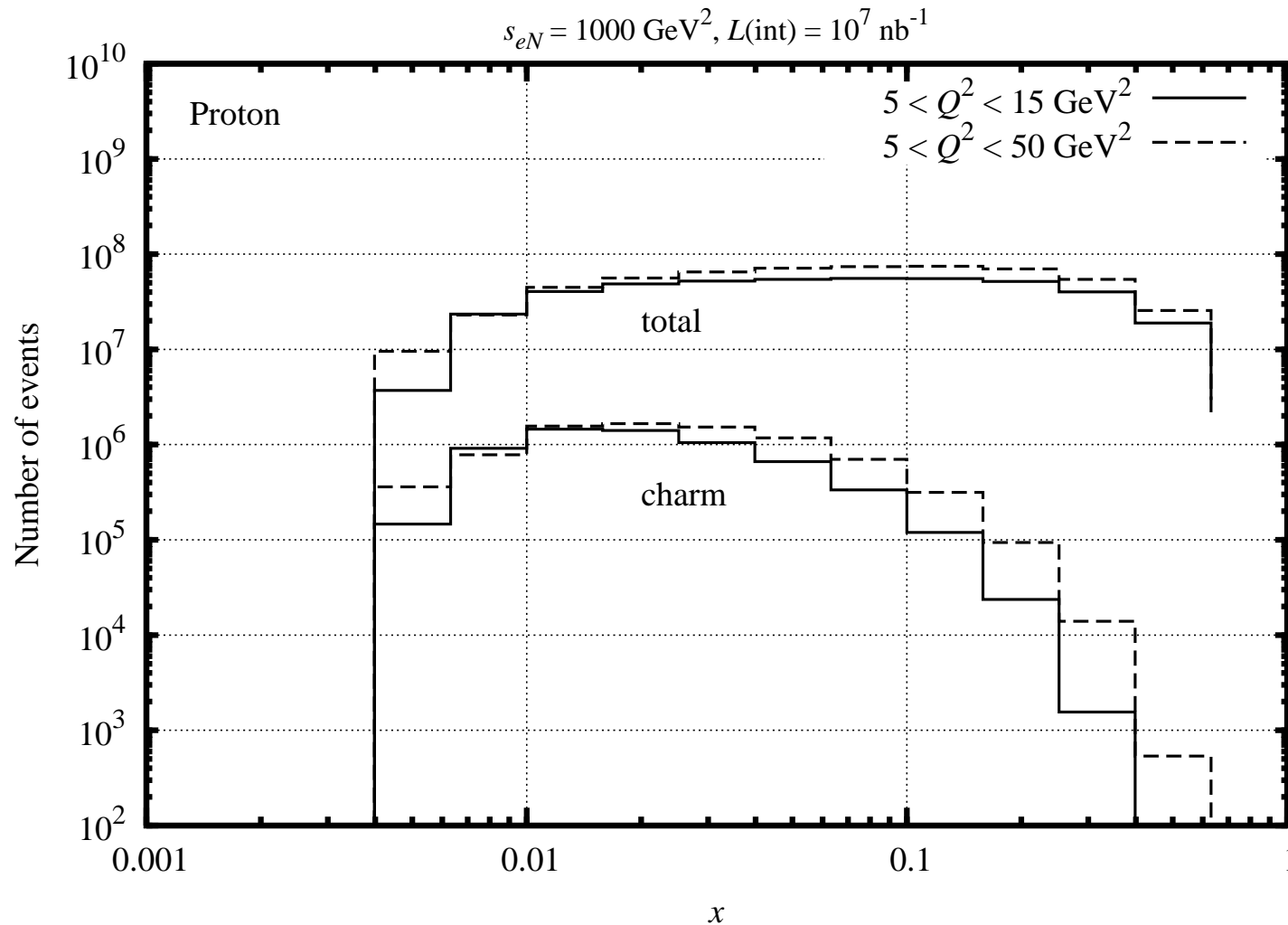
$$\Delta N = L_{\text{int}} \int_{x_1, x_2} dx \int_{Q_1^2, Q_2^2} dQ^2 \mathcal{F}(x, Q^2) \quad \text{event nr in bin } [x_1, x_2] \times [Q_1^2, Q_2^2]$$

$$L_{\text{int}} = LT \quad \text{integrated luminosity}$$

$$L_{\text{int}} = 10^7 \text{ nb}^{-1} \quad \text{for } L = 10^{34} \text{ cm}^{-2} \text{ s}^{-1}, \quad T = 2 \text{ weeks} \approx 10^6 \text{ s} \quad \text{ref value}$$

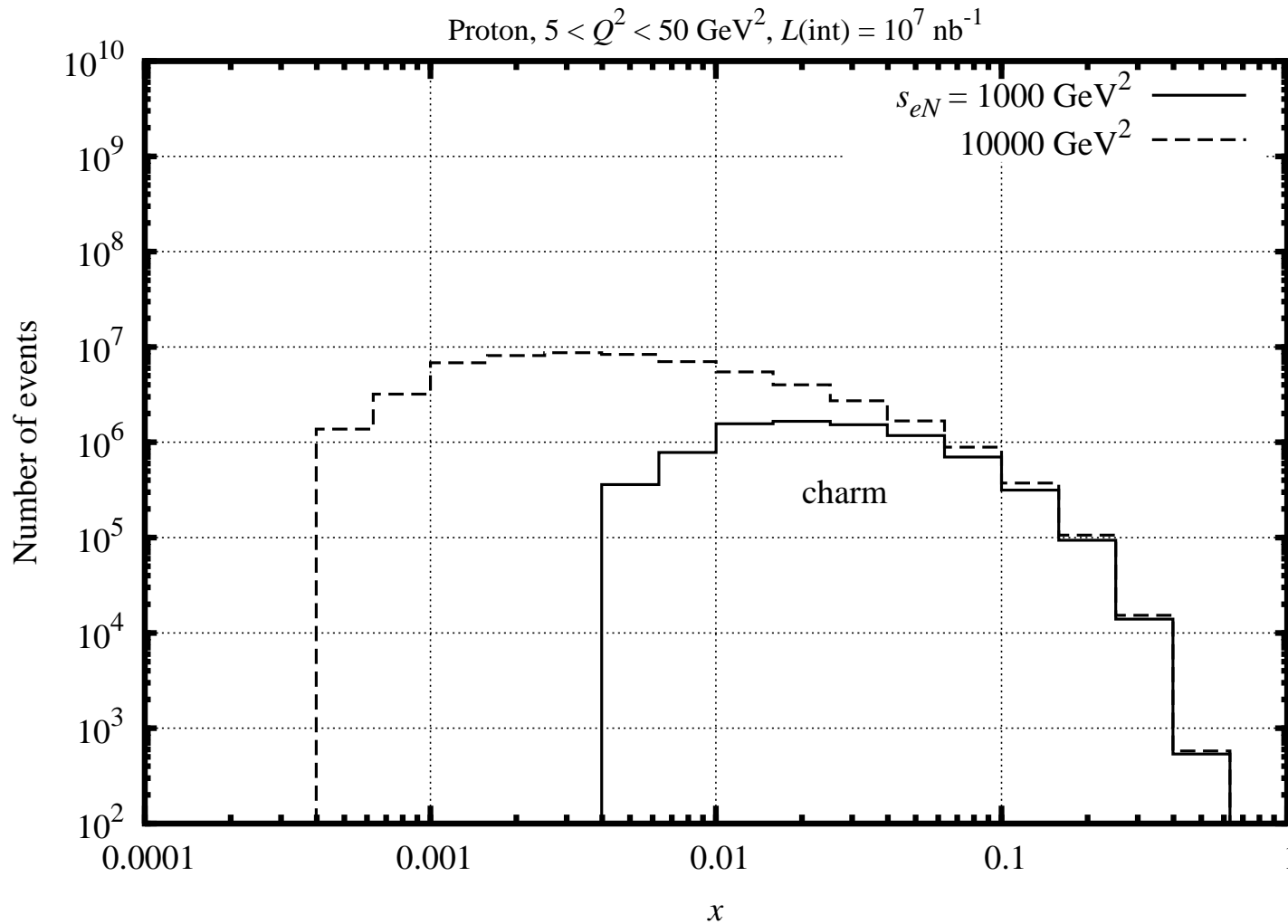
Rates estimated by numerical integration of LO cross section

Charm rate: x -dependence



- Here 5 bins per decade in x , single wide bin in Q^2
- Rates drop rapidly at large x
- Nuclear rates comparable: Structure function $F_{2A}^c \sim AF_{2N}^c$, but luminosity $L_A \approx L_N/A$

Charm rate: CM energy dependence



- Little dependence on s_{eN} at large x , because flux $y^2/(1 - \epsilon)$ independent of s_{eN} for $y \ll 1$
- Lower limit in x depends on s_{eN}
- Angular distributions at given x will change with s_{eN}

Questions and tasks

- Analytic estimates should be confirmed by MC integration
- Sensitivity to gluon PDF can be studied using analytic estimates
- What does ratio charm/total imply for charm identification/reconstruction?