

# *H3* / *D2* status

**Michael Nycz**  
**Kent State University**

# Reminder : Pass 1 cuts and corrections

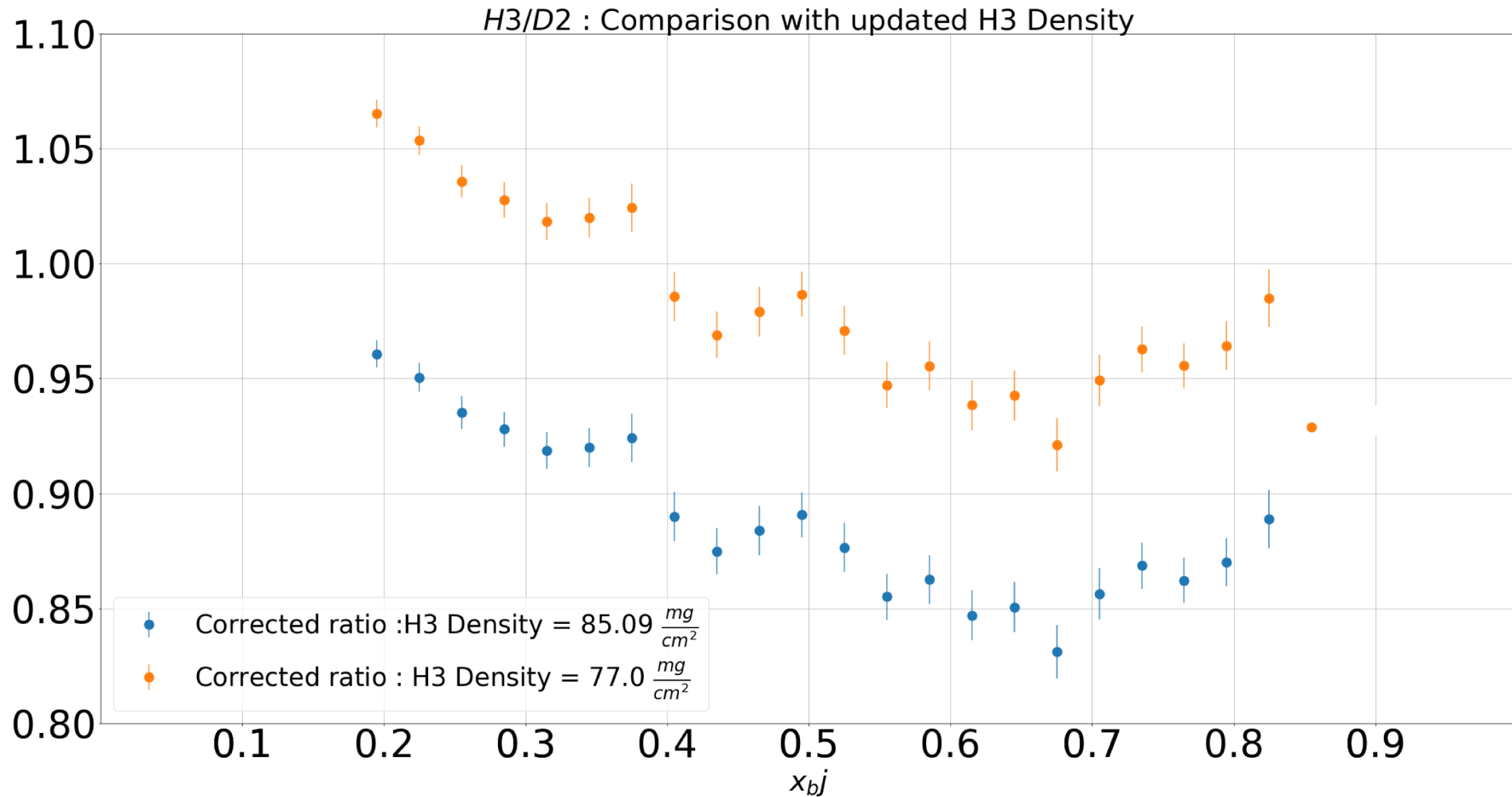
## Cuts

- $\theta < |0.06|$
- $\phi < |0.03|$
- $\delta p < |0.04|$
- $z > -0.09$  &  $z < 0.01$
- Cherekov sum  $> 2000$
- $E/p > 0.75$
- Triggers:
  - T2 & T5
- $W^2 > 3.0$

## Corrections

- Live Time
- **Density** : new H3 density
- $e^+$
- End Cap
- Beta Decay
- Radiative Corrections – (T2 externals)

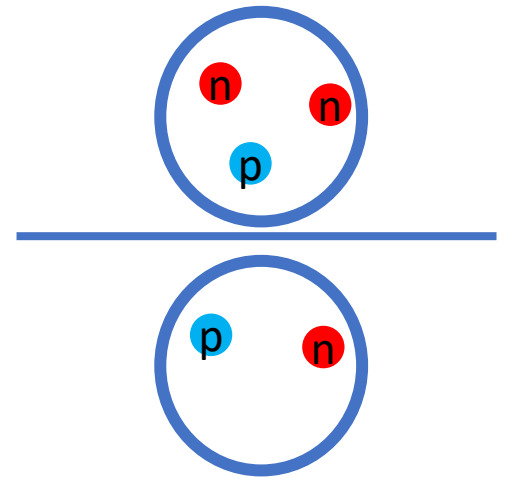
# $H^3/D_2$ with updated H3 density



consistent with expectations ✓

Next Step  
→  
Isoscalar correction

# Isoscalar factor

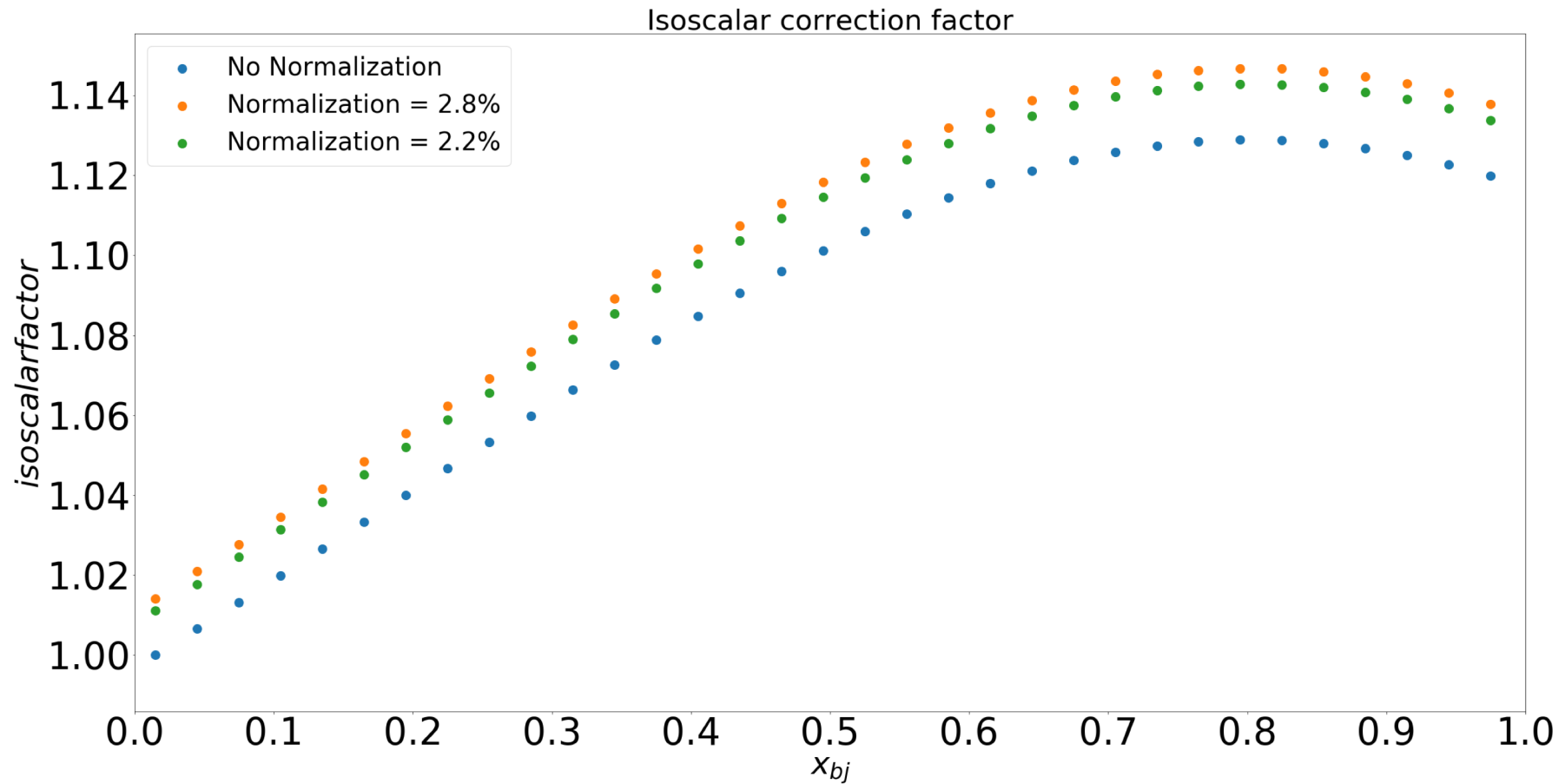


- EMC ratio : Ratio of per nucleon cross sections
  - where the per nucleon cross section is :  $\frac{\sigma^A}{A}$
- For non-isoscalar nuclei :  $Z \neq A/2$ 
  - need to apply isoscalar correction to account for difference in proton and neutron cross sections

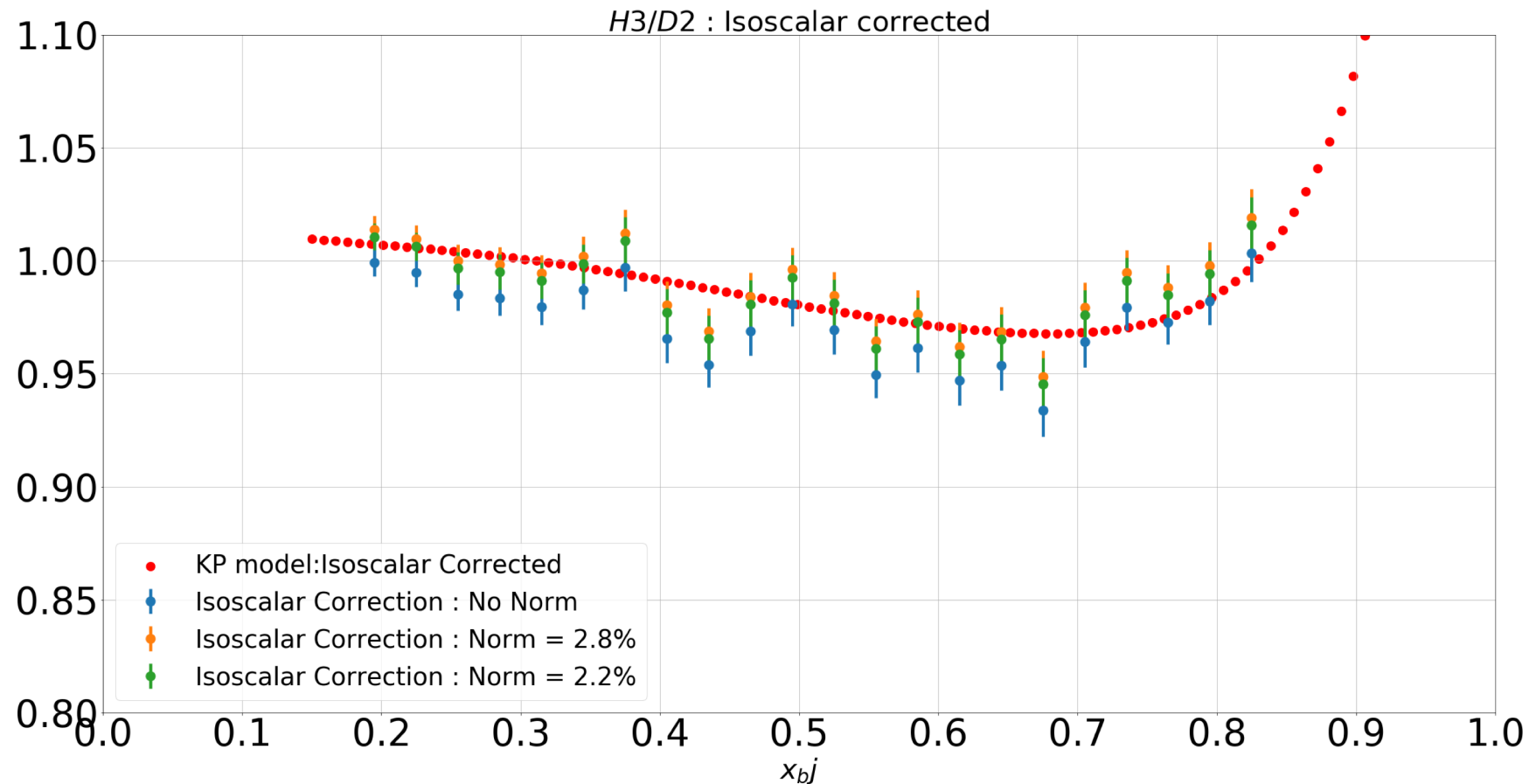
$f_{iso}$  depends on  $\frac{F_2^n}{F_2^p}$  input (Tong Su)

$$\bullet f_{iso} = \frac{\frac{1}{2}[F_2^n + F_2^p]}{\frac{1}{A}[ZF_2^p + (A-Z)F_2^n]} \Rightarrow f^{iso} = \frac{\frac{1}{2}\left[1 + \frac{F_2^n}{F_2^p}\right]}{\frac{1}{A}\left[Z + (A-Z)\frac{F_2^n}{F_2^p}\right]}$$

# Isoscalar correction factor for $H^3/D_2$ with different $\frac{F_2^n}{F_2^p}$ normalizations



# H3/D2 Isoscalar corrected ratio Kulagni & Petti model



- Appears to match well with KP model
- Need to look into "Bumps" [ $\sim 0.37, \sim 0.49$ ] – pass2

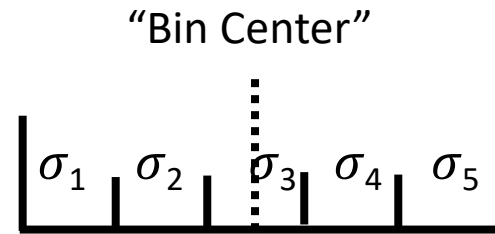
- 0.5% random systematic uncertainty is included along with statistical errors

# Bin Centering Check

- In a given bin, the yield will be the averaged value not the central value of the bin
  - Bin Centering Correction Factor for MARATHON?
  - **Should be in terms of the ratio (since that is ultimately what we are doing)**
  - large? small?
- Check the **relative magnitude** of the correction for each target with a model (Kulagin and Petti)
  - **Look at the ratio of these factors**

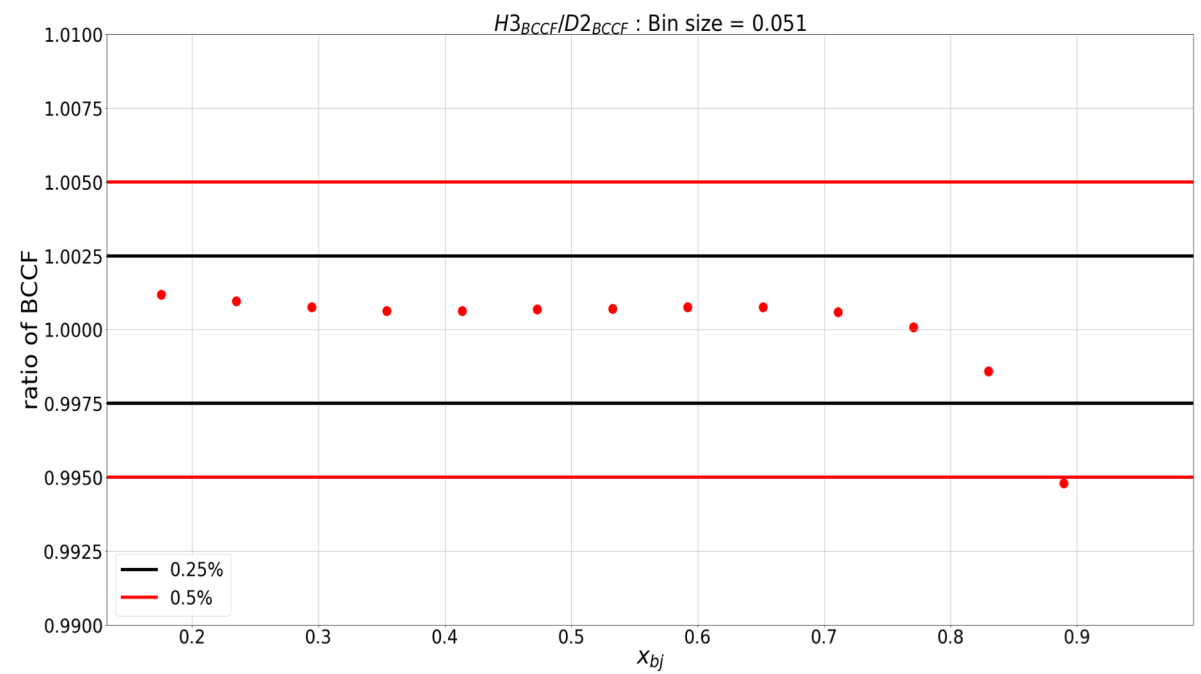
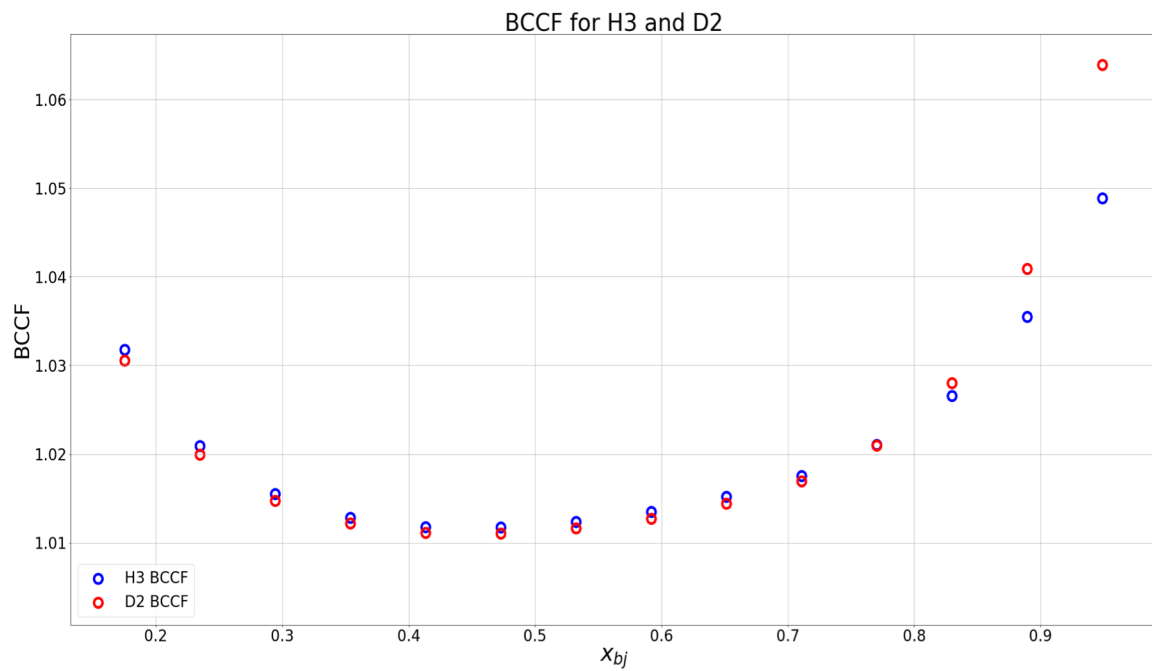
# General Procedure

- KP model provides  $F_2$  and  $x_b$  for Tritium, Helium 3, and Deuterium:
  - Use this to calculate :  $\sigma_{3H}$ ,  $\sigma_{3He}$ ,  $\sigma_{2D}$
  - Using the cross sections and  $x_{bj}$  we can test how different the average value for a given bin is from the bin center
  - Create bins from model
    - example : bin data in groups of 5
- BCCF = how different the average value of the group is from the bin centered value
- **What is the ratio of these corrections for H3,He3,D2 targets?**
- Rinse and repeat : vary bins size
  - compare with our nominal bin size : 0.03

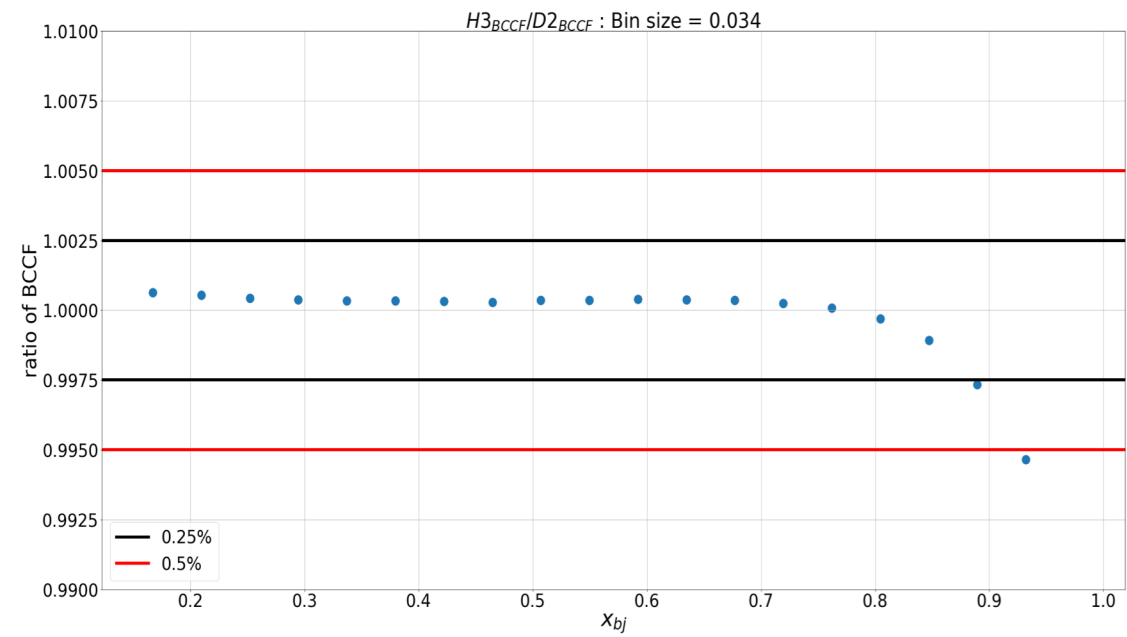
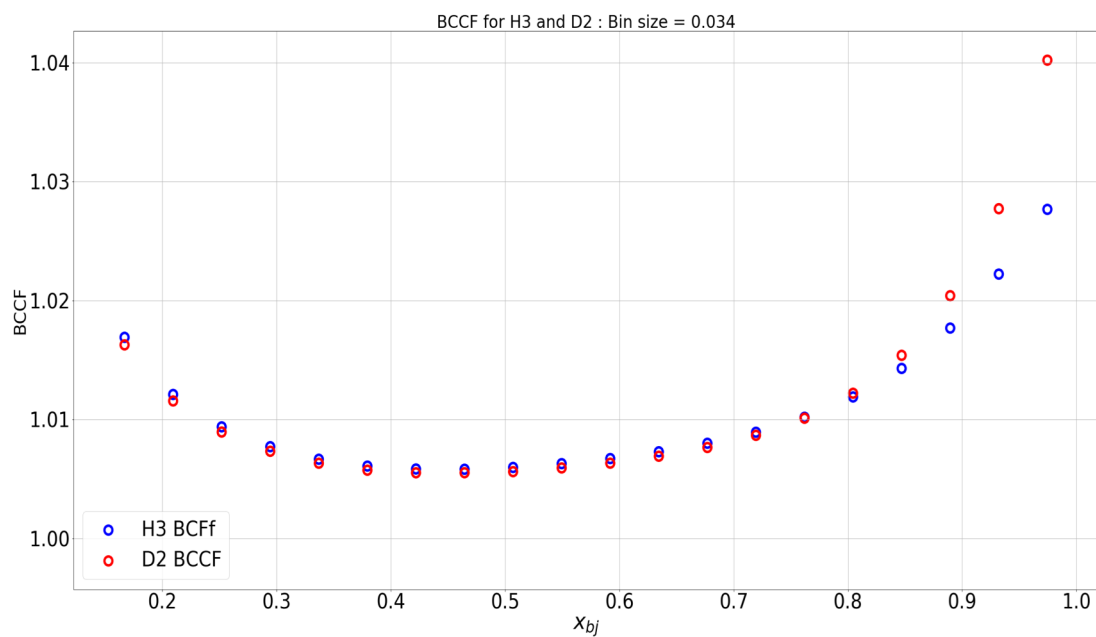




# Bin size = 0.051



# Bin Size = 0.034 ( $\approx$ our bin size)



# Conclusions

- The larger the bin, the larger the correction factor (not surprising)
- Bin size = 0.034 : the **ratio** of the Bin Centering Correction factor for  $\frac{^3\text{H}}{^3\text{He}}$ ,  $\frac{^3\text{He}}{^2\text{D}}$ , &  $\frac{^3\text{H}}{^2\text{D}}$  **is**  $\lesssim 0.1\%$  [Our nominal bin size]
- Suggests that we do not need to add a bin centering correction for the **ratios**

Thanks

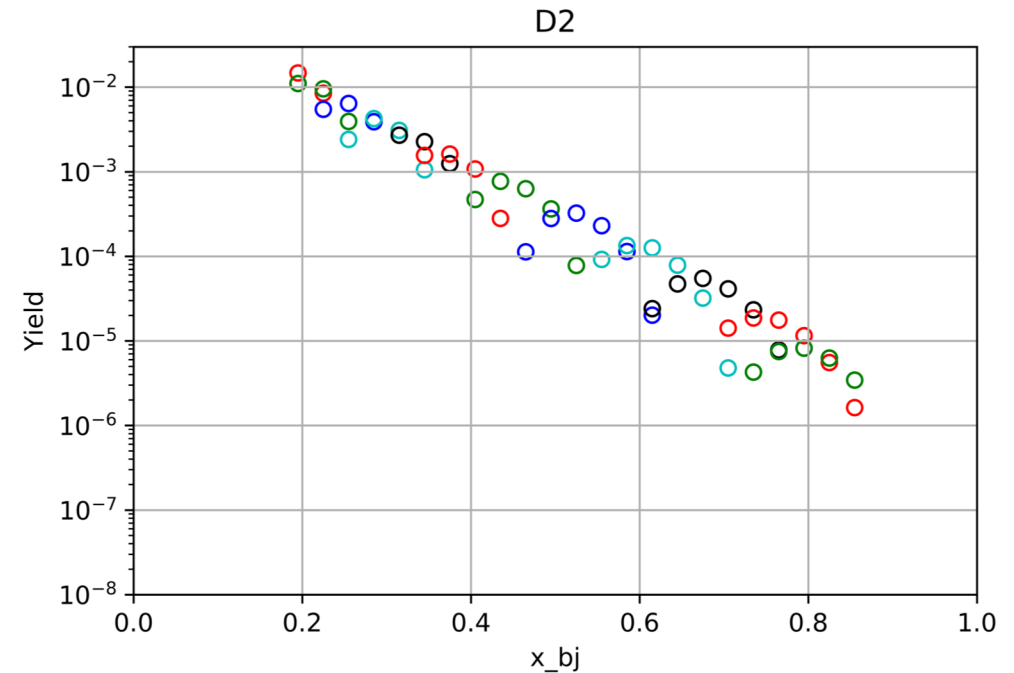
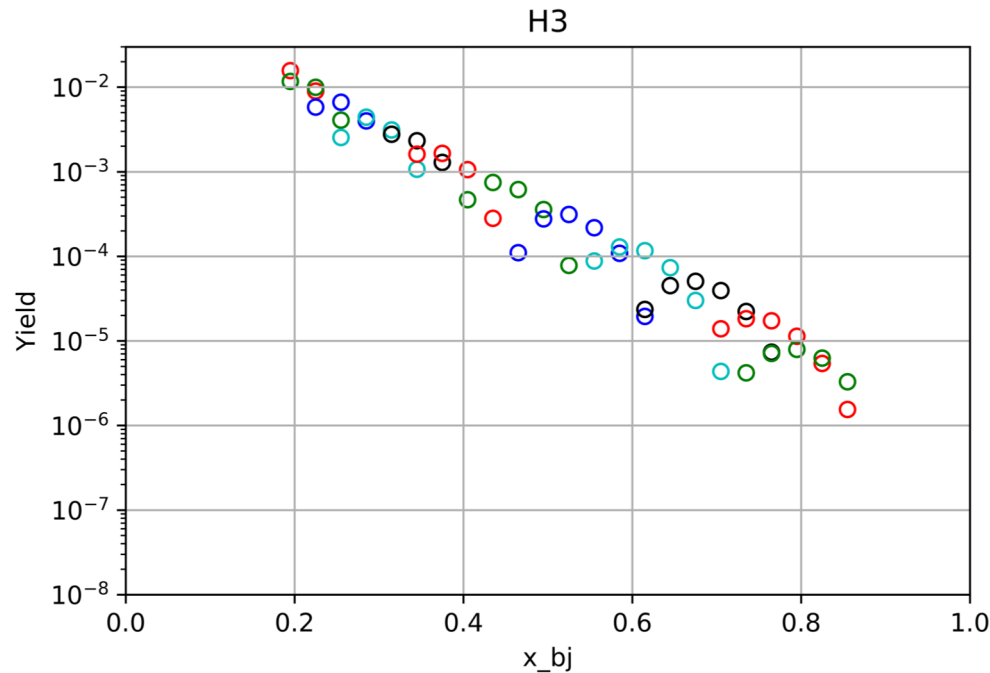
(Will post some comparison plots  
for pass 2 shortly...)



# Checks and Double Checks

- Checked corrections ✓
- Checked Yields for each Target ✓
- Checked need for Bin Centering ✓

**Yields for Tritium and Deuterium**



# Plot of corrected H3/D2

