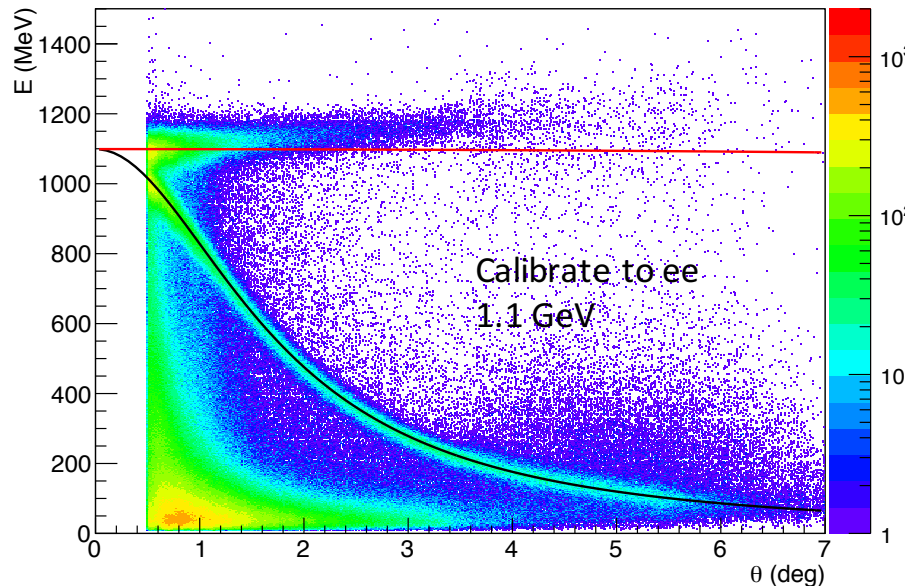
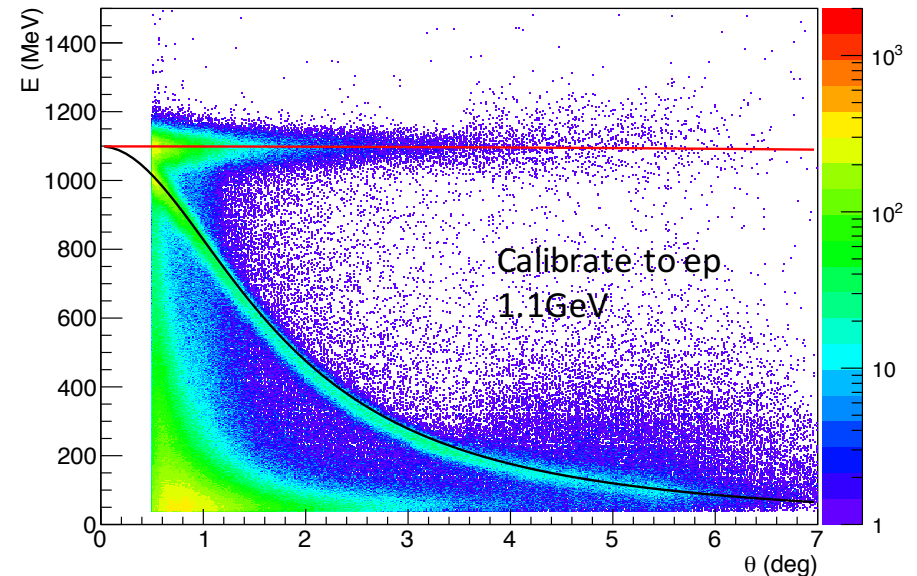


# HyCal Physics Calibration – Non-Linearity

Cluster E vs Scattering Angle  $\theta$

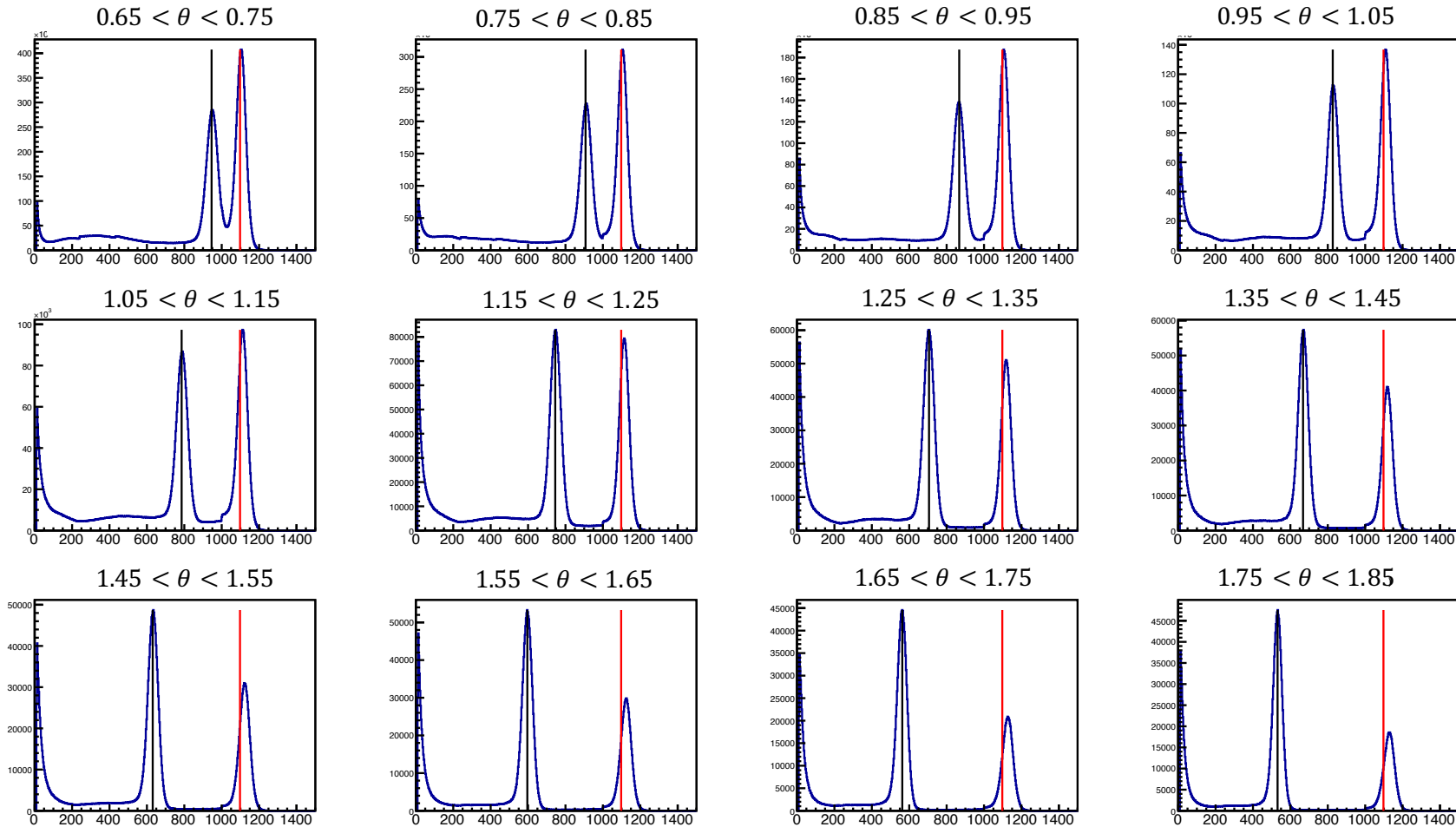


Cluster E vs Scattering Angle  $\theta$



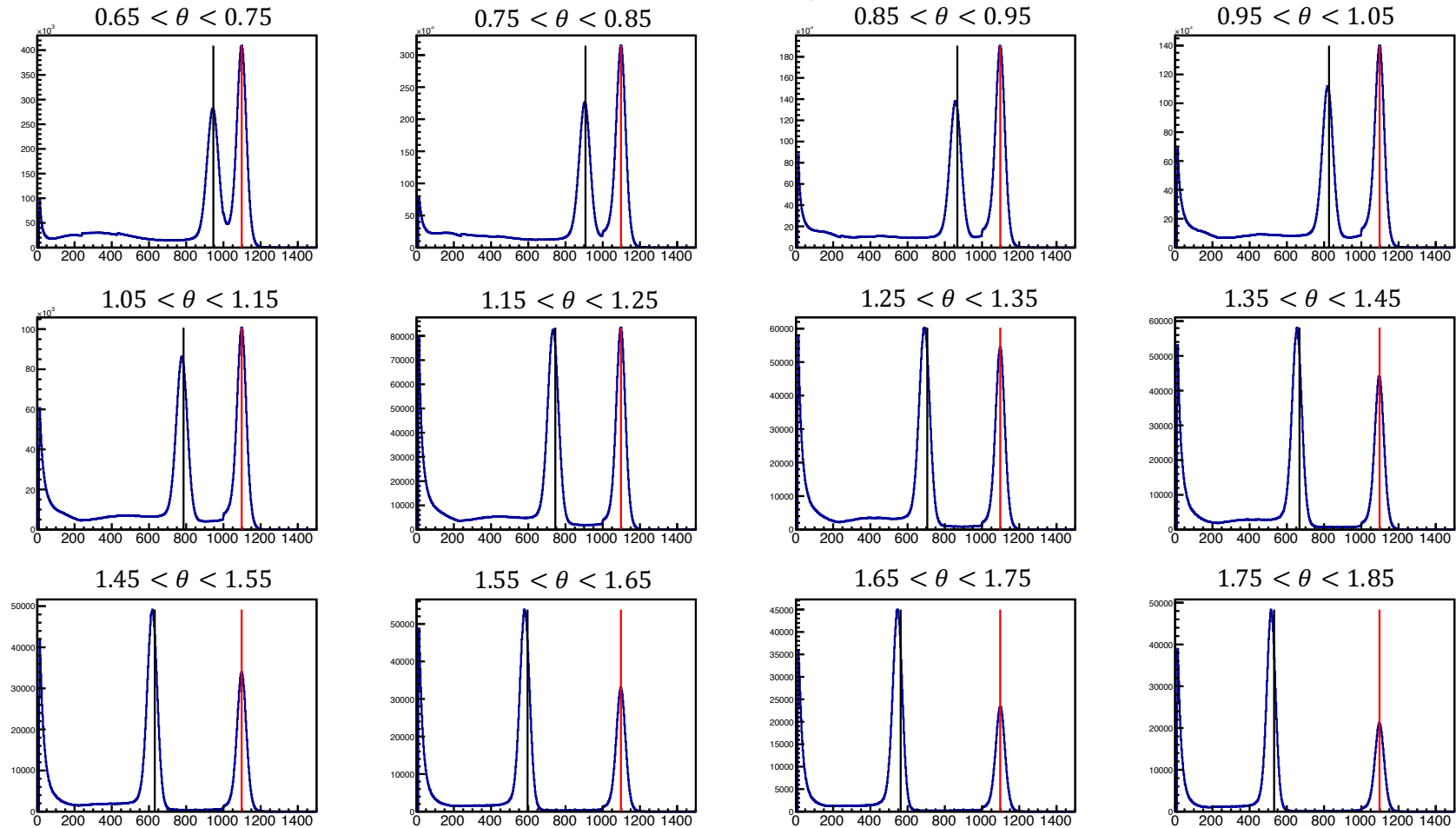
- A linear calorimeter has a constant response (average signal per unit of deposited energy)
- Electromagnetic calorimeters are in general linear, if not linear might due to instrumental effects (saturation, leakage...) (see [www.roma1.infn.it/people/bini/seminars.lecture2.pdf](http://www.roma1.infn.it/people/bini/seminars.lecture2.pdf))
- But this is not the case for HyCal, we need the non-linearity correction in order to have unbiased distribution for  $ee$  and  $ep$  at the same time

# Calibrate to ee – 1.1 GeV



MeV

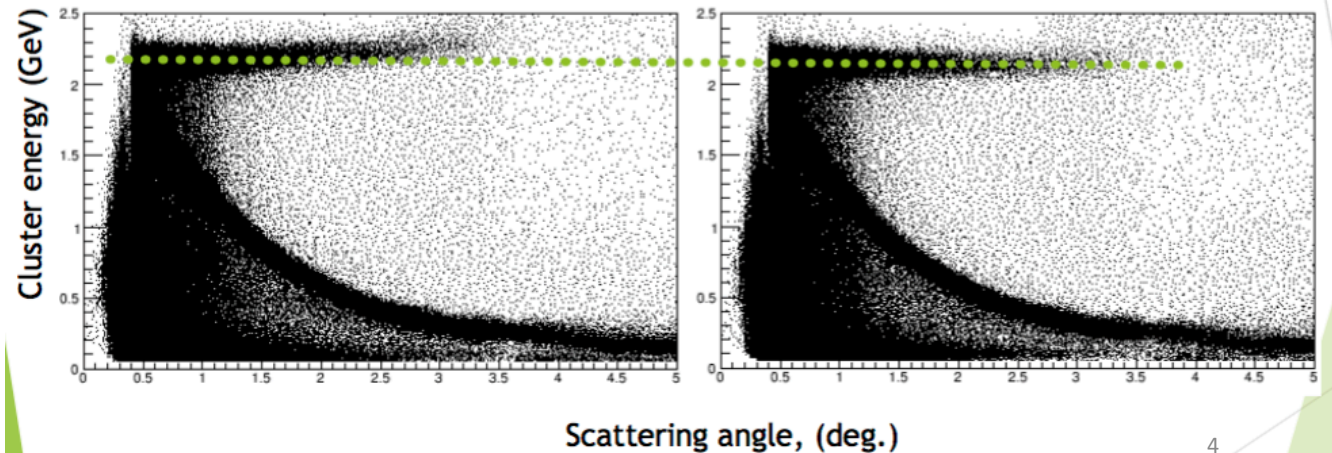
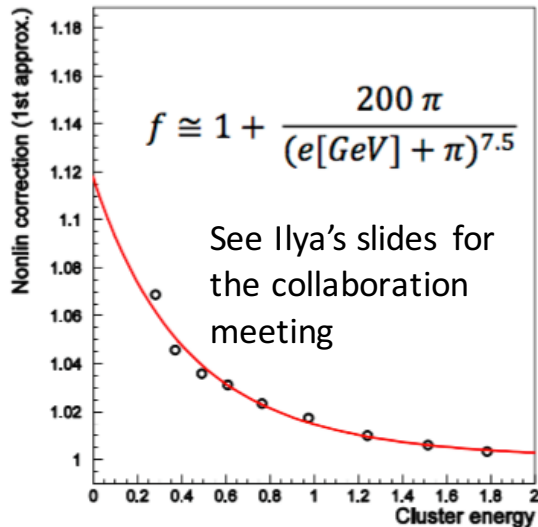
# Calibrate to ep – 1.1 GeV



MeV

# How to Deal With the Non-Linearity Problem

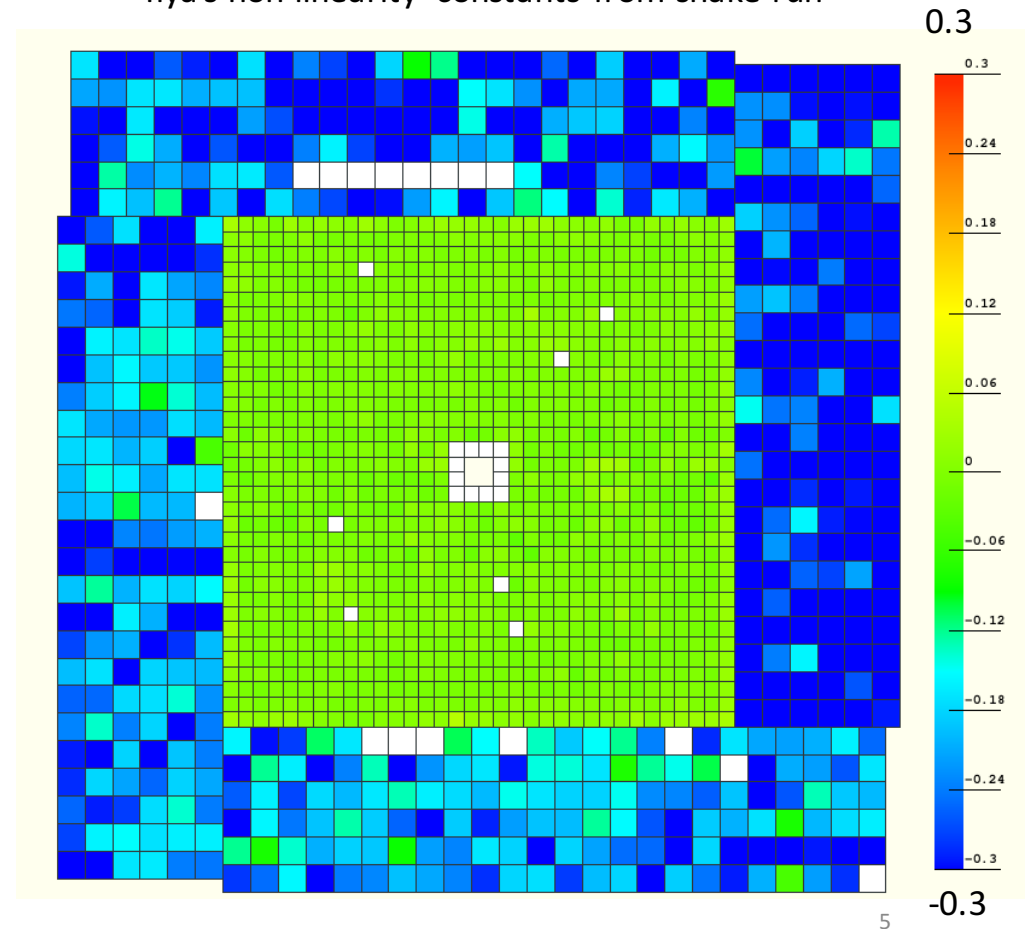
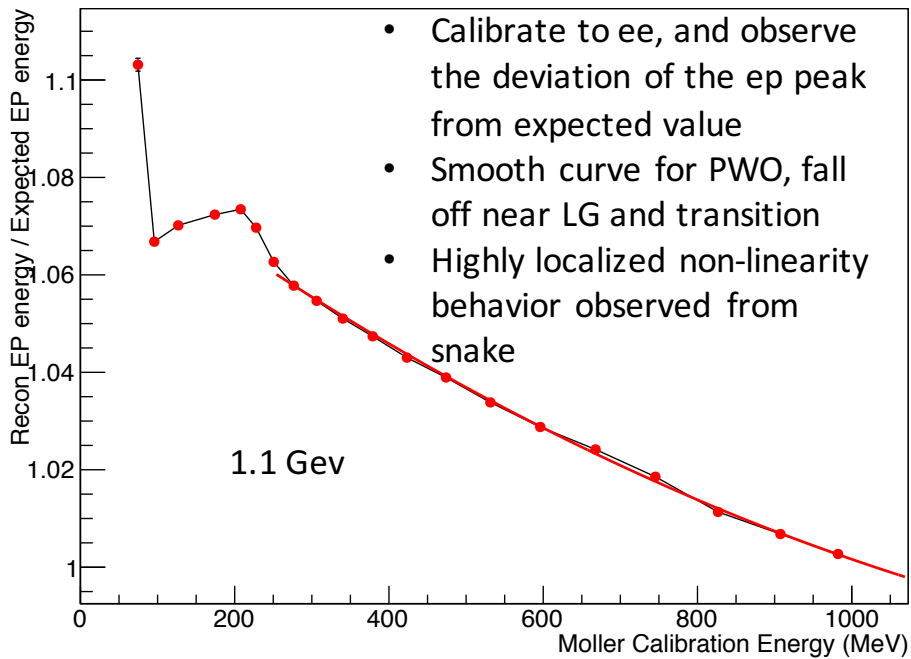
- Method I: Parameterization functions
  - Using Parameterization function to describe the non-linearity behavior
  - Require rather uniform non-linearity behavior for all modules
  - May need multiple parameterization functions (LG, PWO, transition non-linearity behavior not the same)
  - Ilya has shown that it works for PWO part at 2.2GeV in the collaboration meeting
  - Might not work well if non-linearity behavior is highly localized



# Using Parameterization Functions

Ilya's non-linearity constants from snake run

Graph



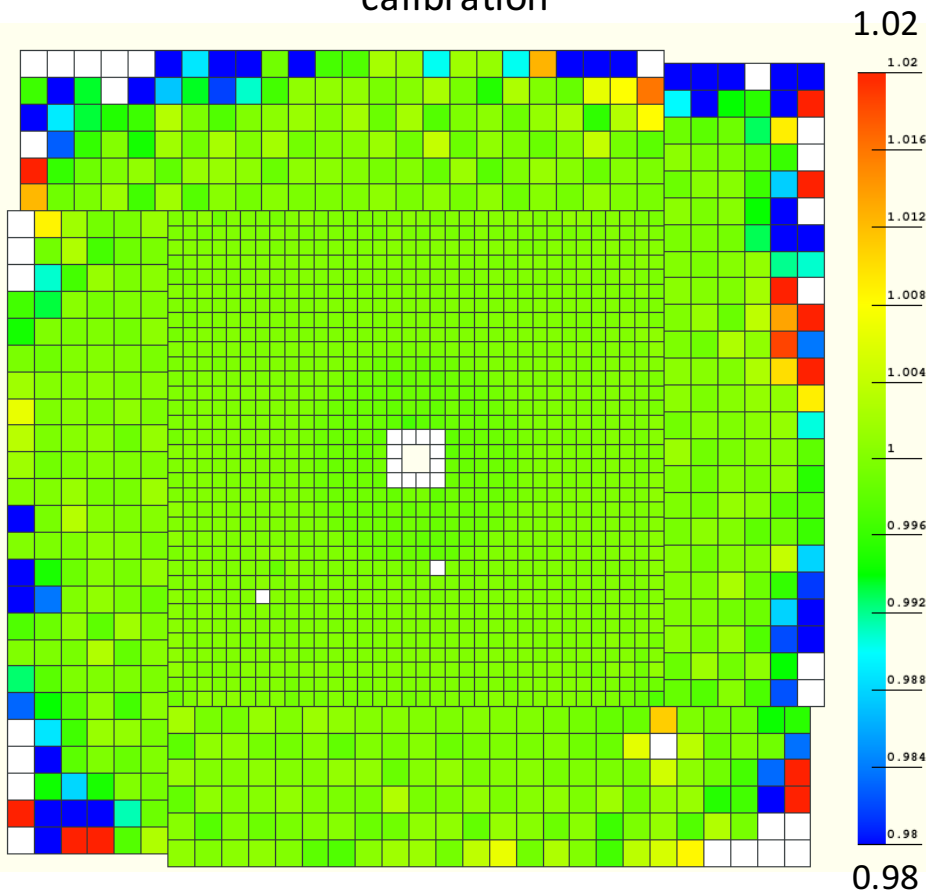
# How to Deal With the Non-Linearity Problem

- Method II: Obtain non-linearity constant module by module
  - For each module, obtain two calibration constants, one from ep and the other from ee
  - Similar to what we did with the snake run, for each module:

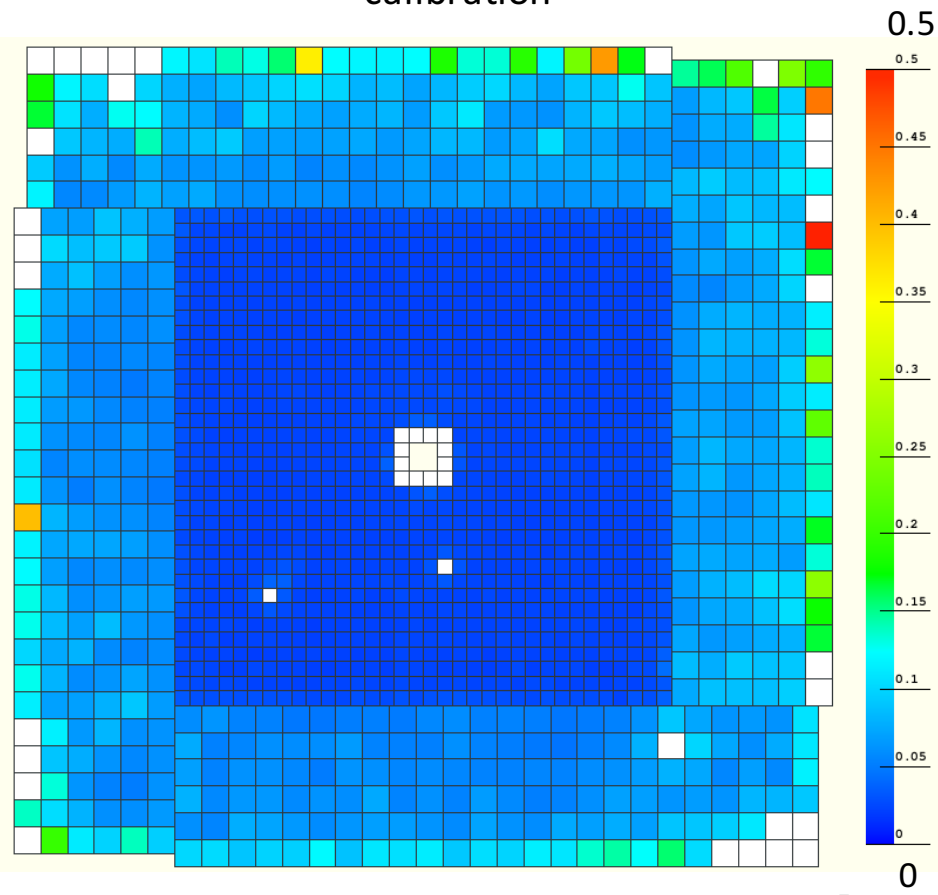
$$E_{Corr} = \frac{E_{Recon}}{1 + \alpha(E_{Recon} - E_{Cali})}$$

- $E_{cali}$  is the calibration energy that we used to calibrate the module,  $E_{recon}$  is the reconstructed energy on this module, alpha is the non-linearity constant
  - For physics calibration, we only have two points for each module, one from ee and the other from ep
  - One of the two points need to be used as the calibration energy, so we are basically solving equation, not even fitting
  - This doesn't work if the module is missing one of the two points (happen quite often near edge and corner)
- Currently, I have two sets of calibration constants for run 1288 ~1345, each after 5 iterations

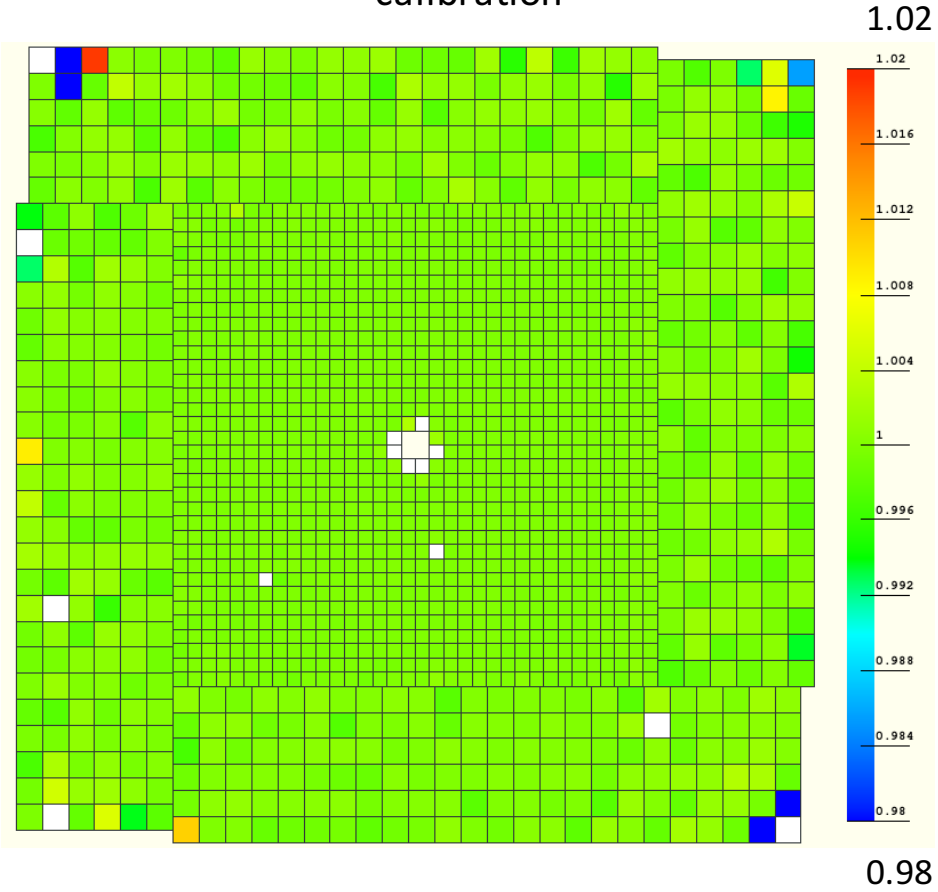
Mean value of ( E Recon / E Eexpect ) for ep calibration



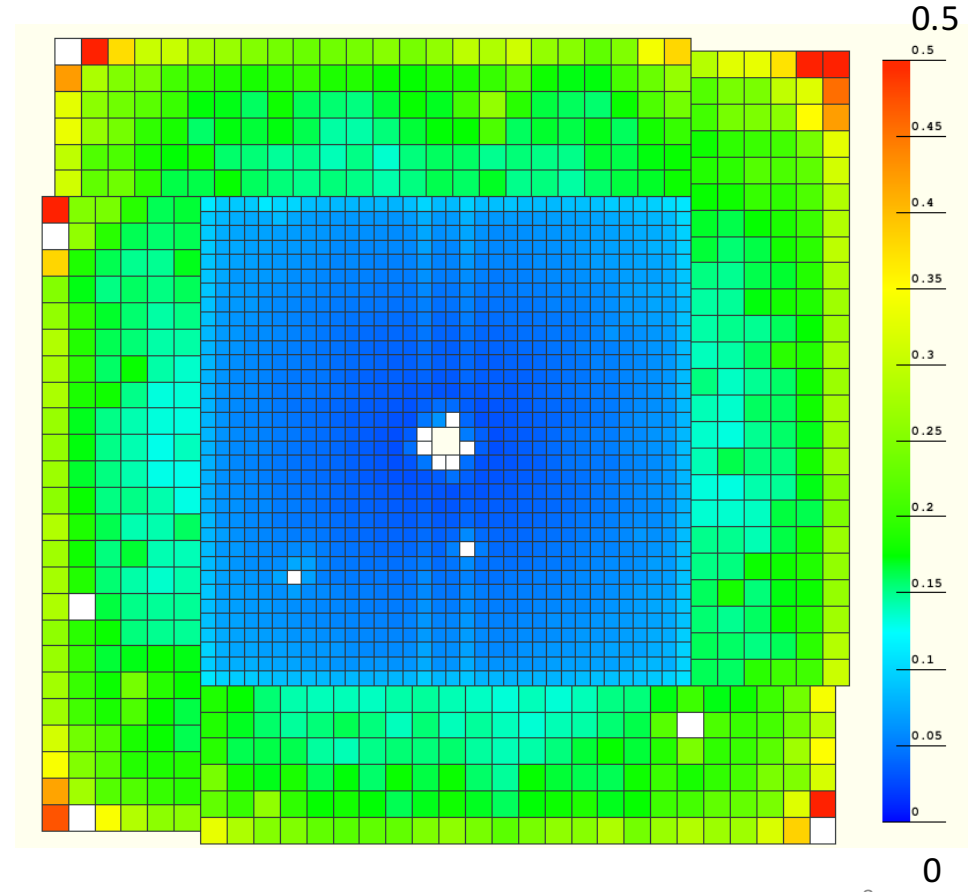
Sigma of ( E Recon / E Eexpect ) for ep calibration



Mean value of ( E Recon / E Eexpect ) for ee calibration



Sigma of ( E Recon / E Eexpect ) for ee calibration

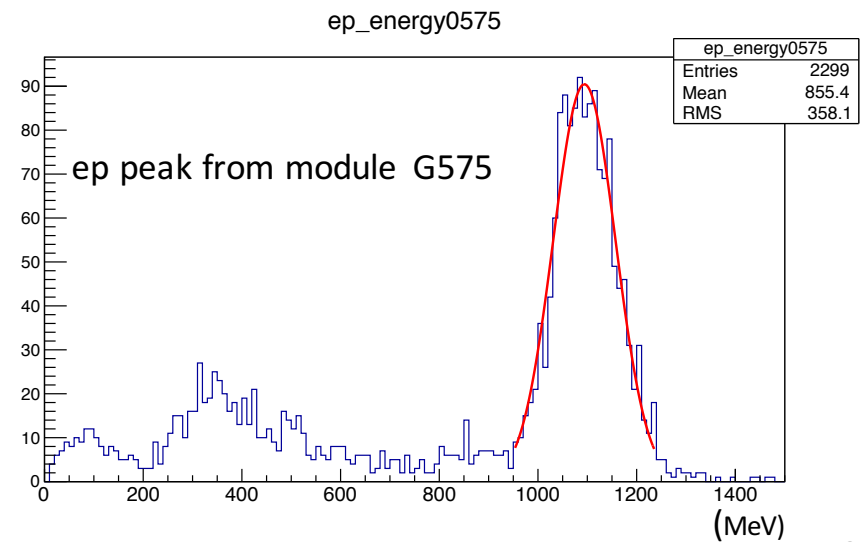
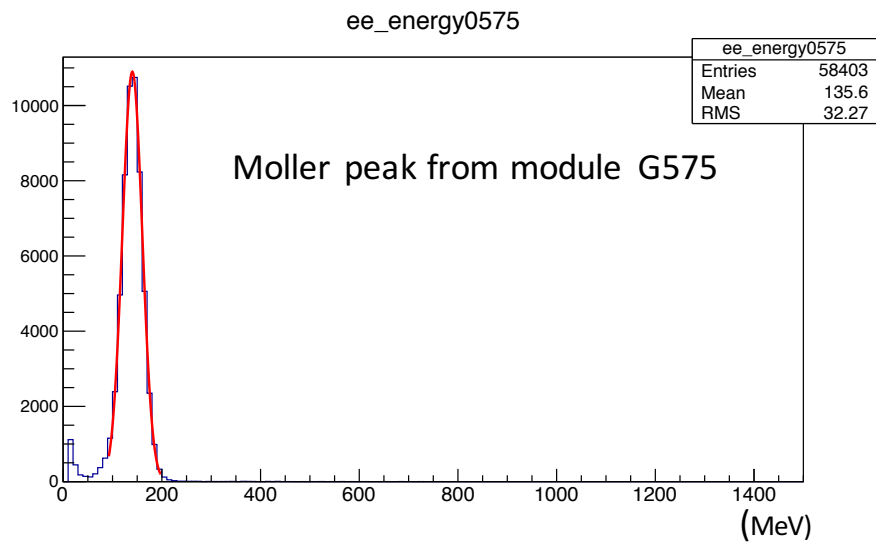




- Solving the following equation to get alpha:

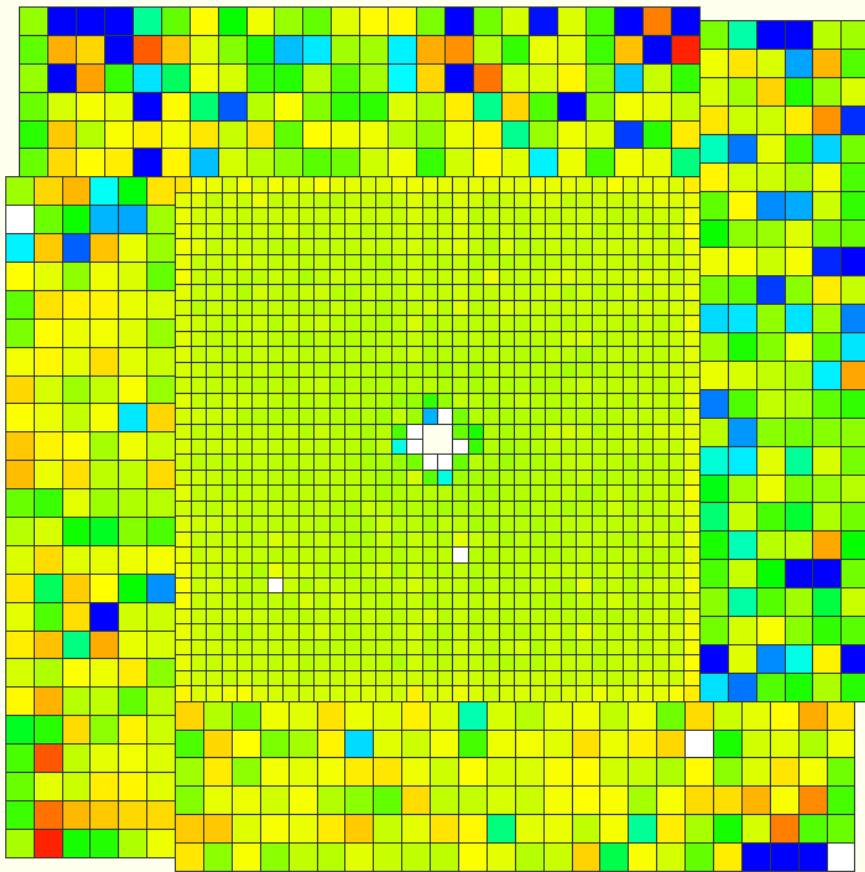
$$\alpha = \frac{\frac{E_{Recon}}{E_{Expect}} - 1}{E_{Recon} - E_{Cali}}$$

- $E_{recon}/E_{expect}$  very close to the ratio between the two calibration constants
- $E_{recon}$  and  $E_{cali}$  obtained from fitting energy distribution of each module



# Compare Non-linearity Constants

My non-linearity constants from production run

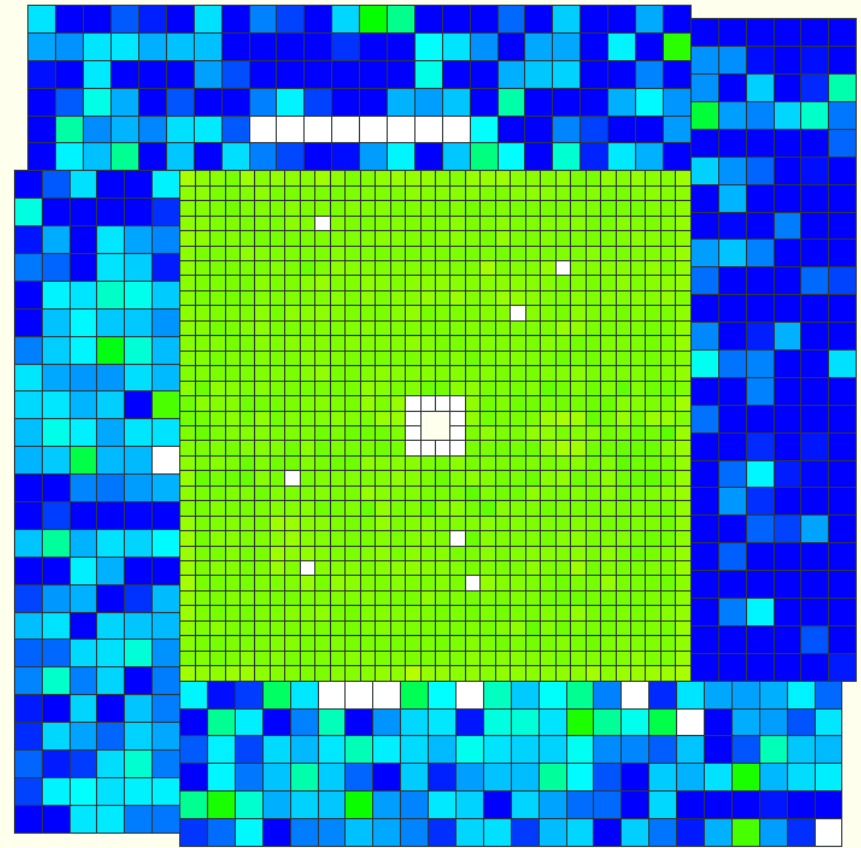


0.3



-0.3

Ilya's non-linearity constants from snake run



0.3

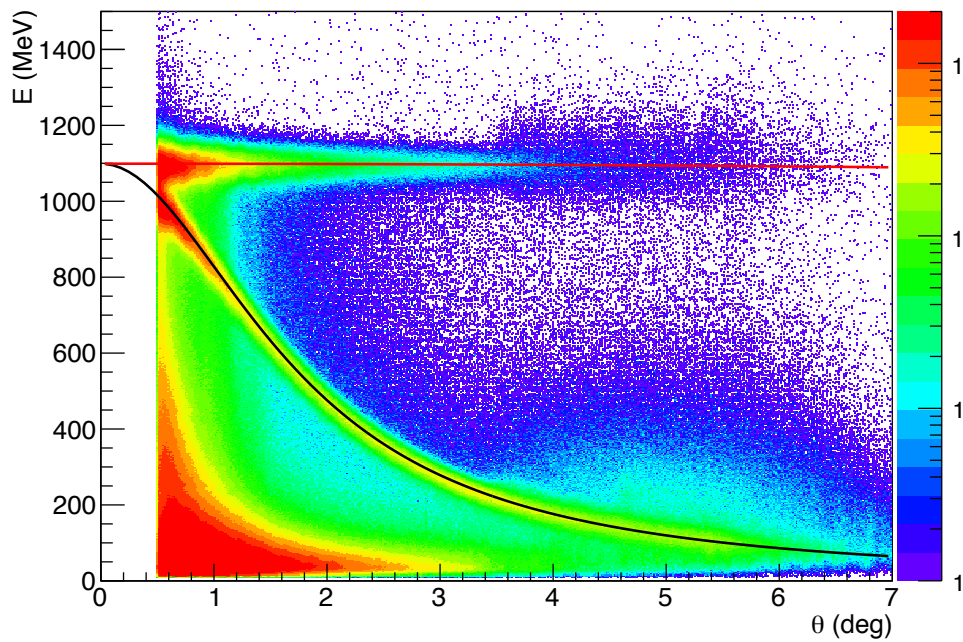


-0.3

# Applying the Non-linearity Constants

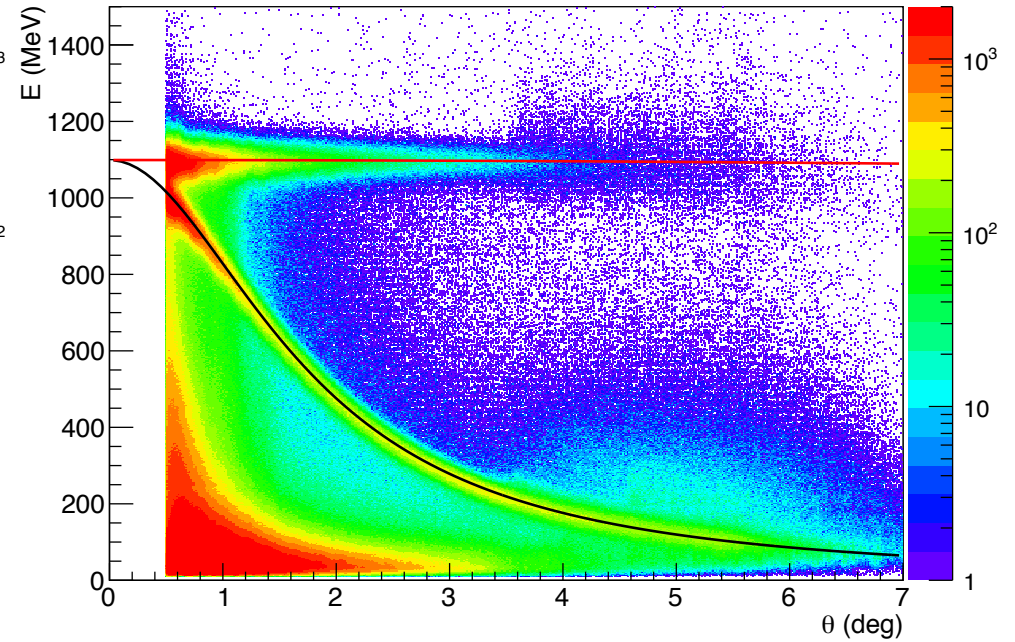
Start with calibration constants from **ep**

Cluster E vs Scattering Angle  $\theta$



Start with calibration constants from **ee**

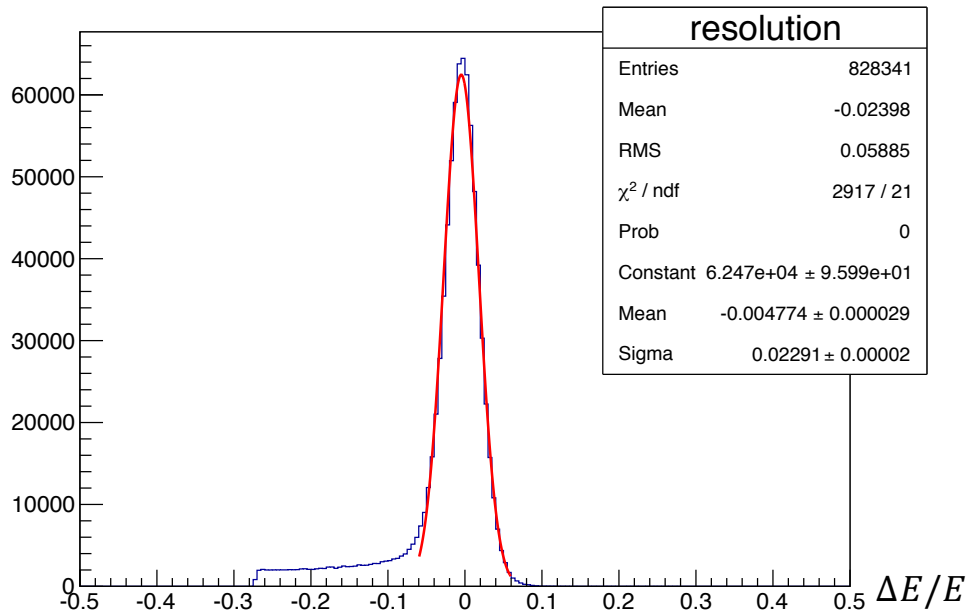
Cluster E vs Scattering Angle  $\theta$



# Resolution PWO for ep Events

Start with calibration constants from **ep**

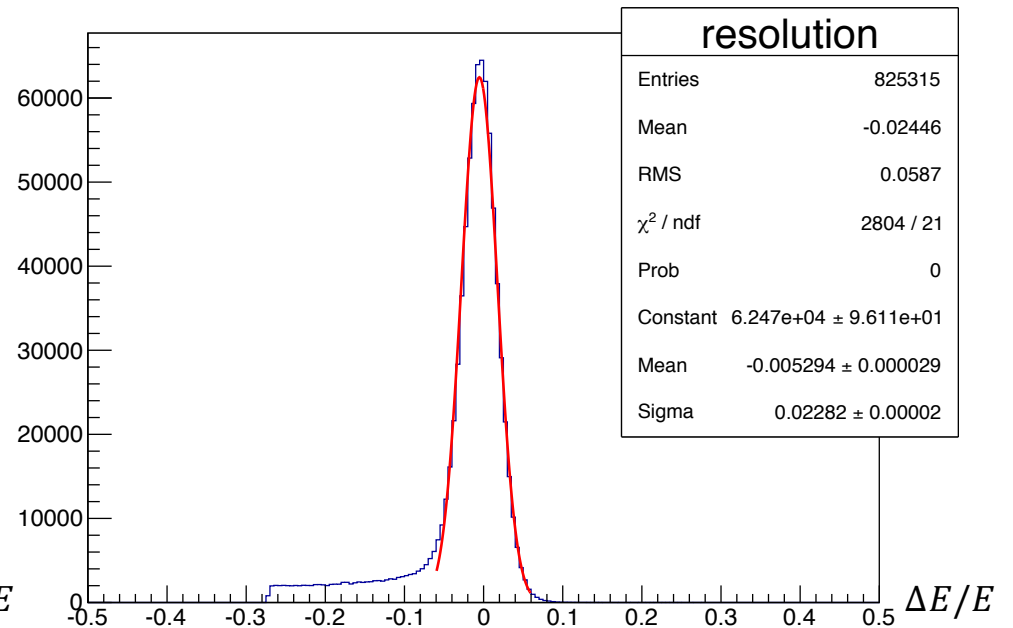
resolution



$$\sigma = 2.3 \% \times \sqrt{1.1} = 2.4 \%$$

Start with calibration constants from **ee**

resolution

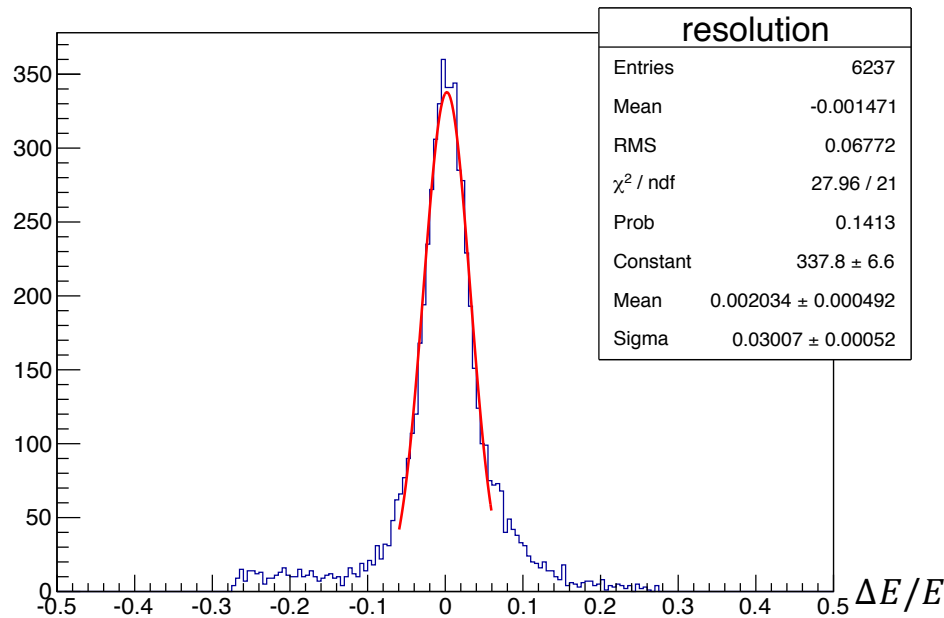


$$\sigma = 2.3 \% \times \sqrt{1.1} = 2.4 \%$$

# Resolution Transition for ep Events

Start with calibration constants from **ep**

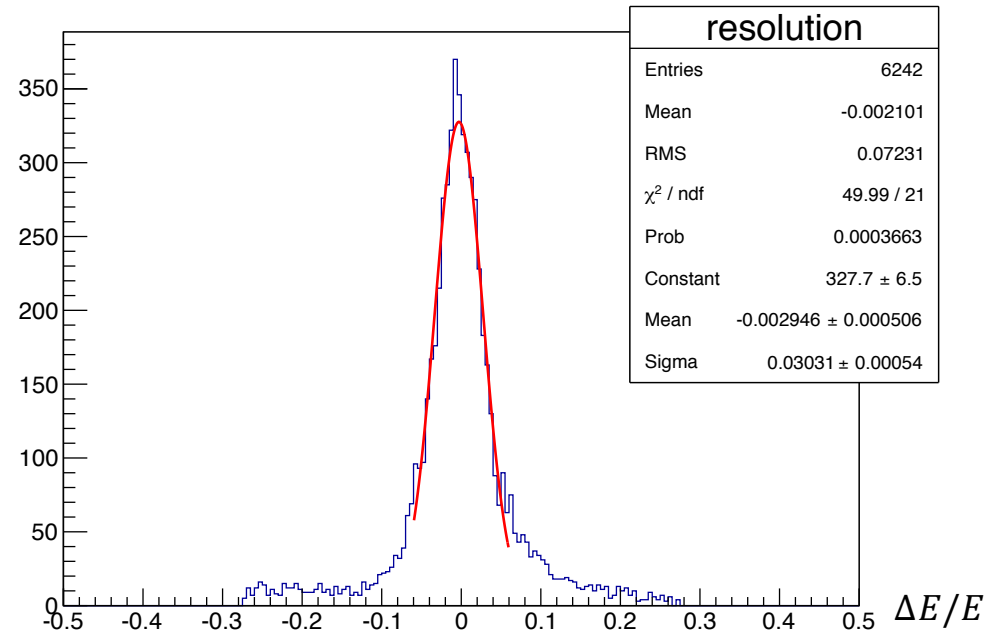
resolution



$$\sigma = 3.0 \% \times \sqrt{1.1} = 3.1 \%$$

Start with calibration constants from **ee**

resolution

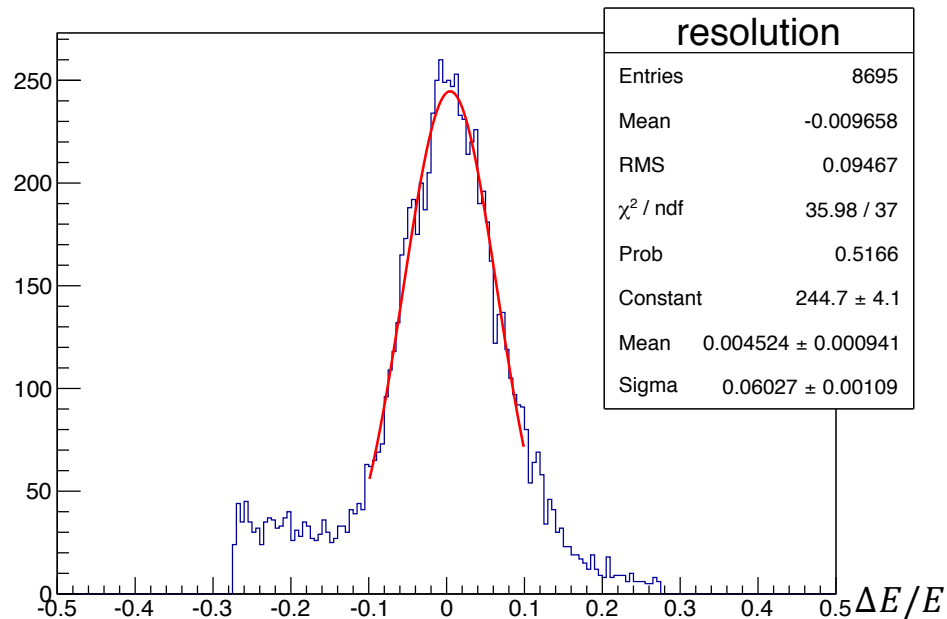


$$\sigma = 3.0 \% \times \sqrt{1.1} = 3.1 \%$$

# Resolution LG for ep Events

Start with calibration constants from **ep**

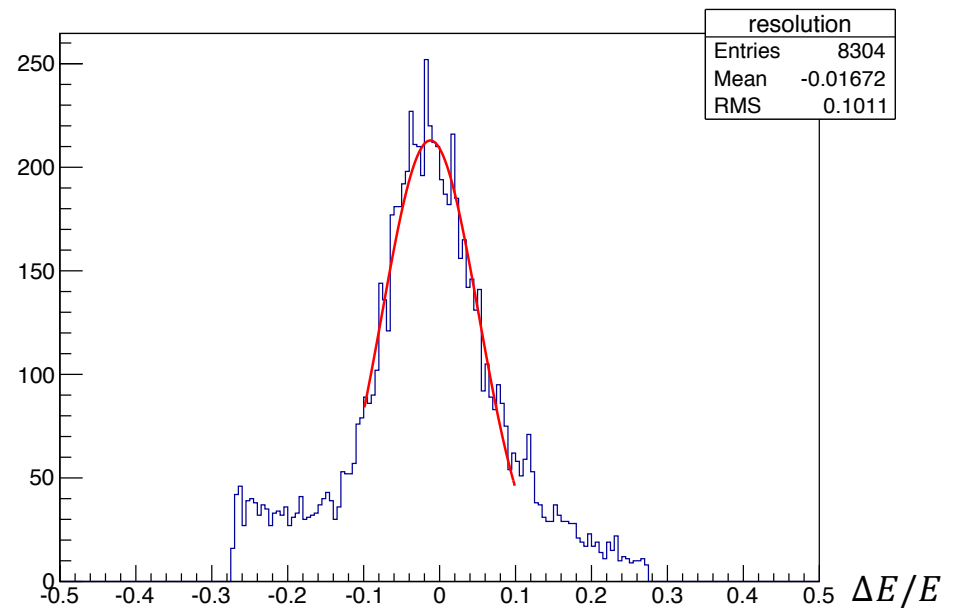
resolution



$$\sigma = 6.0 \% \times \sqrt{1.1} = 6.3 \%$$

Start with calibration constants from **ee**

resolution

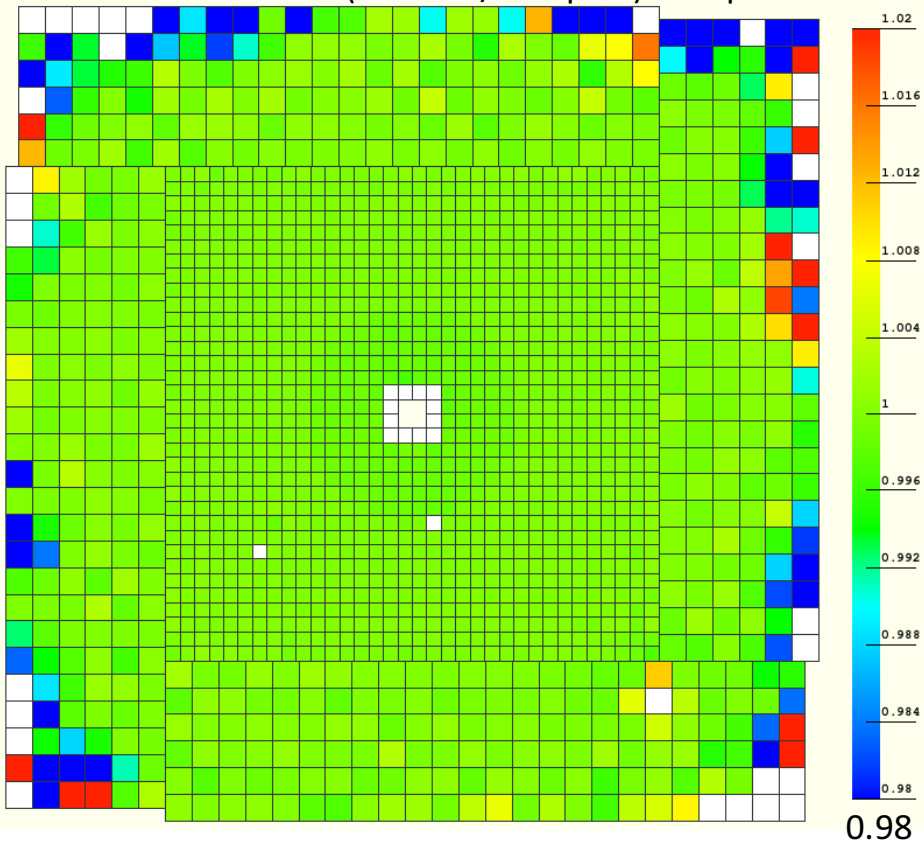


$$\sigma = 6.4 \% \times \sqrt{1.1} = 6.7 \%$$

# Module by Module Comparison

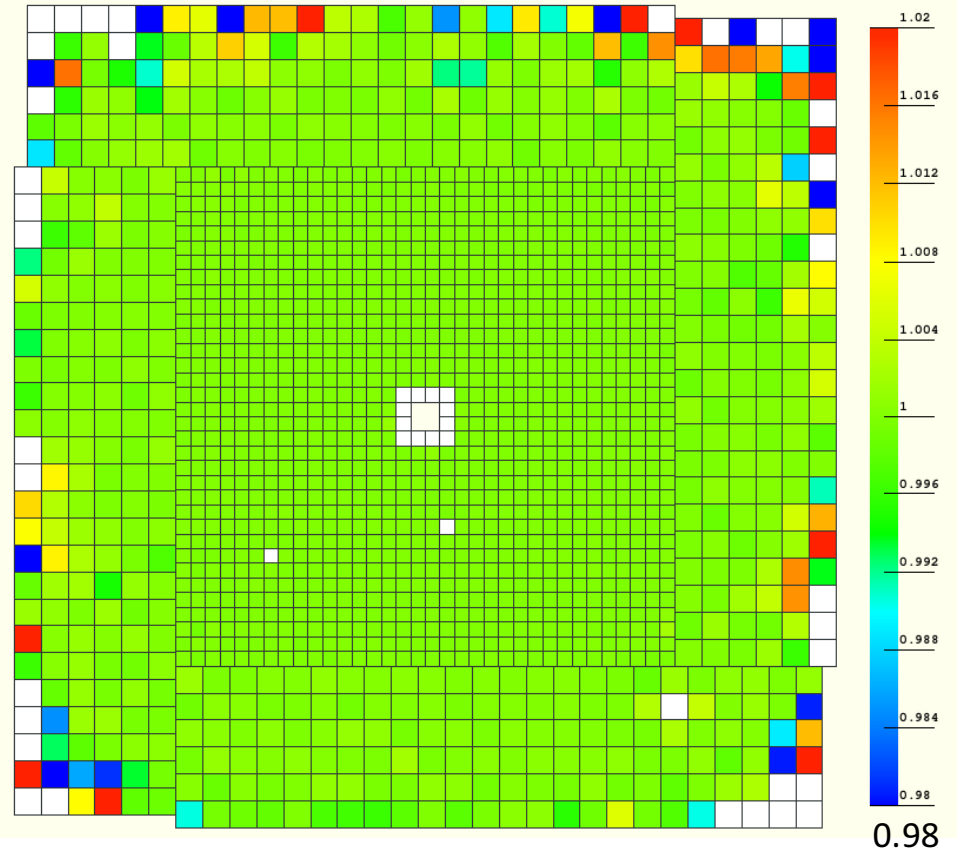
Before non-linearity correction

Mean value of (E recon / E expect) for ep



After non-linearity correction

Mean value of (E recon / E exoect) for ep



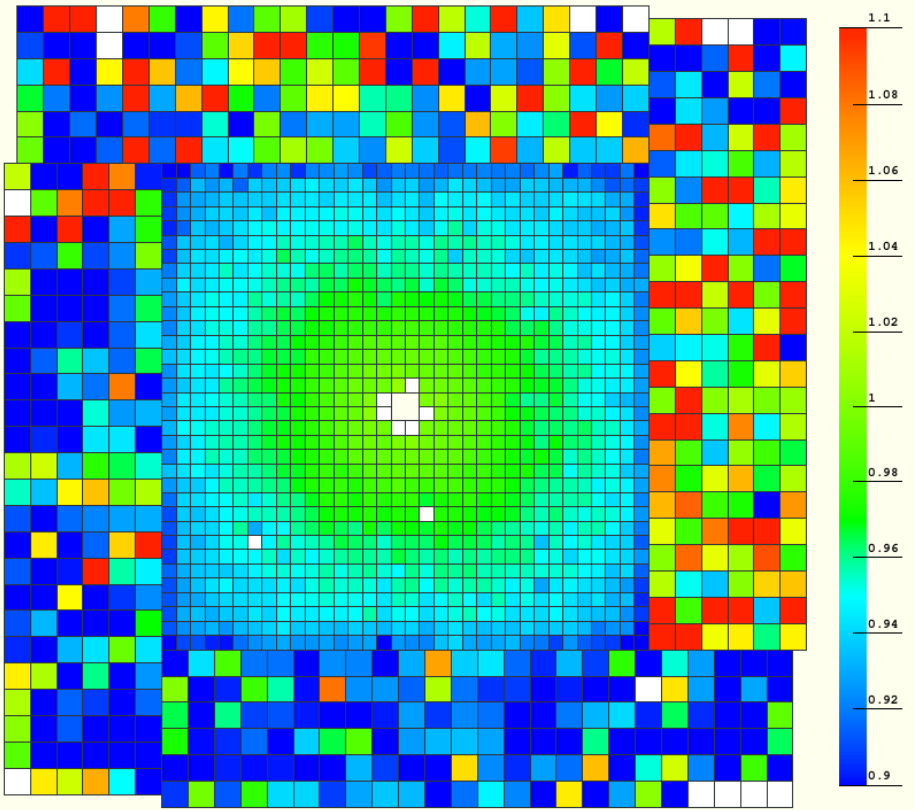
Start with calibration constants from ep

# Module by Module Comparison

Before non-linearity correction

Mean value of  $(E_{\text{recon}} / E_{\text{expect}})$  for ee

1.1

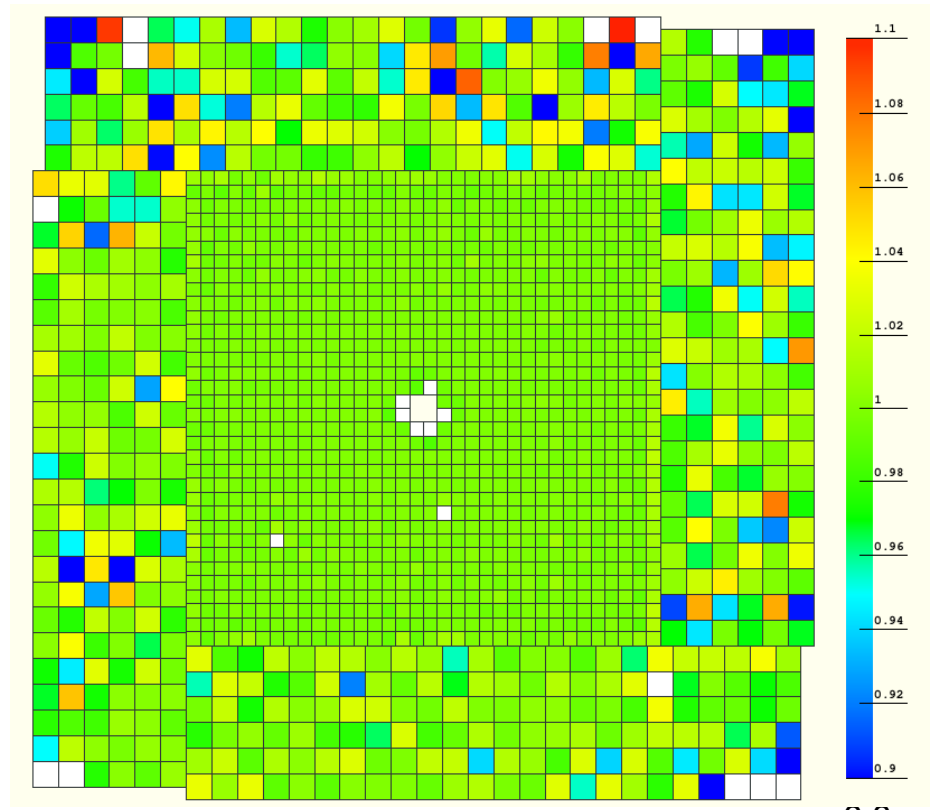


0.9

After non-linearity correction

Mean value of  $(E_{\text{recon}} / E_{\text{expect}})$  for ee

1.1



0.9

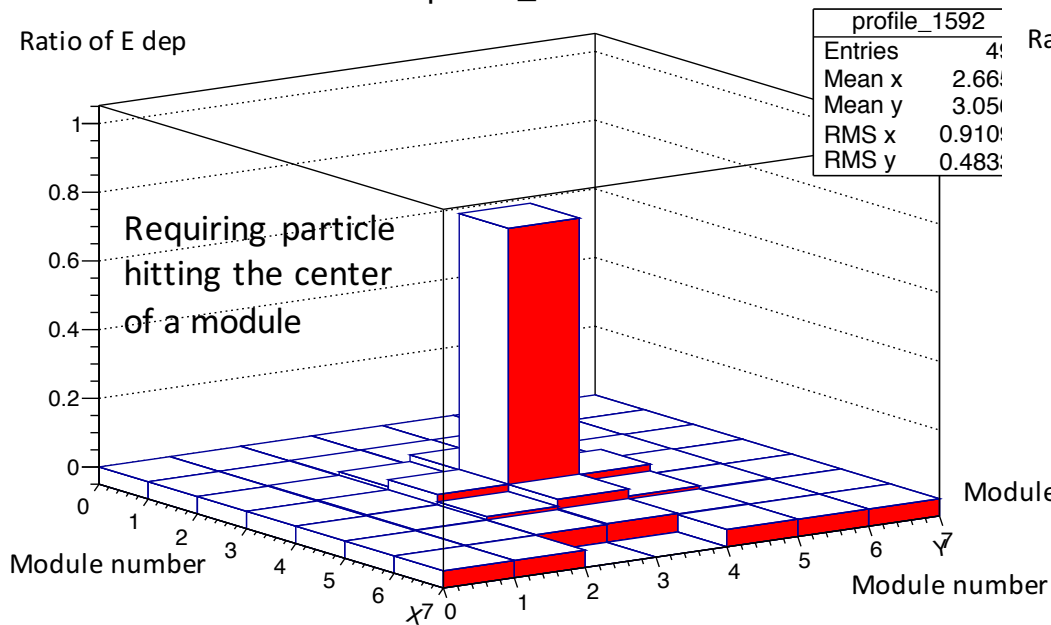
Start with calibration constants from ep



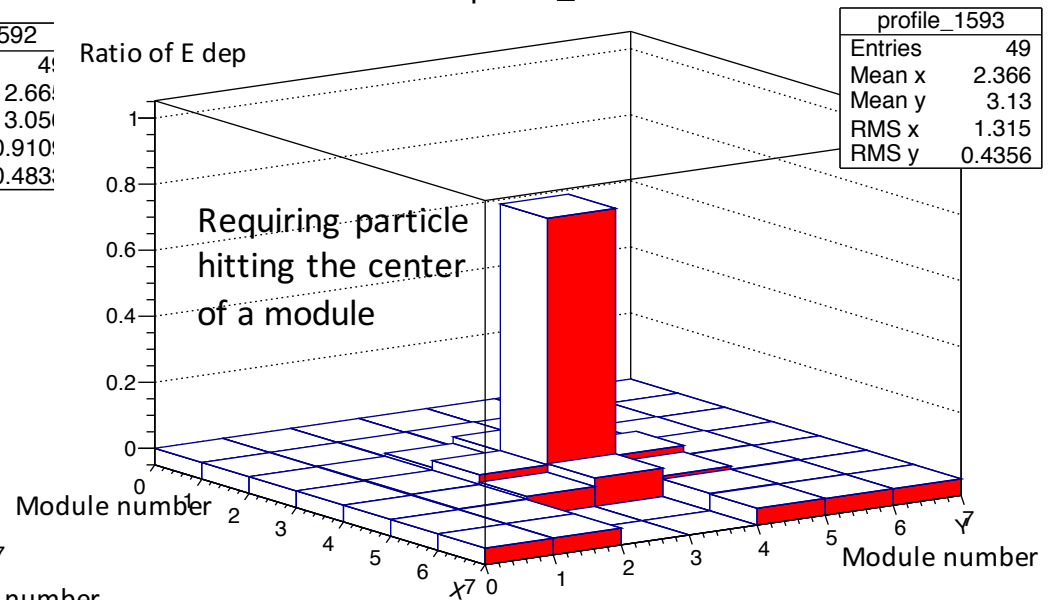
# Calibrating the Inner Modules

- Inner modules are behind collimator, hard to calibrate directly
- But we can use the shower profile and the tail of a cluster hitting module right next to them
- For particle hitting the center part of a module, the profile should be symmetric (other than the effect of incident angle)

profile\_1592



profile\_1593



Better use GEM projected position for this purpose

# To do

- Non-linearity correction shows improvement on the bias of the distribution, but cannot be fully corrected
  - Better approach for the problem?
  - Is it really just the issue with linearity for LG, is there something else?
- Calibrating modules near the central hole seems doable, want to use GEM projected position in order to get rid of the dependency on HyCal reconstructed position