

nn Λ analysis meeting (JLab E12-17-003)

Graduate School of Science, Kyoto University

Toshiyuki Gogami

April 14, 2021



京都大学 理学研究科・理学部
GRADUATE SCHOOL OF
FACULTY OF SCIENCE
KYOTO UNIVERSITY

SPIRITS
SUPPORTING PROGRAM FOR INTERACTION-BASED
INITIATIVE TEAM STUDIES

科研費
KAKENHI

$\Delta x'$ and $\Delta y' \rightarrow \Delta\theta$

```
// ===== The way of Kyoto ===== //
```

```
dxp1 = xpc/(1.0+xpc*xpc+ypc*ypc)/sqrt(xpc*xpc+ypc*ypc)*xpreso;  
dyp1 = ypc/(1.0+xpc*xpc+ypc*ypc)/sqrt(xpc*xpc+ypc*ypc)*ypreso;
```

```
// ===== The way of Hampton ===== //
```

```
double temp = -ypc*sin(angc)+cos(angc);  
double temp2= temp/sqrt(1.0+xpc*xpc+ypc*ypc);  
double temp3= sin(angc)*(1.0+xpc*xpc) + ypc * cos(angc);  
dxp2 = -1.0/sqrt(1.0-temp2*temp2) * temp * (-1.0*xpc*pow(1.0+xpc*xpc+ypc*ypc,-3./2.));  
dxp2 = dxp2 * xpreso;  
dyp2 = -1.0/sqrt(1.0-temp2*temp2) * temp3 * (-1.0*pow(1.0+xpc*xpc+ypc*ypc,-3./2.));  
dyp2 = dyp2 * ypreso;
```

xpreso = 0.0025, ypreso = 0.0012:

- Way of Kyoto: 0.00113952
- Way of Hampton: 0.00113952

Conversion equations that were
only used for resolution estimation:

Kyoto:

https://wiki.jlab.org/tegwiki/images/4/4e/JL_abMeeting_20210331_gogami_2.pdf

Hampton:

https://wiki.jlab.org/tegwiki/images/e/e4/Angle_conversion.pdf

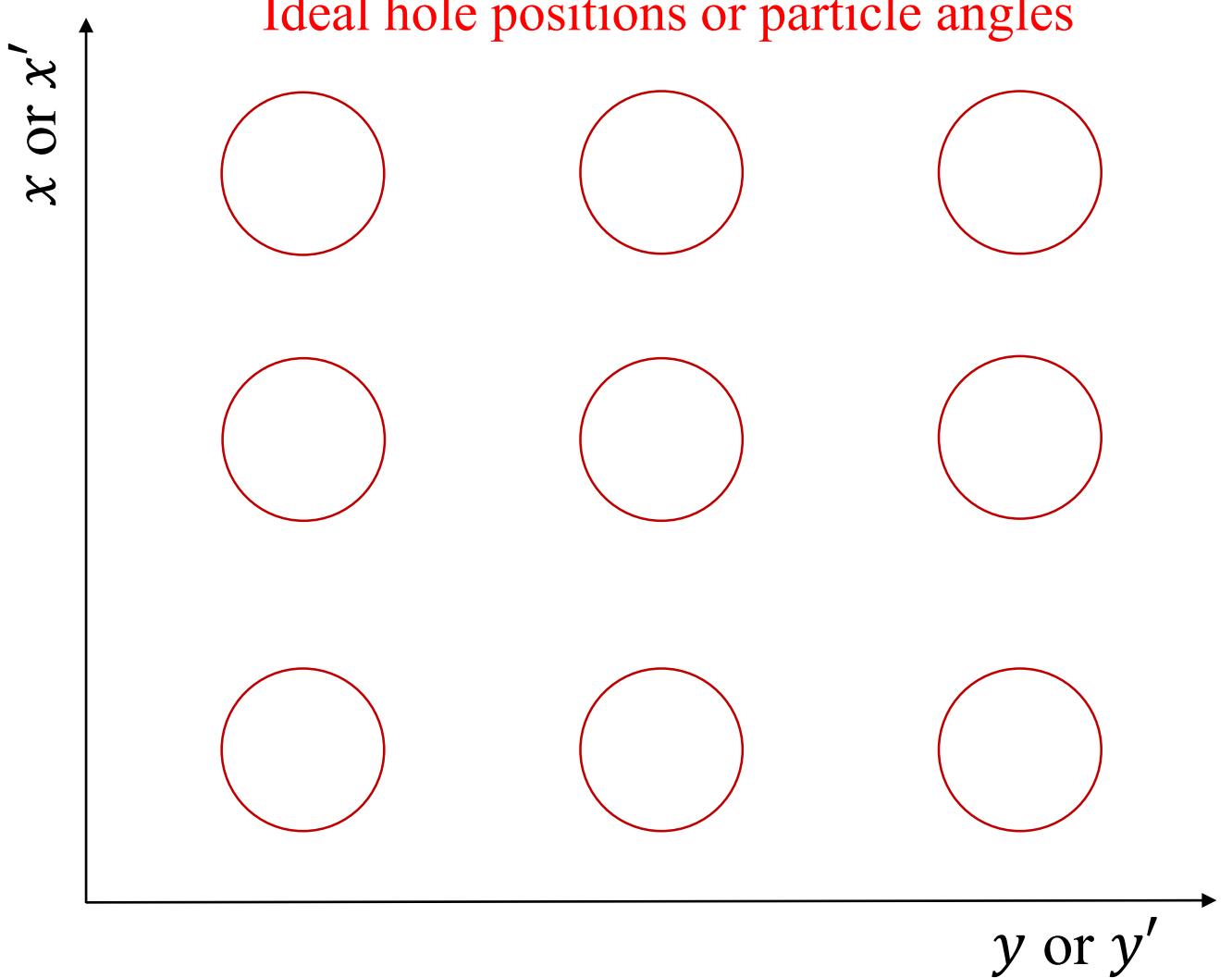
Hampton values

xpreso = 0.0011, ypreso = 0.0034:

- Way of Kyoto: 0.00322864
- Way of Hampton: 0.00322864

$\Delta\theta$ is exactly the same when the same assumption is used

Angle resolution estimation by SS data



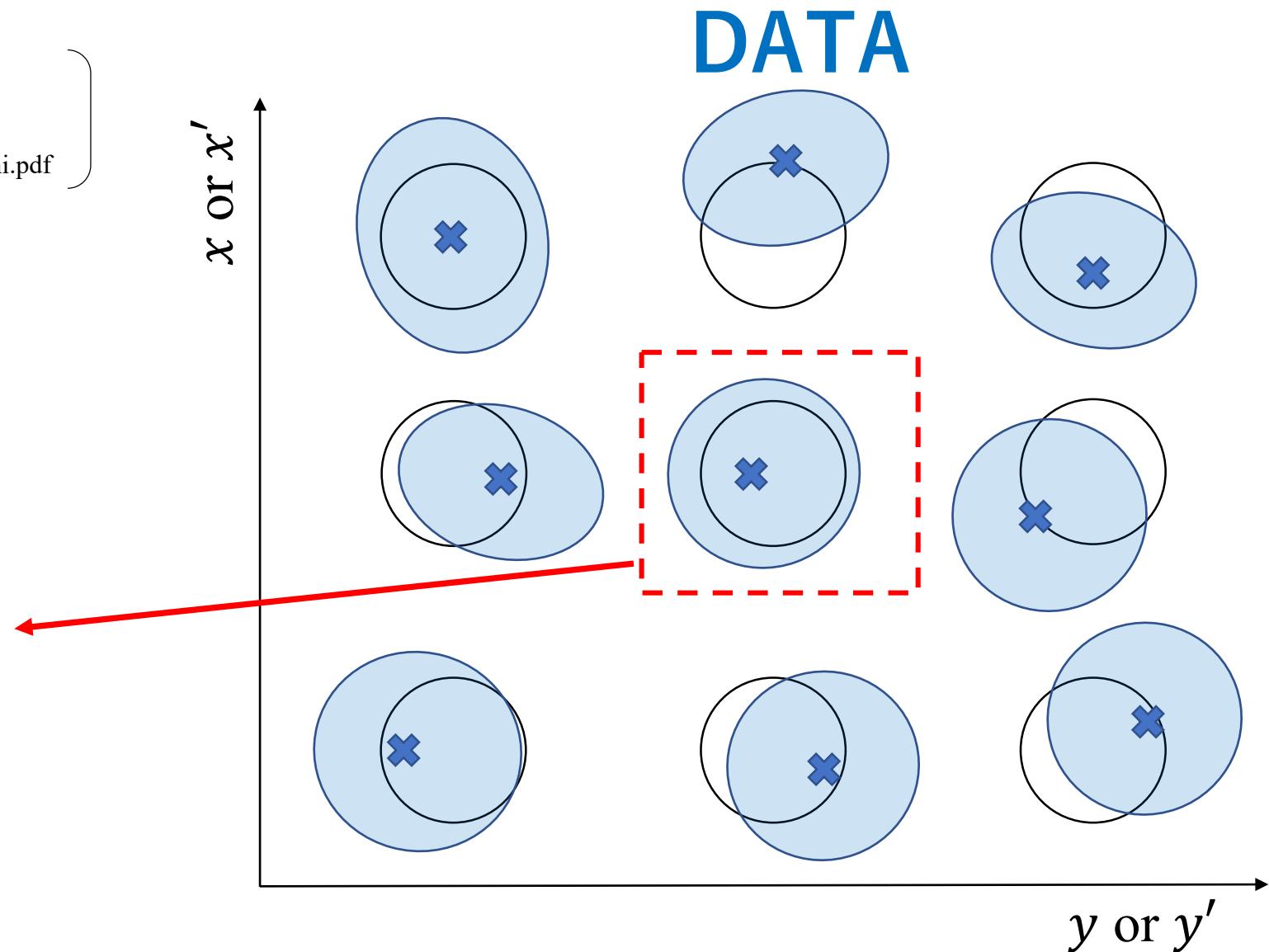
Angle resolution estimation by SS data

Reference:

https://www-nh.scphys.kyoto-u.ac.jp/~gogami/e12-17-003/meeting/analysis/src/nnL_AnalysisNote_20200501_gogami.pdf

Suzuki's estimation shown
in the previous meeting:

- $\Delta x' = \Delta \left(\frac{p_x}{p_z} \right) = 2.2 \times 10^{-3}$
- $\Delta y' = \Delta \left(\frac{p_y}{p_z} \right) = 0.8 \times 10^{-3}$

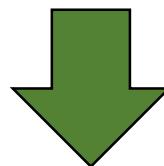


Angle resolution estimation by SS data

When all holes in each column or row were used for estimation:

- $\Delta x' = \Delta \left(\frac{p_x}{p_z} \right) = 2.37 \times 10^{-3}$
- $\Delta y' = \Delta \left(\frac{p_y}{p_z} \right) = 1.52 \times 10^{-3}$

“Effective precisions” that take
“accuracies” into account in the acceptance



Effective precision: Suzuki's talk
Accuracy: Kosuke's talk

