

# *The PRad Experiment – Manpower and Data Analysis*

*The PRad Experiment Readiness Review  
March 25, 2016*

*Haiyan Gao*

*Duke University and Duke Kunshan University*



# ***PRad Collaboration Institutional List***

## ■ ***17 collaborating universities and institutions***

**Jefferson Laboratory**

**NC A&T State University**

**Duke University**

**Idaho State University**

**Mississippi State University**

**Norfolk State University**

**Argonne National Laboratory**

**University of North Carolina at Wilmington**

**University of Kentucky**

**Hampton University**

**College of William & Mary**

**University of Virginia**

**Tsinghua University, China**

**Old Dominion University**

**ITEP, Moscow, Russia**

**Budker Institute of Nuclear Physics , Novosibirsk, Russia**

**MIT**

# Collaboration Manpower: (a list with significant manpower)

Institution	Senior Researcher	Postdoc	Graduate student	Others (for shifts)
Duke Univ.	H. Gao (40%)	1 FTE* (50%)	1.5 FTE	2 postdocs for shifts 4 grad students for shifts
Mississippi State Univ.	D. Dutta (50%)	1 postdoc (50%) located at JLab	1 FTE	2 faculty for shifts, 0.5 postdoc 3 grad students for shifts
Idaho State Univ.	M. Khandaker (50%)			
NC A&T SU	A. Gasparian (75%)	1 postdoc (100%)	0.5 FTE (1 M.S. degree)	1 Visiting Scientist (5 months)
UVa	N. Liyanage (20%)	1 Research Scientist (75%)	1 FTE	1 postdoc and 1 grad student
Argonne				1 faculty for shifts (25%) 2 postdocs for shifts (50%)
MIT	S. Kowalski	1 postdoc (50%)		1 faculty for shifts (25%)
Hampton U.				2 postdocs for shifts (25%) 2 grad students for shifts
ITEP Moscow				1 visiting scientist (50%)
<b>TOTAL</b>	<b>2.5 FTE</b>	<b>3.25 FTE</b>	<b>4.0 FTE</b>	<b>8 postdocs (~ 40%)</b> <b>1 faculty (50%)</b> <b>10 grad students (50%)</b> <b>1 visiting Scientist (50%)</b>

## ***PRad Collaboration Shift Taking Team***

**30 people in the previous table: 24 shift taking users in the collaboration and 6 people as RC and expert problem solvers**

**Assuming 2 people per shift, 4 calendar weeks, 7 shifts/person – adequate for continuous running**

## ***PRad Collaboration Analysis Team (students and PDs)***

**Jefferson Laboratory**

**NC A&T State University (1 postdoc, 1 M.S. graduate student)**

**Duke University (2 Ph.D. students, 1 postdoc)**

**Mississippi State University (2 Ph.D. students, 0.5 postdoc)**

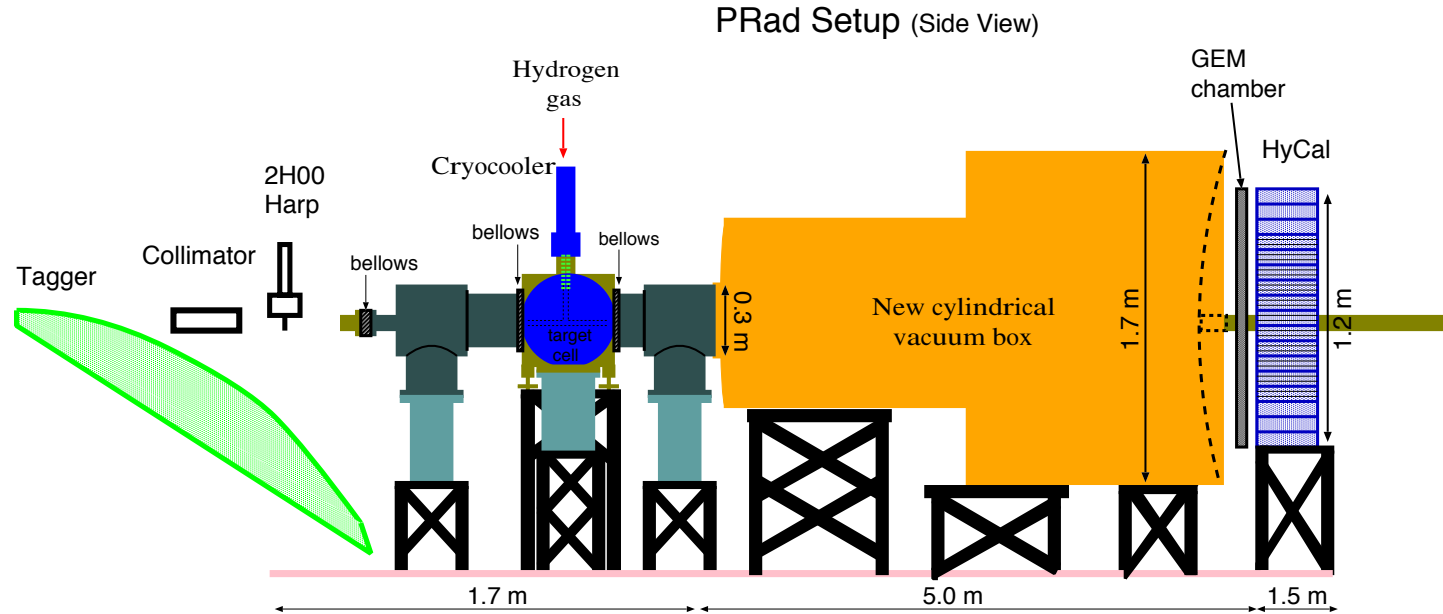
**University of Virginia (1 Ph.D. student, research scientist)**

**Goals:**

**(i) Preliminary results April APS meeting 2017**

**(ii) Final results: DNP meeting Fall 2017**

# *PRad Experimental Setup in Hall B at JLab*



- High resolution, large acceptance, hybrid HyCal calorimeter (**PbWO<sub>4</sub>** and **Pb-Glass**)
- Windowless H<sub>2</sub> gas flow target
- Simultaneous detection of elastic and Moller electrons
- Q<sup>2</sup> range of **2x10<sup>-4</sup> – 0.14 GeV<sup>2</sup>**
- XY – veto counters replaced by GEM detector
- Vacuum box

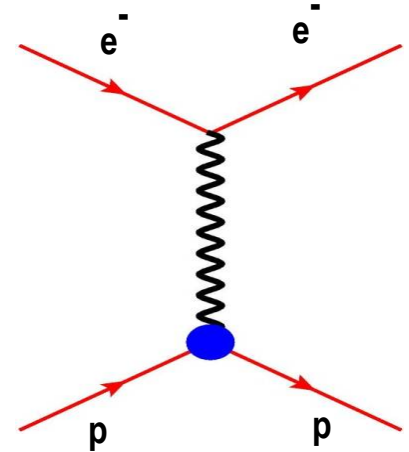
Spokespersons: A. Gasparian,  
D. Dutta, H. Gao, M. Khandaker

# The Proton Charge Radius

- In the limit of first Born approximation the elastic ep scattering (one photon exchange):

$$\frac{d\sigma}{d\Omega} = \left( \frac{d\sigma}{d\Omega} \right)_{\text{Mott}} \left( \frac{E'}{E} \right) \frac{1}{1+\tau} \left( G_E^p{}^2(Q^2) + \frac{\tau}{\varepsilon} G_M^p{}^2(Q^2) \right)$$

$$Q^2 = 4EE' \sin^2 \frac{\theta}{2} \quad \tau = \frac{Q^2}{4M_p^2} \quad \varepsilon = \left[ 1 + 2(1 + \tau) \tan^2 \frac{\theta}{2} \right]^{-1}$$



- Structure less "proton":

$$\left( \frac{d\sigma}{d\Omega} \right)_{\text{Mott}} = \frac{\alpha^2 [1 - \beta^2 \sin^2 \frac{\theta}{2}]}{4k^2 \sin^4 \frac{\theta}{2}}$$

- At very low  $Q^2$ , cross section dominated by  $G_E^p$ : →

$$\frac{d\sigma}{d\Omega} = \left( \frac{d\sigma}{d\Omega} \right)_{\text{Mott}} \left( \frac{E'}{E} \right) \frac{1}{1+\tau} G_E^p{}^2(Q^2)$$

$$G_E^p(Q^2) = 1 - \frac{Q^2}{6} \langle r^2 \rangle + \frac{Q^4}{120} \langle r^4 \rangle + \dots$$

- r.m.s. charge radius given by the slope:

$$\langle r^2 \rangle = -6 \left. \frac{dG_E^p(Q^2)}{dQ^2} \right|_{Q^2=0}$$

- Simultaneous detection of elastic and Moller electrons

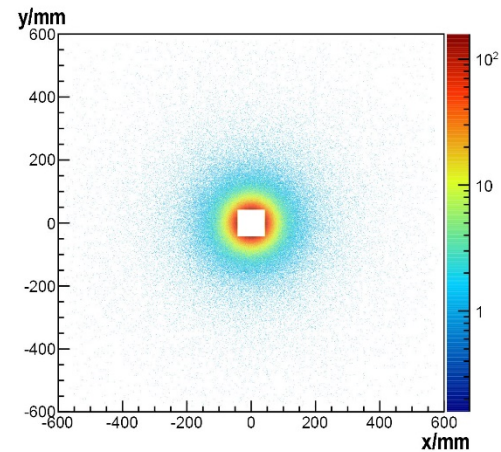
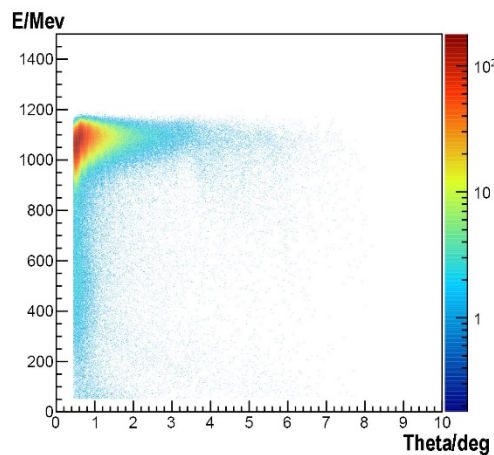
# *Data Analysis Procedure*

- Cluster reconstruction
- e-p and Møller separation
- Empty target subtraction
- Radiative corrections
- Events ratio correction
- Form factor extraction
- Extraction of the proton charge radius

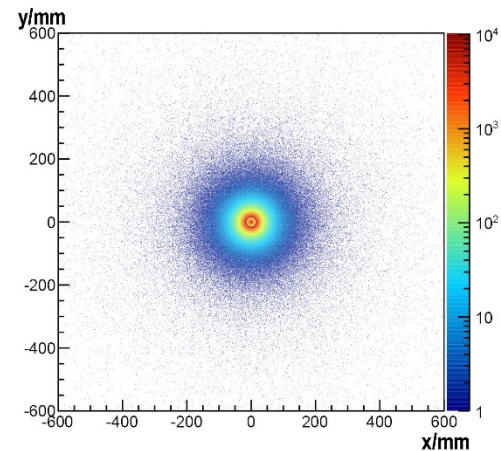
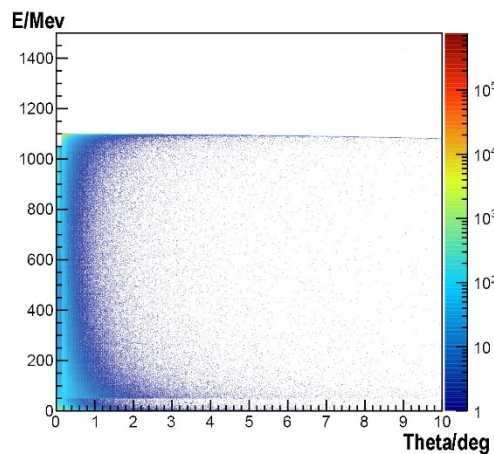
# Cluster reconstruction

- Reconstruction of clusters
  - Only e-p events with radiative corrections are shown here

Reconstructed events



Events from RC e-p generator

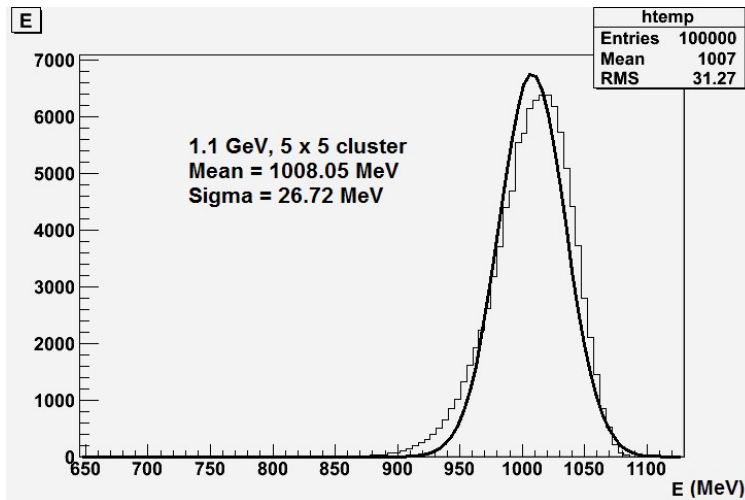




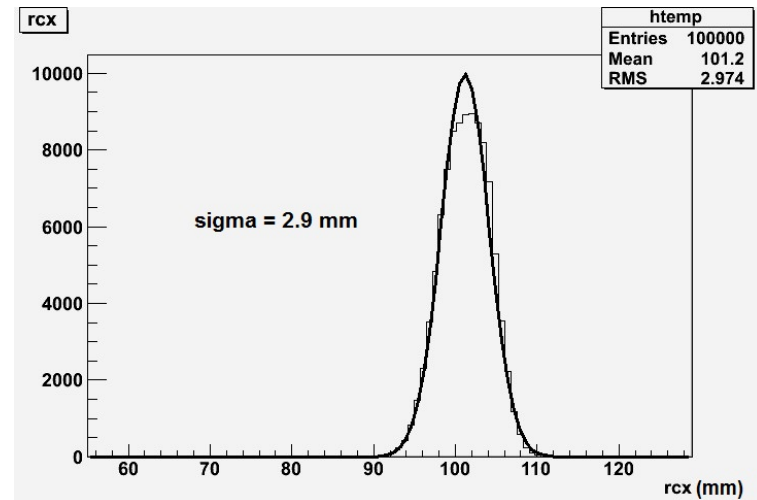
# Cluster reconstruction

- Center of gravity method is studied by simulation
  - $5 \times 5$  cluster, 1.1 GeV at  $x = 100$  mm
  - Crystal module result is shown, lead glass module will have about 2 times of the resolution

Reconstructed energy

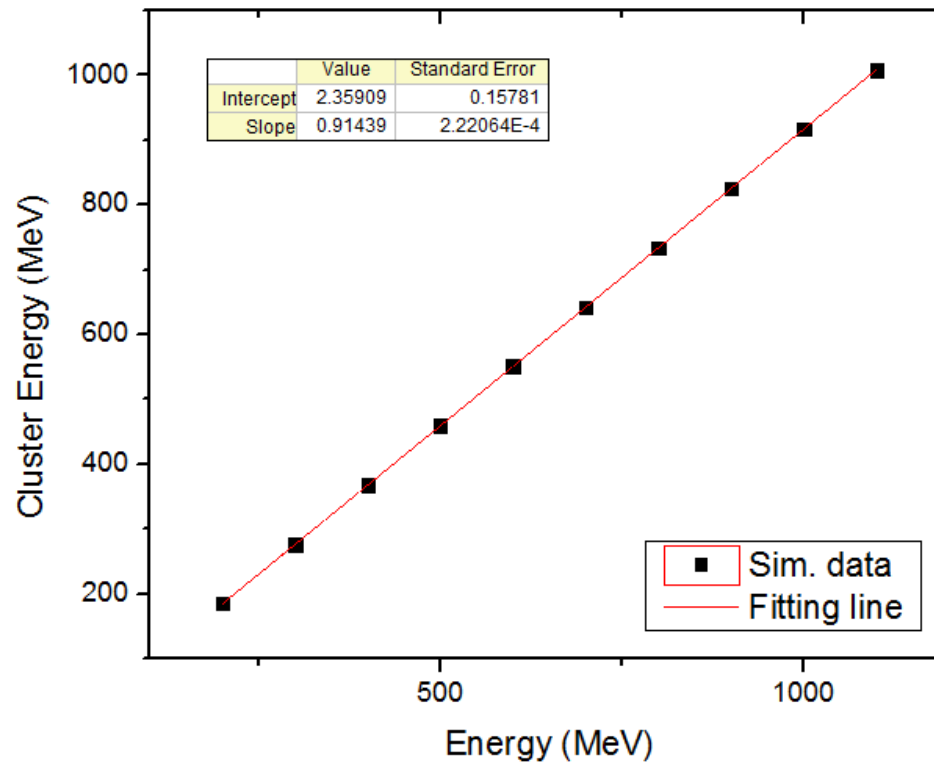


Reconstructed position



# *Cluster reconstruction*

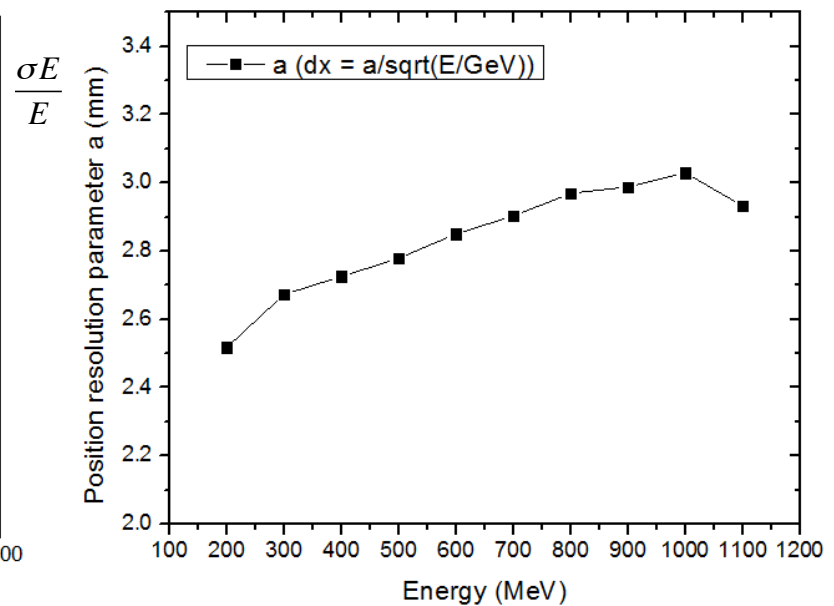
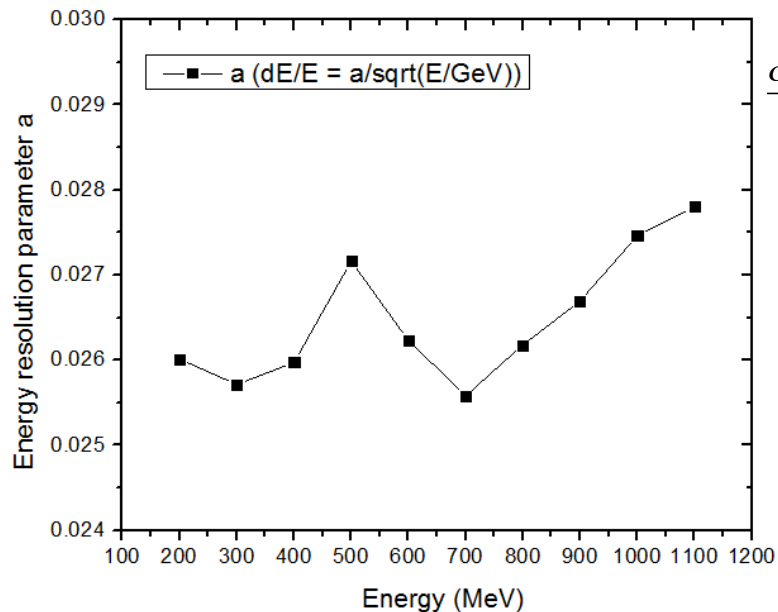
- Energy calibration  $E = (E_{cluster} - 2.359 \text{ MeV})/0.91439$



# Cluster reconstruction

- Resolution from simulation is consistent with HyCal behavior in PrimEx experiment

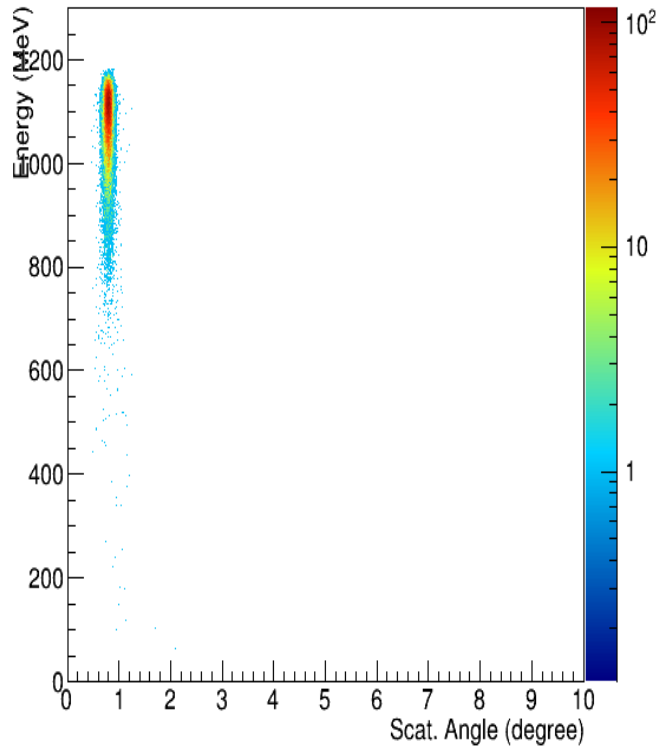
- $$\frac{\sigma E}{E} = \frac{2.6\%}{\sqrt{E / \text{GeV}}}, \quad \sigma_x = \frac{2.5 \text{mm}}{\sqrt{E / \text{GeV}}}$$



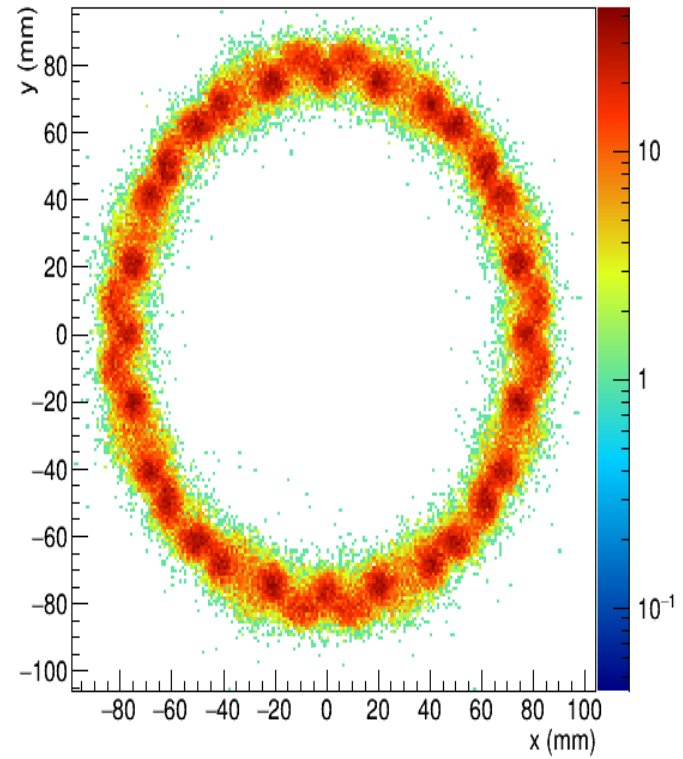
# *Cluster reconstruction*

- GEM hits reconstruction
- With GEM, the reconstruction for HyCal can be further improved in the following way:
  - Reconstructed position of cluster -> find hits on GEM
  - Hits on GEM -> provide accurate information about the position of hits -> improve reconstruction on HyCal

Reconstructed Hits

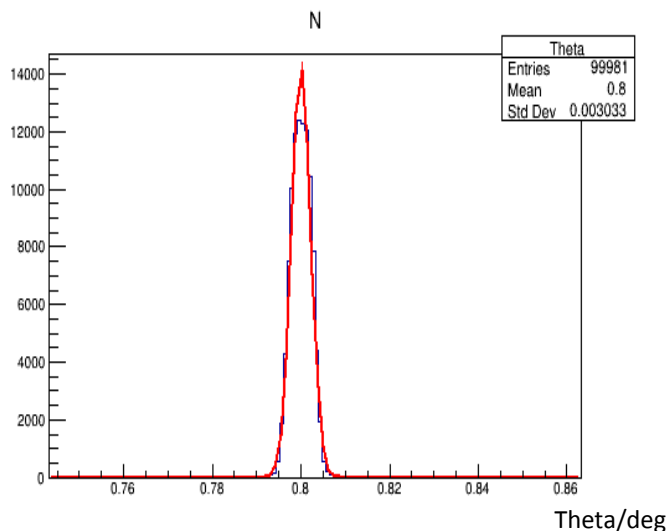
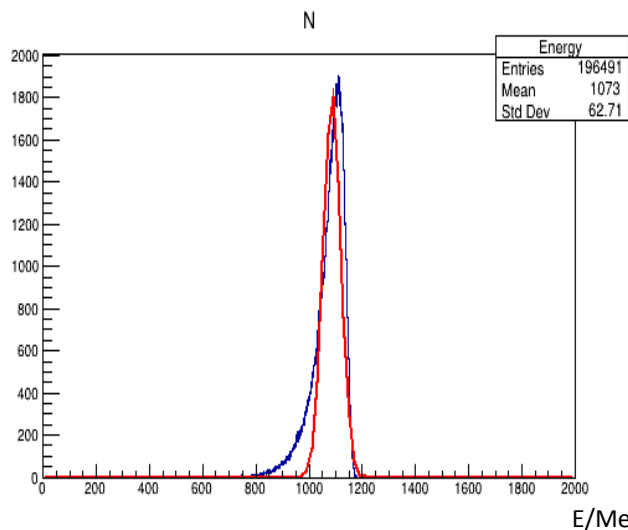


Reconstructed Hits on HyCal



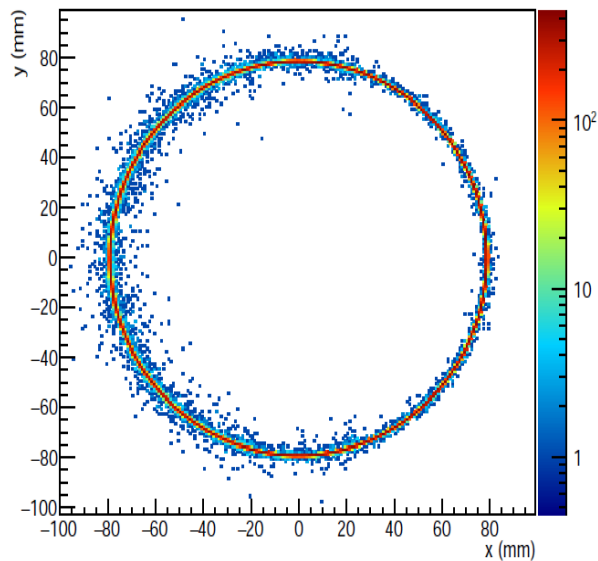
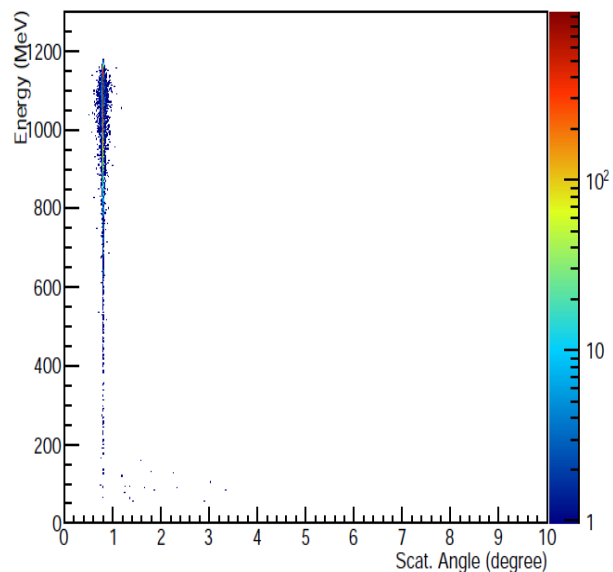
The reconstruction of 0.8 degree ring with only HyCal detector

# HyCal and GEM detectors (frame + foils)



HyCal + GEM, energy resolution  $\sim 26$  MeV

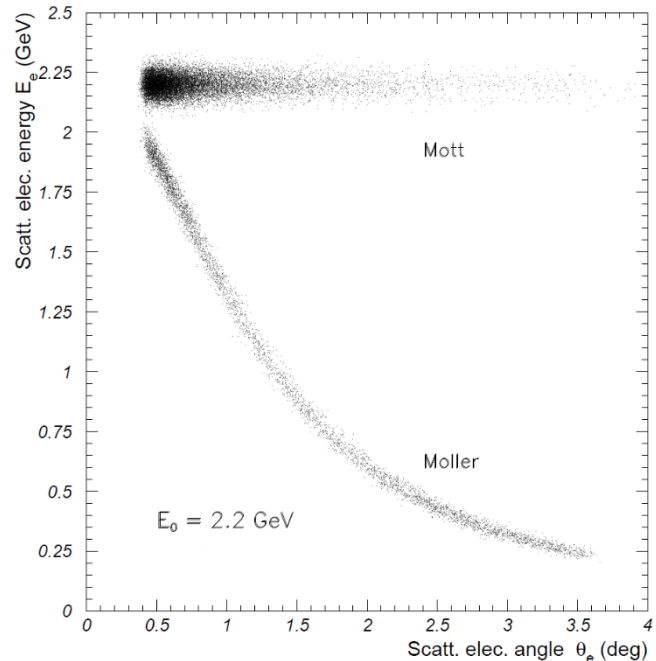
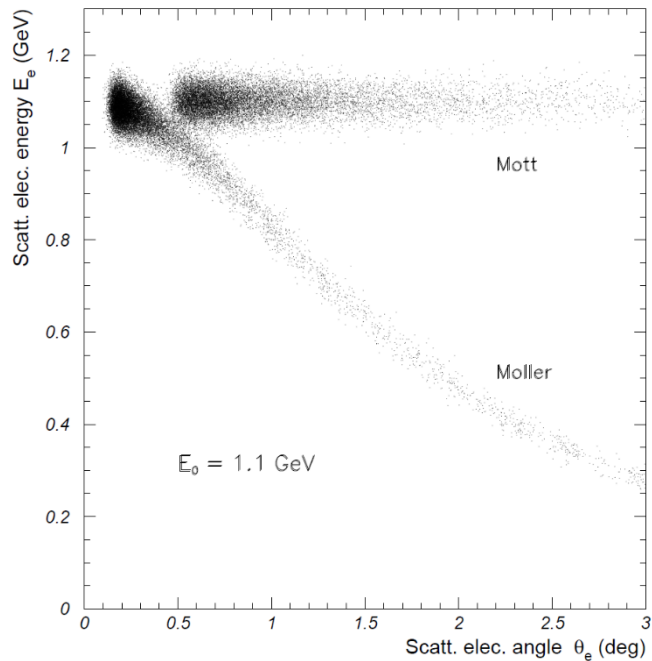
HyCal + GEM, angular resolution 0.0025 degree



Energy vs. angle, reconstructed hits    Reconstructed theta ring (0.8 degree)

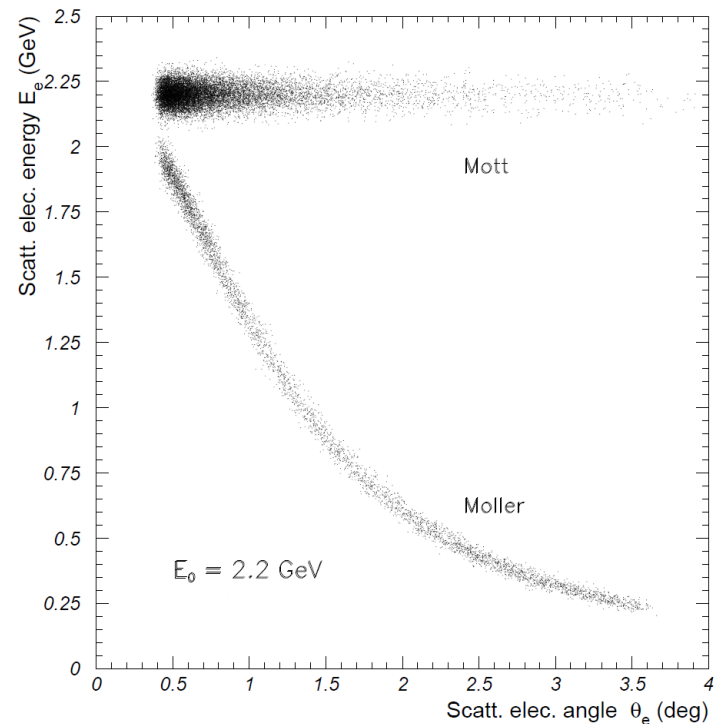
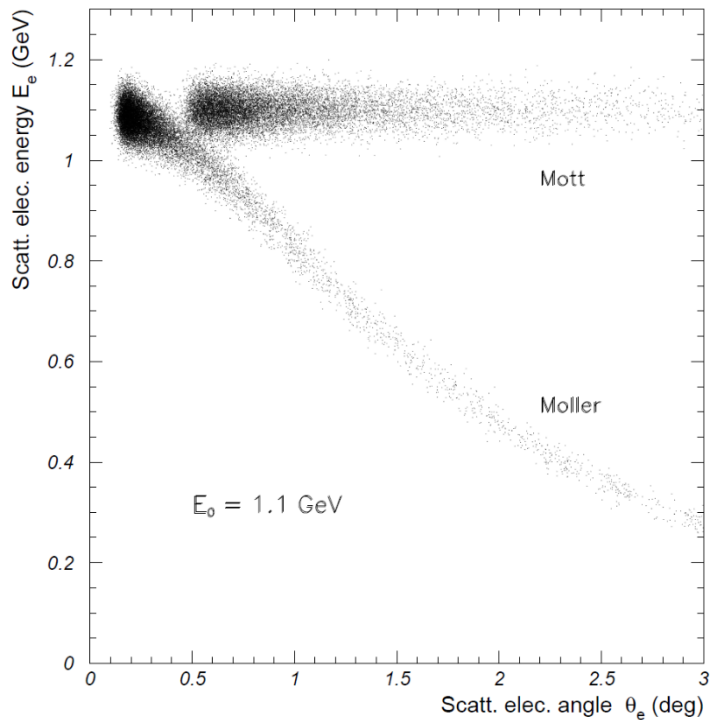
# *Events separation*

- In our kinematics, the Møller and ep events can be separated by a 2D cut



# *Events separation*

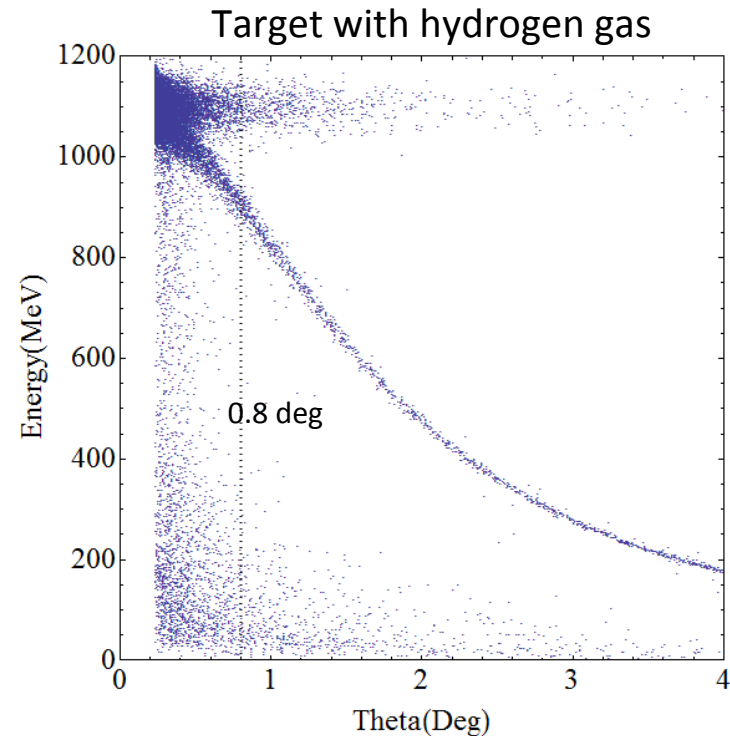
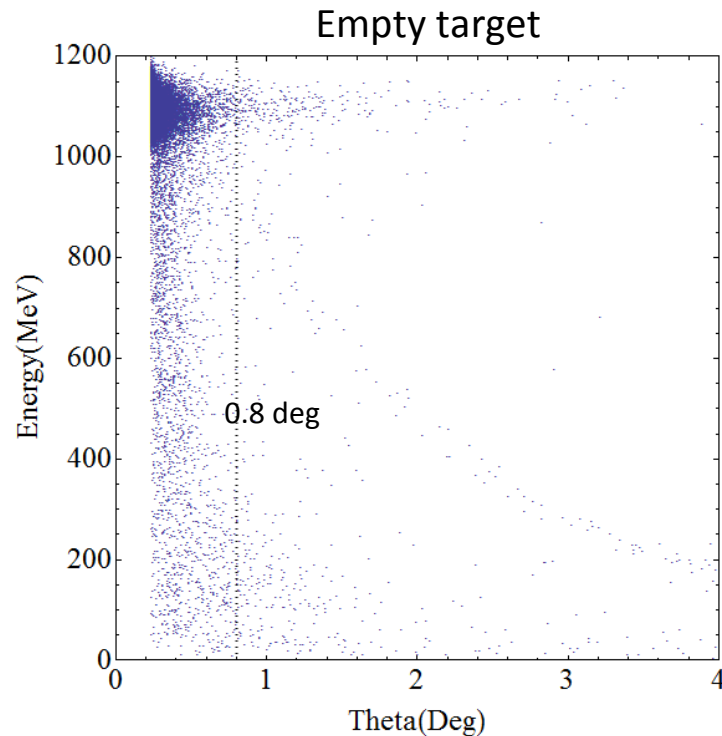
- In our kinematics, the Møller and ep elastic events can be separated by a 2D cut
  - Due to radiation effects, the two types of events cannot be perfectly separated, but this effect will be corrected during radiative corrections.





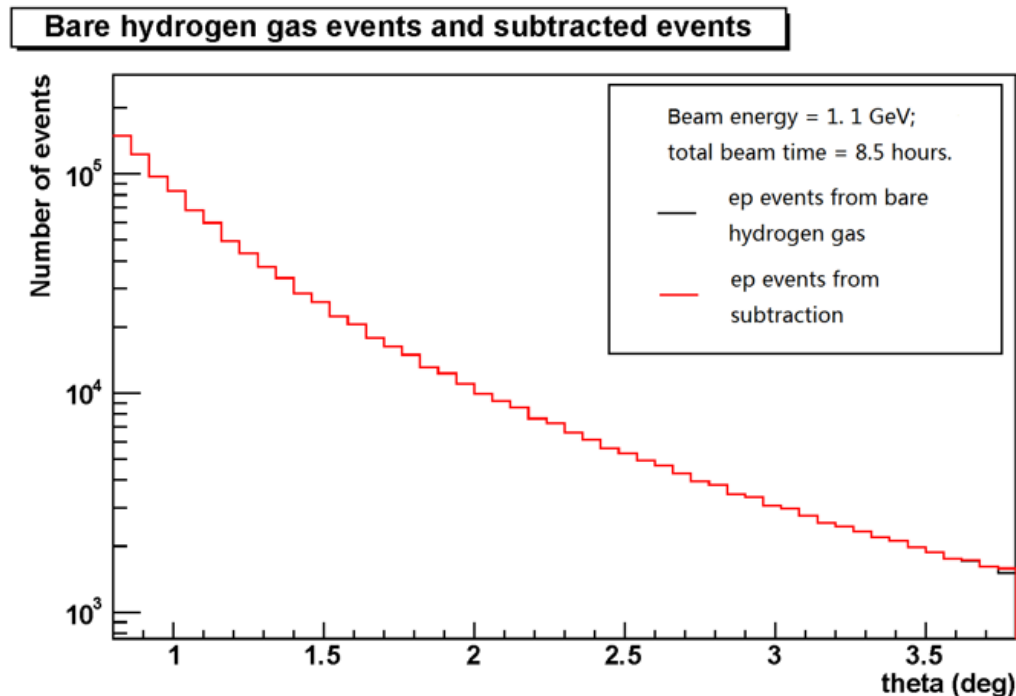
# *Empty target subtraction*

- An empty target run will be performed, and the events will be subtracted from production run.
- The subtraction minimizes the background from target cell structure and residual gas.



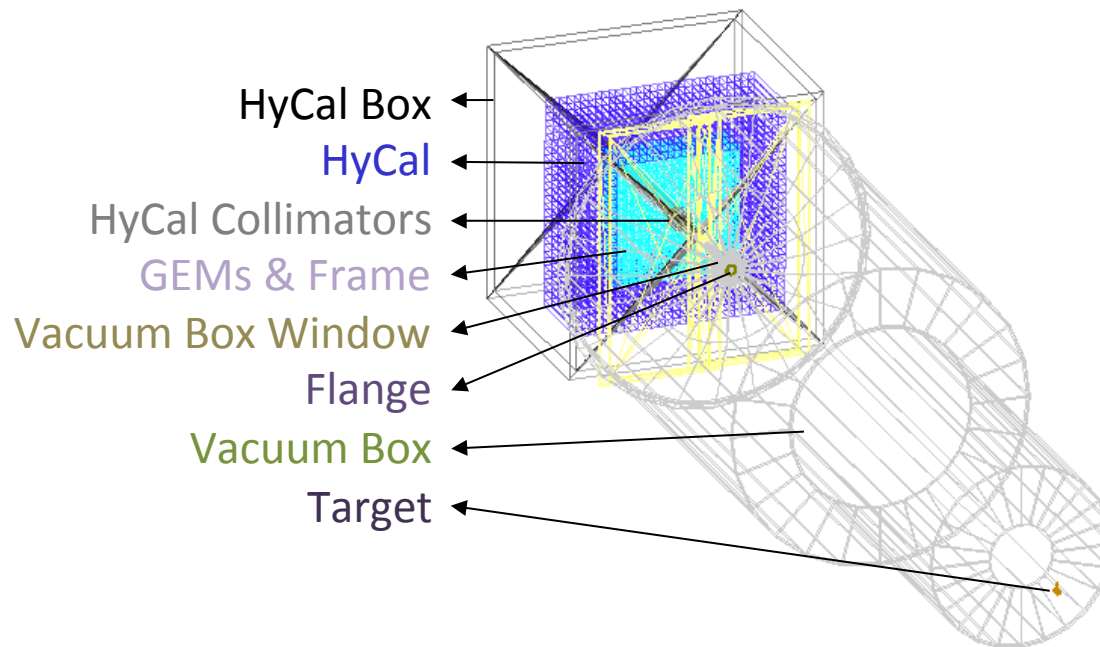
# *Empty target subtraction*

- Comparison between subtracted events and bare hydrogen target events:
  - 3 days of beam time, 20% beam time is for empty target run
  - uncertainty 0.06% ~ 0.5% for 12 angular bins from 0.8 degree to 3.8 degree



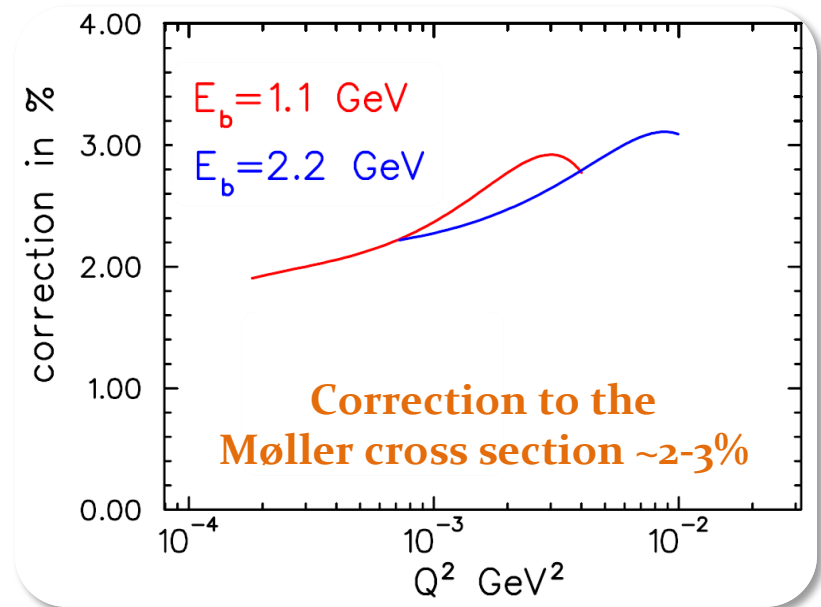
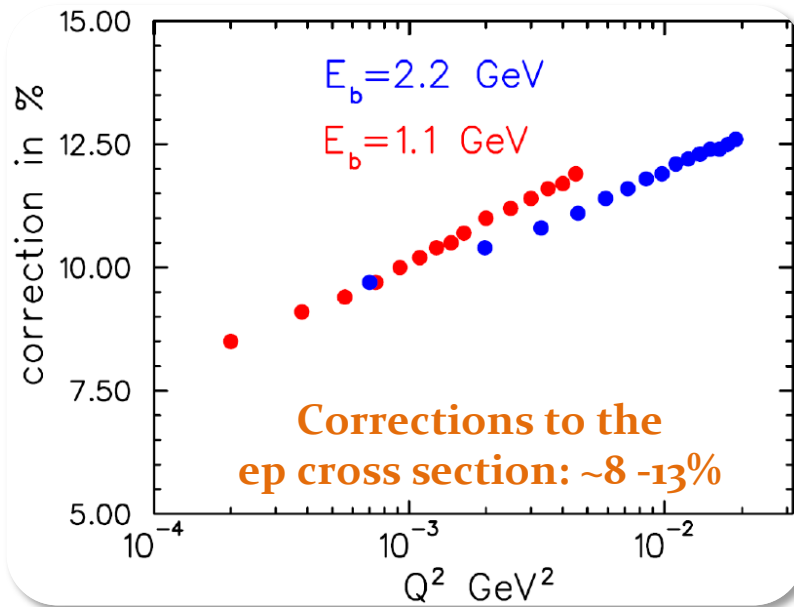
# *Radiative corrections*

- External corrections
  - GEANT4 simulation, current geometry in code is shown below



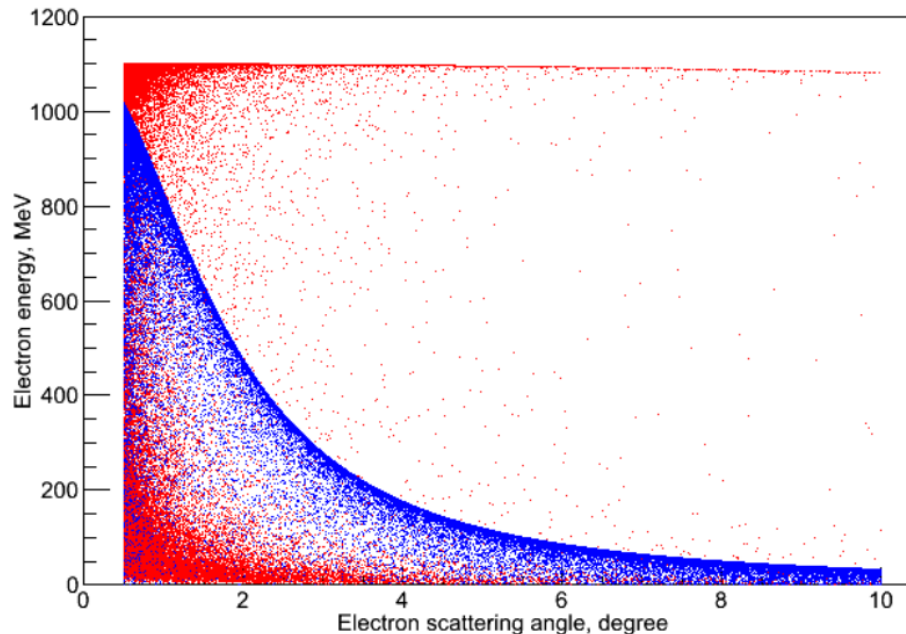
# Radiative corrections

- Internal corrections
  - Event generators including radiation effects of e-p and e-e scattering were developed
  - For very low  $Q^2$ , go beyond the ultra-relativistic approximation (URA,  $m^2 \ll Q^2$ )



# *Radiative corrections*

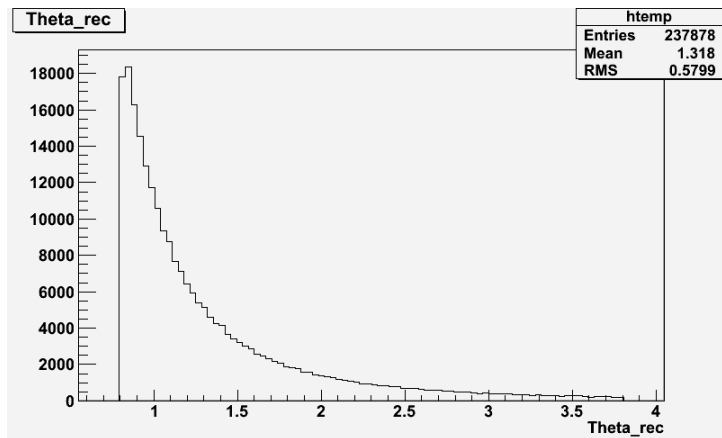
- Different event generator to check the corrections
  - Developed by A. Gramolin
  - Lowest order QED radiative corrections
  - First order bremsstrahlung without soft-photon or ultra-relativistic approximations



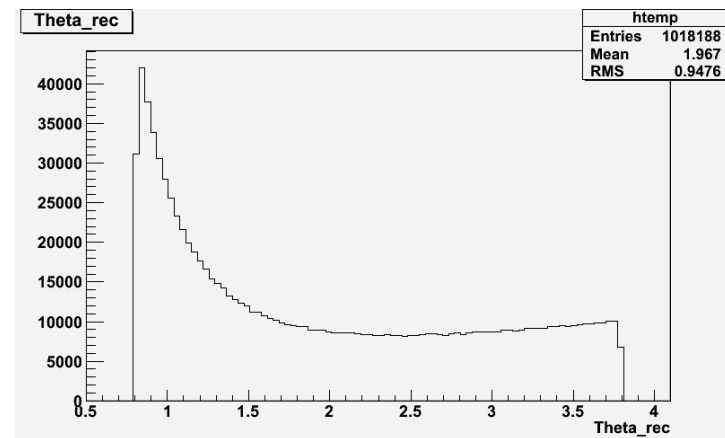
# *Events ratio correction*

- e-p elastic cross sections are normalized to Møller cross sections
- Events distributions are different, so the acceptance ratio for each angular bin will be affected by the resolution

e-p Born level

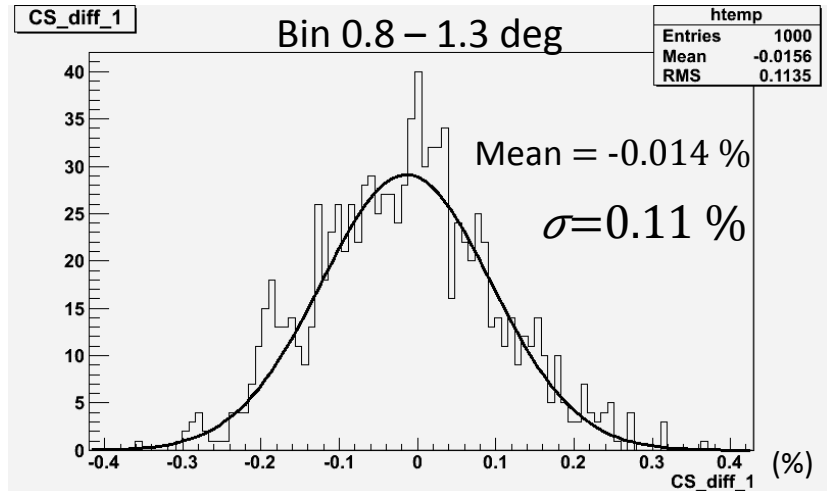
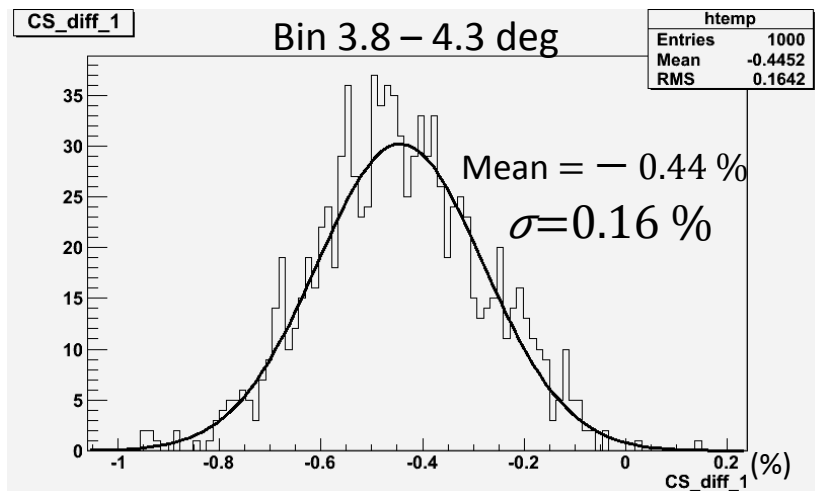


Møller Born level



# *Events ratio correction*

- Mean value shift of the ratio can be corrected, uncertainty will propagate into determination of cross-sections
  - Results for a few bins are shown as example
  - Estimation of the uncertainty: 0.1 % ~ 0.3 %



# *Form factor extraction*

- Rosenbluth formula

$$\sigma_R = \left( \frac{d\sigma}{d\Omega} \right)_{exp} / \left( \frac{\sigma_{Mott}}{\epsilon} \frac{\tau}{1 + \tau} \right) = \frac{\epsilon}{\tau} G_E^{p2} + G_M^{p2}$$

- At 1.1 GeV,  $G_M$  contribution is 0.015% ~ 0.06%, can be neglected
- High  $Q^2$  part at 2.2 GeV,  $G_E$  is still dominating,  $G_M$  contribution can be simply determined by existing data with a reasonable uncertainty

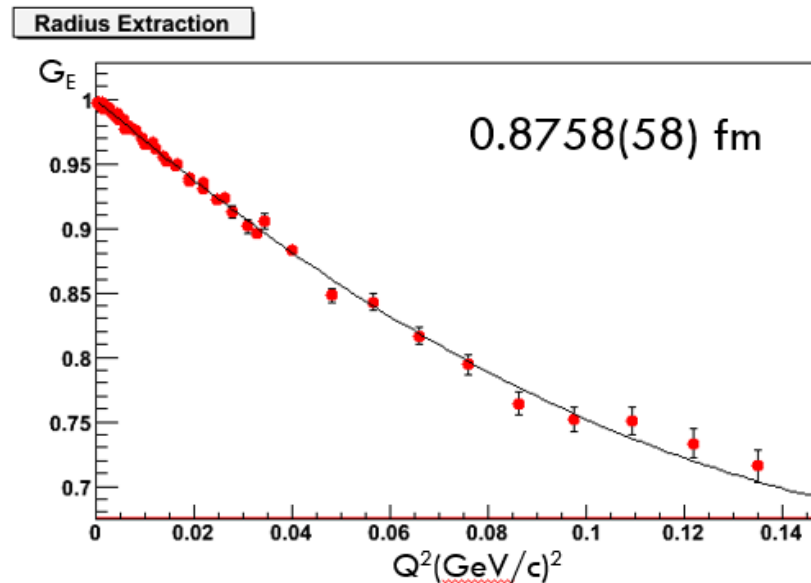


# *Extraction of proton radius*

- Rms proton charge radius, slope of  $G_E$  at  $Q^2$  close to 0

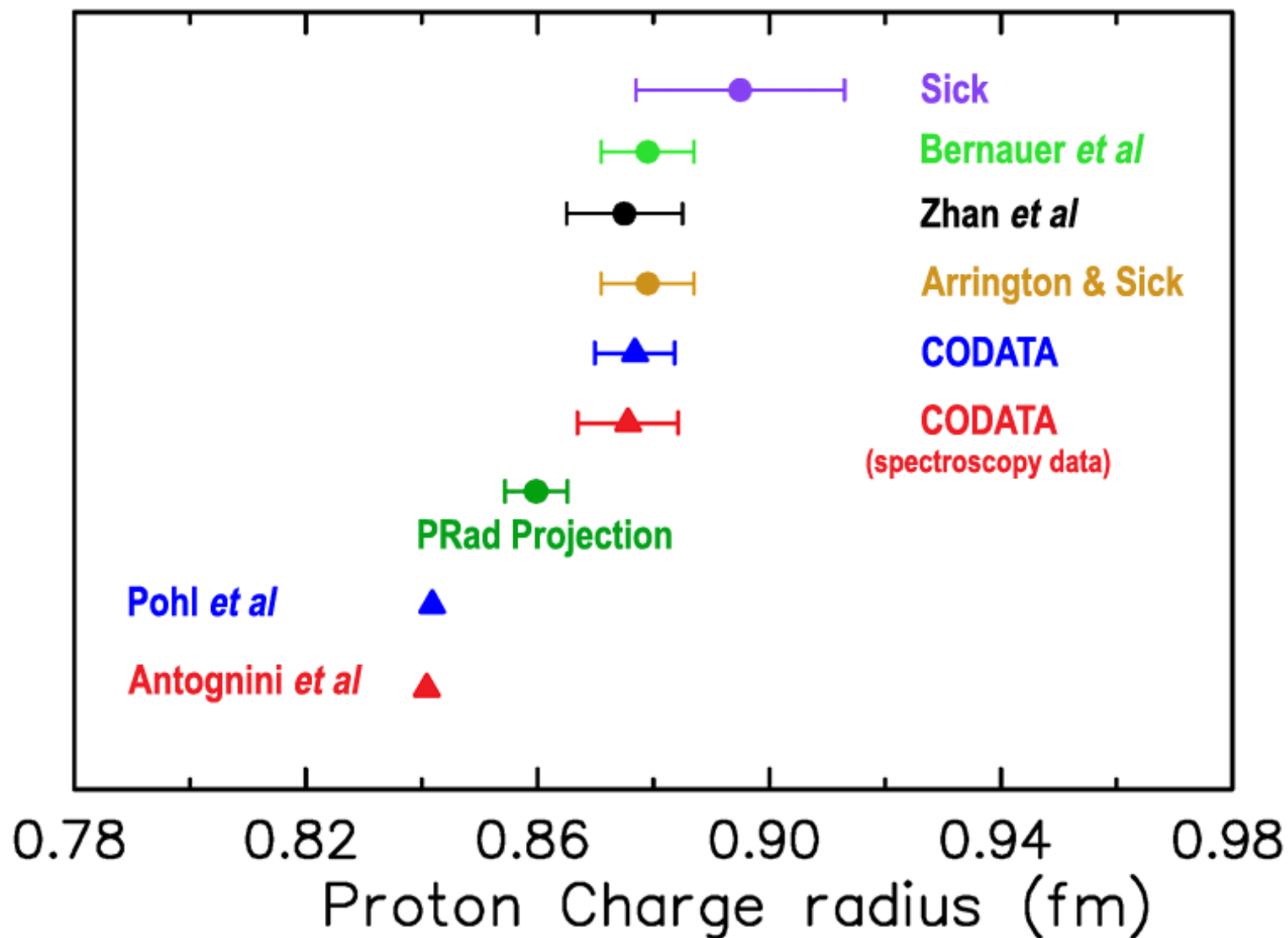
$$\frac{\langle r^2 \rangle}{6} = - \left. \frac{dG_E^p(Q^2)}{dQ^2} \right|_{Q^2=0}$$

- The slope is extracted through fitting
  - Linear fit, polynomial fit, dipole fit and continuous fraction fit were tested with simulation data (dipole fit is shown)

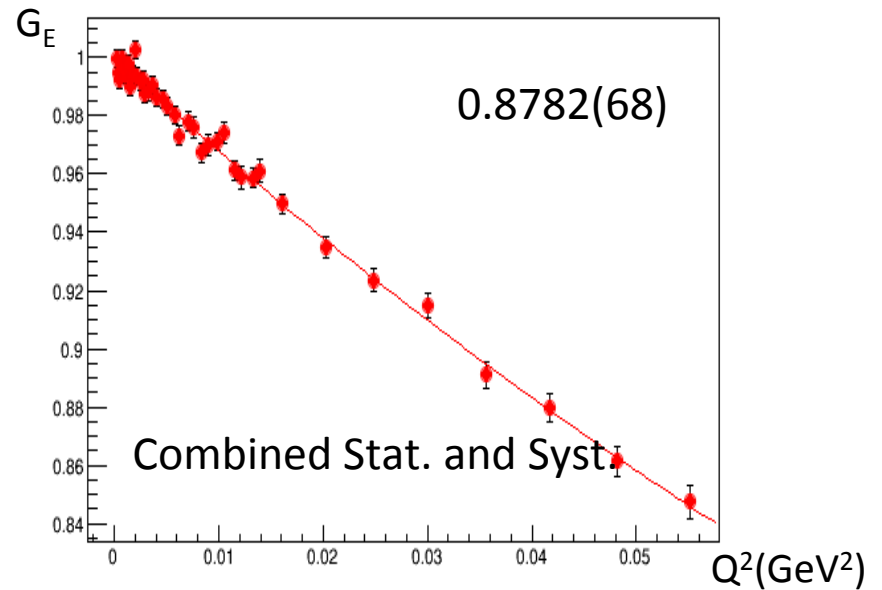
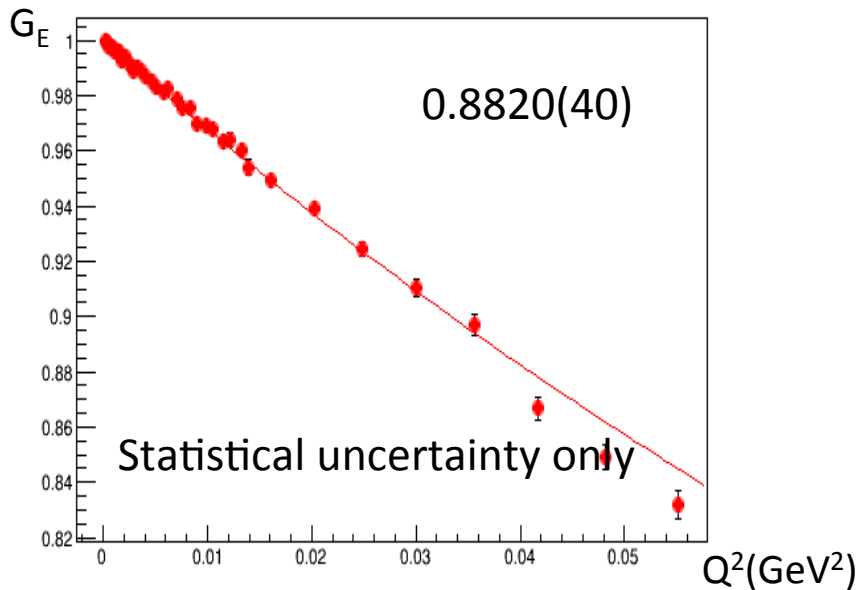


H. Gao

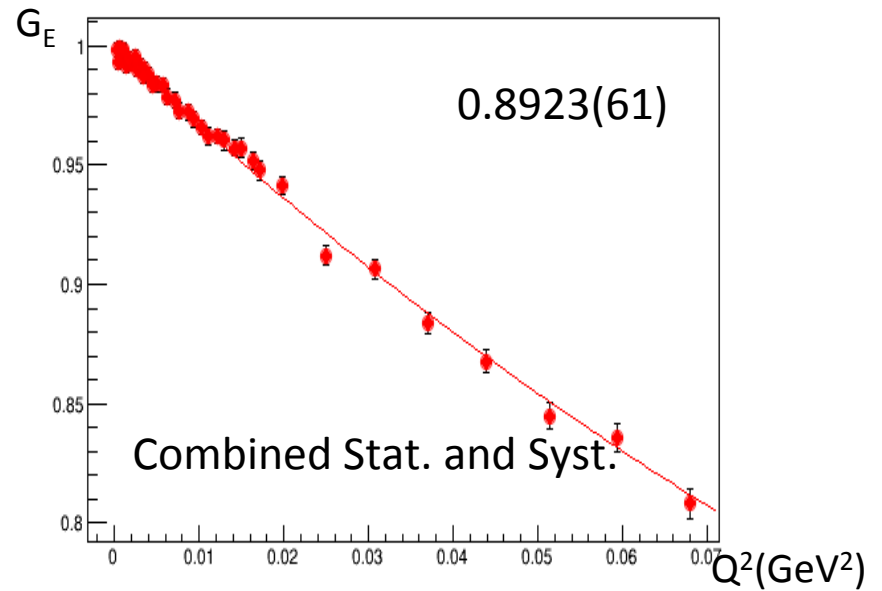
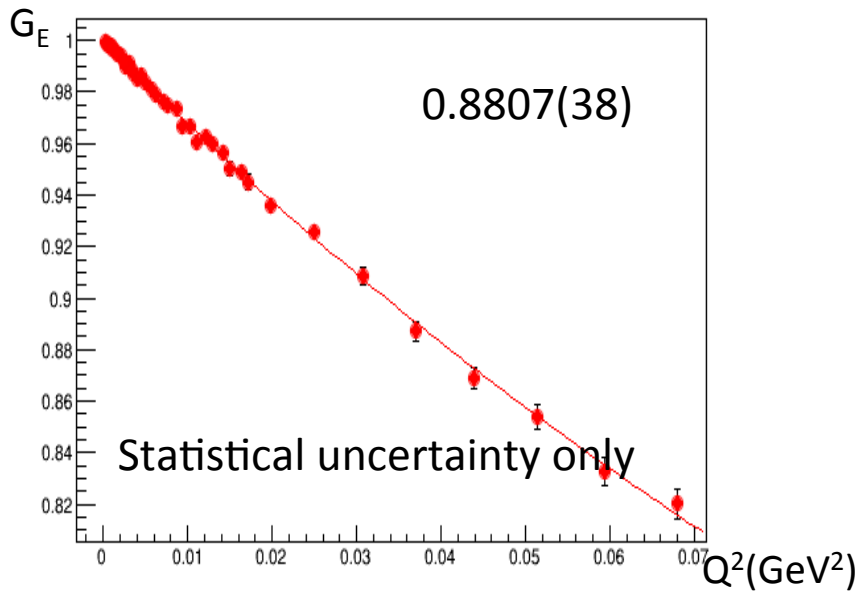
# *PRad Projected Result with world data*



- Assuming 0.9 GeV and 1.8 GeV beam
- 3 days for 0.9 GeV, 12 days for 1.8 GeV
- Assumed 0.6% systematic error
- Input 0.8768 fm



- Assuming 1.0 GeV and 2.0 GeV beam
- Same conditions
- Input 0.8768 fm



- Only 1.1 GeV beam
- No global data included
- Combined syst. & stat. error

